| TRIBHUVAN UNIVERSITY | Exam. |  | Regular |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2079 Bhadra | Year/Part | II/ 1 | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Civil Engineering Materials (CE 506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Enlist the criteria for selection of suitable engineering materials at a site. Define Hygroscopicity and Fatigue.
2. Why is dressing carried out on the quarry site? Write down the factors that damage the stones of structures.
3. What are the qualities of good floor tiles? Describe properties of over burnt brick.
4. What is pozzolanic material? Explain the manufacture process of lime.
5. Explain the manufacturing process of 53 grade OPC cement. What is the 7 and 28 days crushing strength of this cement?
6. State stepwise procedure of preparing cement mortar for construction works. Mention the uses of mortar.
7. Explain in brief about the defects in timber due to natural forces. Differentiate between natural and artificial seasoning.
8. Define quenching and tempering. What is the role of Cobalt, Manganese, Chromium and Nickel in the respective alloy of steel?
9. Define ingredients of varnish. How is knot treated for painting in wood works?
10. What is insulating materials? Differentiate bitumen and asphalt.

| TRIBHUVAN UNIVERSITY | Exam. |  | Back |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2079 Baishakh | Year / Part | II/I | Time | $1^{1 / 2} \mathrm{hrs}$. |

## Subject: - Civil Engineering Materials (CE 506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Explain the properties of material with suitable examples. Toughness, Ductility, Hardness.
2. What are the considerations to be made while selecting the building stones? What do you
mean by natural bed of stone?
3. Describe classification of bricks with uses. Define Earthen ware. [3+1]
4. Define calcination \& slaking of lime. What the uses of pozzolanic materials.
5. Describe Bogue's Compound. What is meant by initial setting time and final setting time of cement?
6. What are the functions and qualities of a good mortar?
7. Describe any two defects of timber during growth of tree. List out different types of seasoning of timber.
8. Define ferrous and non-ferrous metals with examples. Illustrate different types of commercial products of steel with sketches.
9. What are emulsion paint and enamel paint? Write the functions of varnish.
10. What are the differences between asphalt, bitumen and tar? Define insulating materials
and composite materials. and composite materials.

| TRIBHUVAN UNIVERSITY | Exam. |  | Resular |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2078 Bhadra | Year/Part | II /I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Civil Engineering Materials (CE 506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Explain briefly the properties: Porosity, Creep and Brittleness. State the scope of construction materials in transportation.
2. Differentiate between sedimentary and igneous stones. How stone can be preserved?
3. Write briefly the brick manufacturing process. How do you classify the brick? Explain.
4. What is pozzolanic materials? Why they can be added to a lime? Explain different types of hydraulic lime.
5. Briefly illustrate the procedure to determine the compressive strength of cement in laboratory. Why hydration of cement takes place?
6. State any two merits and demerits of lime mortar. What is a gauged mortar? Describe functions of good mortar.
7. What are the merits of timber over steel in civil engineering construction works? Explain any four defects in timber caused due to seasoning to it.
8. Differentiate between mechanical and heat treatment of steel. How will you define annealing and red shortness of steel?
9. What do you understand by distemper? Explain any four defects in paints.
10. Why are plastic materials used extensively as construction materials? What is epoxy and adhesive?


## Subject: - Civil Engineering Material (CE 506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Describe importance of study of Civil Engineering Materials for engineers. Define the terms: creep, hygroscopicity, specific heat capacity and tenacity. deteriorate and pressured?
2. What is efflorescence in brick? Explain briefly the manufacturing process of bricks.
3. Define pozzolanic materials. Differentiate between fat lime and hydraulic lime.
4. Explain functions of compounds present in cement clinker. Explain any three types of cement.
Define mortar and explain its engineering characteristics. Differentiate between cement and lime mortar.
5. What are the uses of Timber? Why it is essential seasoning before using and also highlights the new modified timber. Which are extensively used in our building?
6. What are the types of metal that are used in modern Civil Engineering works? Why they are popular in using in the form of Alloys?
7. What are the ingredients of paints, explain? Describe types of paints with their uses.
8. Why are plastic materials used extensively as building material nowadays? Differentiate between asphalt and tar with respect of their properties and uses.

|  | Exam. |  | Regulam | Max |
| :---: | :---: | :---: | :---: | :---: |
| TRIBHUVANUNIVERSITY | Level | BE | Full Marks | 40 |
| INSTITUTE OF ENGINEERING | Level | BCE | Pass Marks | 16 |
| Examination Control Division |  | 11/1 | Time | $11 / 2 \mathrm{hrs}$. |
| 2076 Chaitra | Year/Part | 1/1 |  |  |

## Subject: - Civil Engineering Materials (CE 506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Explain the factors affecting the selection of civil engineering materials.
2. Write down the requirements of stone to be used for the structural purpose. What are the causes of deterioration of stones?
3. What are the essential constituents of good brick earth? Write with their percentage composition. Define glazing of ceramic materials with its objectives.
4. Explain different types of lime with its properties and suitable uses.
5. Draw a flow chart for wet process of cement manufacture. Explain different constituents of cement clinker with their function.
6. State stepwise procedure of preparing cement mortar for construction works. Also, mention the functions of mortar used in building construction.
7. Why seasoning of timber is important prior to use? Explain different methods of preserving the timber.
8. Explain various ferrous and non-ferrous products used in construction and explain their merits and demerits. What are the purposes of heat treatment process of steel?
9. Compare paints and varnishes. Write the steps of preparing the older surface for painting. [2+2]
10. Define asphalt. Write down the properties and uses of asphalt. Why tar is preffered in parking lot consiruction.

## TRIBHUVAN UNIVERSITY <br> INSTITUTE OF ENGINEERING Examination Control Division 2075 Chaitra

| Exam. | Revel | BE | Regular/Back |
| :--- | :--- | :--- | :--- |
| Level |  | Full Marks | 40 |
| Programme | BCE | Pass Marks | 16 |
| Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Civil Engineering Material (CE 506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. What are the scope of Civil Engineering Material for controlling a project quality? Explain any two mechanical properties.
2. Why is dressing carried out on stones? Segregate stones into different categories based on Geological classification:
a) Prophyry
b) Surpentine
c) Pegmatite
d) Laterite
3. How do yoü determine the quality of good brick Earth? Explain different classes of brick with their properties.
4. Define the terms Slaking and Calcination of lime. Explain the properties and uses of different types of hydraulic lime.
5. Define the terms cement clinker and cement water proofer. Explain constituents of OPC
with their correct proportions and benefits in a sound cement.
6. What are the types of mortar? How the mortar is selected for particular work? Describe its properties and uses.
7. State merits and demerits of timber used as civil engineering material. Also, mention the
objectives of seasoning of timber. What is the reason behind creosoting a timber?
$[2+1+1]$
8. Why heat treatment of steel is done? Explain different alloys of steel.
$[1+4]$
9. Discuss about varnish with its types. Explain any six defects of paints in brief.
10. Answer any two of following:
a) What are specific field of using Aspalt, Bitumin and Tar.
b) Why the ACP is so popular in mordern building material?
c) Give the various types and reasons of using glass in building.
d) What are the uses of plastic material?

|  | Exam. |  | Back |  |
| :---: | :---: | :---: | :---: | :---: |
| 04 TRIBHUVAN UNIVERSNT | Level | BE | Full Marks | 40 |
|  | Programme | BCE | Pass Marks | 16 |
| 2075 Ashwin | Year / Part | II / I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Civil Engineering Materials (CE506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. As a civil engineer, what are the major factors which you consider most for the selection of material in civil engineering project in Nepal? Write short notes on significant mechanical properties of civil engineering materials.
2. Write down the purposes of dressing of stones. What are the methods to preserve the stone from deterioration?
3. Why bricks are commonly used material in construction work? Elaborate briefly the properties of harmful ingredient in bricks.
4. Classify the lime on the basis of purity and functions with their suitability in engineering field.
5. Sketch out the graph related to the contribution of clinker compound to strength with respect to time of cement compound. Define Admixtures and cement water proofers.
6. State stepwise procedure of preparing cement mortar for construction works. Also, mention the functions of mortar used in building construction.
7. Define timber and its seasoning. Elaborate macrostructure and microstructure study of exogenous timber.
8. What is the prime importance of carbon present in steel? Distinguish between Plain carbon steel and Alloy steel.
9. What are the functions of paint? Explain in detail anti-termite treatment procedure to be applied in foundation?
10. Why are plastic materials used extensively as building material nowadays? Write down gypsum products available in market and their applications.

| IBHUVAN UNIVERSITY | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 40 |
|  | Programme | BCE | Pass Marks | 16 |
| 2074 Chaitra | Year / Part | II / I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Civil Engineering Materials (CE506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. How is civil engineering materials classified? Define the terms: fatigue and resilience.
2. What are the selection critaria of good building stone? Explain about importance of natural bed of stone.
3. Why the drying of brick is extremely important steps in manufacturing brick? Describe about standard test of brick.
4. Define pozzolanic agents used as admixtures and explain manufacturing process of lime.
5. Define pozzolanic agents used as admixtures and explain abre flow diagram of cement. Briefly illustrate the procedure to Explain about manufessive strength of cement in laboratory.
6. Write down the properties of mortar? Write down the steps of applying cement mortar?
7. What are the commercial forms of timber which are being widely used in the market? Draw a clear sketch of cross section of timber $\log$ and show the each components of growth.
8. What are the commercial Product of Metal? What are the purposes of heat treatment process of metal?
9. What do you understand about distemper? State the basic ingredients of paints.
10. Distinguish the tar with bitumen? Define borosilicate glass and thermoplastic.
$04 \quad$ TRIBHUVAN UNIVERSITY
INSTITUTE OF ENGINEERING
Examination Control Division
2074 Ashwin

| Exam. |  | Back |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 40 |
| Programme | BCE | Pass Marks | 16 |
| Year $/$ Part | II/I | Time | $1 / 1 /$ hrs. |

## Subject: - Civil Engineering Materials (CE506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Explain briefly the following properties of civil engineering materials: Creep, Malleability and Hardness.
2. Explain the characteristics of good building stone. Explain the factors which deteriorate the stone.
3. What is efflorescence in brick? Explain the manufacturing process of bricks. What is glazing?
4. Explain the properties and uses of lime.
5. Describe the manufacturing process of cement with the help of suitable flow diagrams. What is cement water proofer? Explain.
6. List the function of mortar. Also describe the characteristics of good cement mortar to be used in different civil engineering works.
7. Describe with the help of sketches, growth and structure of tree. Also describe the suitability of timber in the design of civil engineering structures. List the engineering properties of timber.
8. Describe the importance of steel as a civil engineering material according to their composition and properties. Write down the properties and uses of non-ferrous metals.
9. Write down, in brief, the procedure of using emulsion on the wall surface.
10. What are the specific uses of asphalt, bitumen and tar? Explain briefly about insulating materials used in construction.

| 04 TRIBHUVAN UNIVERSITY | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2073 Chaitra | Year/Part | II / I | Time | $11 / 2 \mathrm{hrs}$ |

## Subject: - Civil Engineering Materials (CE506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. What are the criteria for the selection of the materials in the Civil Construction projects?

Define the terms resilience and creep.
2. What are the objectives of surface dressing of stone? How does the deterioration of stone take place?
3. What are the different types of field test of brick? Explain the role of clay and alumina in brick production.
4. List the properties and uses of Pozzolanic material.
5. Define the terms cement clinker and admixtures. What are the major ingredients of cement, explain with functions.
6. How mortar can be formed? How do you select mortar according to civil engineering construction?
7. Why seasoning of timber is important prior to use? Explain different methods of preserving the timber. What are the characteristics of good timber?
8. What are upper critical and lower critical points of metal in heat treatment process? On the basis of these points, explain normalizing process of heat treatment with neat sketches.
9. Why paints are used in the civil structures? Explain types of paints with their uses.
10. Define the terms asphaltic materials and gypsum products. Explain types of plastics and their uses.

| 07 TRIBHUVAN UNIVERSITY | Exam. | New Back (2066 \& Later Batch) |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2073 Shrawan | Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Civil Engineering Materials (CE506)

[^0]1. Describe briefly the factors which influence the selection of civil engineering material? What are the significant properties to be considered while using engineering materials?
2. Define cataclastic metamorphism and plutonic metamorphism of rock formation. Explain about importance of natural bed stone.
3. What are the qualities of good bricks? Why we should be careful about the harmful ingredients in brick earth?
4. Differentiate quick lime with hydraulic lime. What do you mean by calcination and slaking of lime?
5. Describe the manufacturing process of 53 Grade OPC with the help of flow diagram.
6. Write down the functions of mortar in civil engineering units? What are the precautions to be observed while applying cement mortar?
7. Why seasoning of timber is important prior to use? Explain the macrostructure elements of exogenous tree with neat sketch.
8. What is the difference between Ferrous and Non Ferrous materials? Why the modern engineering world is very much willing to use the composite materials?
9. Write down, in brief, the procedure of using emulsion on the wall surface.
10. Distinguish Asphalt with Tar. Nowadays use of composite materials are predominant compare to conventional natural building material in engineering. Why? Give reasons.

| 04 TRIBHUVAN UNIVERSITY | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2072 Chaitra | Year/Part | II / I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Civil Engineering Materials (CE506)

Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Why a subject Civil Engineering Materials is supposed to be essential part of the science and technology? Define materials properties; hydroscopecity, soundness, hardness and creep.
2. What is the deterioration of stone and how it is preserved?
3. What are the different types of field test of brick? Explain the role of clay and alumina in brick production.
4. Why the uses of lime could not be neglected in this modern age? Highlight the properties and uses of lime.
5. Define clinker. What are the chemical compounds present in the clinker? Explain the functions of any two compounds present in clinker.
6. How mortar can be formed? How do you select mortar according to civil engineering construction?
7. Why and how the timber is being widely used in all engineering works? Describe briefly the method of seasoning the timber.
8. What do you mean by quenching of steel? Distinguish between Cast iron and Mild steel.
9. What do you mean by paint and Varnishes? What is the purpose of using it?
OR

Give the reasons of using anti-termite treatment.
10. Define asphalt, bitumen and tar with their best applications in civil engineering field.

| 04 TRIBHUV | Exam. |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 40 |
|  | Level | BCE | Pass Marks | 16 |
| Examination Control Division |  | II/I | Time | $11 / 2 \mathrm{hrs}$. |
| 2072 Kartik | Year/Part | II/ | time | 1/2hrs. |

## Subject: - Civil Engineering Materials (CE506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Define civil engineering materials. How do you select the appropriate material?
2. Define dressing of stone. Mention the different methods of stones preservation. Explain one of them.
3. What are earthen ware and glazing? Write down the types of tiles to be used in Civil Engineering.
4. What is lime as a construction material? Write down their properties.
5. What are cement water proofers? Draw the flowchart showing the manufacturing process of cement?
What are the different types of mortar? Write down their functions.
6. Why is seasoning of timber done? Explain the seasoning process of timber.
7. Why are Aluminum Alloys so important in modern engineering practice? Write down the difference between iron and steel.
8. Define distempers. How will you apply paint on wood? Describe briefly.
9. Define distempers. How will
10. What is glass as a construction material? Write down their uses in Civil Engineering.

## 07 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING <br> Examination Control Division 2071 Shawan

| Exam. |  |  |  |
| :---: | :---: | :---: | :---: |
| Level | BE | Full Marks | 40 |
| Programme | BCE | Pass Marks | 16 |
| Year/Part | II / I | Time | 11/2 hrs. |

## Subject: - Civil Engineering Materials (CE506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. How do you classify the civil engineering materials? Give the list only.
2. What is building stone? Describe the characteristics of good building stones.
3. Explain the procedure to determine the compressive strength of brick.
4. Distinguish between Fat lime and Hydraulic lime.
5. What are the different compounds present in cement clinker and explain its role in cement with the relative graph. What is meant by grade C-43 cement?
6. Describe the properties of good mortar.
[3]
7. Draw net cross sections of an exogenous tree and show its various components.
8. What do you mean by heat treatment process? List out the objectives of heat treatment..
9. What are the main function of a point and varnish?
10. What do you understand by bituminous material? Write down the properties and uses of asphalt?

| 04 TRIBHUVAN UNIVERSITY | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| xamination Control Division | Programme | BCE | Pass Marks | 16 |
| 2071 Chaitra | Year / Part | II / I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Civil Engineering Materials (CE506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. What are the properties of civil engineering materials? Highlight the importance of the subject.
2. What is natural bed of stone? What are the different technical parameters for selecting good building stones?
3. Explain briefly the harmful ingredients in good brick earth, stating their effects on the properties of the brick. Write down characteristics of good brick.
4. What do you mean by calcination and hydration of lime? Explain Hydraulic lime and fat lime with its properties.
5. Define initial and final setting time of cement. What are the ingredients of cement, explain its functions in cement.
6. What is mortar? How is an appropriate type of mortar selected?
7. What are the characteristics of good timber? Write down the defects of timbers.
8. Define heat treatment. Explain its objective. How will you define annealing, Explain it. [1+2+2]
9. Distinguish between the paint and varnishes. Write down the uses of antitermite treatment. [2+2]
10. Define bitumen and tar. Explain different types of glasses and its uses.

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| INSTTTUTE: OF IENCINI:1RING; | level | HI: |  | 40 |
| Examination Control livision | Programme | IBC: | Pasy Marks | 16 |
| 2070 Chaitra | Year / Part | 11/1 | Time | 11/2 hrs. |

## Subject: - Civil Engineering Materials (CE506)

[^1]1. What are the factors affecting the selection of construction material?
2. What are the qualities of a good building stone?
3. Write down the field tests to find the suitability of bricks for construction?
4. What are the properties and uses of lime?
5. Show the manufacturing process of cement with the help of flow diagram.
6. What is mortar? How can the appropriate type of mortar be selected?
7. What are the advantages of seasoning of timber? State the various defects in timber. [2+2]
8. Write down the differences between Ferrous and Non Ferrous metal .
9. Describe different types of paints and varnishes.
10. What are the specific uses of Asphalt, Bitumin and Tar?

| 11 | Fiall. <br> Level | ()ld Back (2065 \& Earlier Isatch) |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | 131 : | Full Marks | 80 |
|  | Programme | BCE | Pass Marks | 32 |
| Examination Control Division | Year / Part | I/I | Time | 3 hrs . |

## Subject: - Civil Engineering Material (EG463CE)

$\checkmark$ Candidateş are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt any Five questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Define hardness, Resilience and Malleability. Explain in brief the study objectives of "Civil Engineering Material".
b) Define yield and strain hardening related to tensile strength test for steel. How the yield point of brittle material is found out from stress/strain diagram? Draw stress/strain diagram for ductile and brittle materials.
Differentiate between mechanical treatment and heat treatment of steel. Explain isothermal annealing and tempering process of heat treatment with neat sketch.
b) Define true stress and engineering stress. In a steel, percentage of carbon content is $0.80 \%$; then find out the percentage of finite, cementite and pealite.
2. a) What are the different types of wood? Explain in brief strength along and perpendicular to the grain of wood.
b) A mild steel specimen of 10 mm diameter and 300 mm long, which resist the maximum tensile load of 250 KN at 2 mm diameter. If the material resist 120 KN yield load by elongating 8 mm then what is the modulus of roughness and resilience.
3. a) List out the different composition of OPC. Explain the role of different compounds present in cement clinker.
b) Define plastic material. Differentiate between asphalt and bitumen.
4. a) Describe the composition of good brick earth. Explain the properties of good quality of brick.
b) Define Microstructure examination of steel and describe the different micro structure

Define
of steel.
6. Write short notes on: (any four)
i) Chemical bond
ii) Types of glass
iii) Properties of steel
iv) Rapid hardening cement
v) Setting action of lime

## 3/23

| 01 TRIBHUVAN UNIVERSITY | Exam. |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Exam. | BE | Full Marks | 40 |
|  | Pevel | BCE | Pass Marks | 16 |
| Examination Control Division | Programm | II / I | Time | $11 / 2 \mathrm{hrs}$. |

Subject: - Civil Engineering Material (CE506)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data ifnecessary.

1. What are the ductile materials different from brittle ones?
2. What stones are said to be good in civil engineering construction? Write down the process of stone deterioration?
3. What are the field tests on brick quality? Mention the steps for efflorescence test of brick.
4. Write down properties and uses of lime.
5. What is meant by 43 -grade cement? Write down the engineering application of admixtures?
6. What are the properties and uses of good mortars?
7. Draw cross sections of hard and soft wood with detail elements.
8. What are Aluminum and its Alloys? Write down the differences between ferrous and non ferrous materials.
9. Write short notes on:
a) Distemper
b) Tar
c) Types of paint
d) Gypsum product

| 01 TRBHUVAN UNIVERSITY | Exam. |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Leve! | BE | Full Marks | 40 |
| Fxamination Control Division | Programume | ECE | Pass Marks | 16 |
| 2069 Chaitra | Year i Part | II/I | Time | 11/2 ${ }^{\text {ars }}$ |

## Subject: - Civil Engineering Material (CE506)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ ilssume suitable data if necessary.

1. What are the basic physical propertice of Civil Frginering Materis? Write down the imporiance of subject.
2. Define natural bed of stome. Werite deseat the methods of preservation of stone.
3. What are the constituents of brick Earth?' Write down their functions.
4. Define pozzolanic miterint: Pimmeme the poperices of pozolanic matrial.
5. What are the different ingredients of cement? Draw the flowchart showing the manufacturing process of cement.
6. What is mortar? How can the appropriate type of mortar be selected?
7. What is seasoning of timber? Explain about its preservation method. products of metal
8. Distinguish between the paint and varnishes. Also highlight the use of Antitermite treatment.
9. Give the various properties and use of glass. Why are the use of composite materials so high?

| 01 TRIBHUVAN UNIVERSITY <br> INSTITUTE OF ENGINEERING <br> Examination Control Division 2068 Chaitra | Exam. |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 40 |
|  | Programme | BCE | Pass Marks | 16 |
|  | Year/Part | II / 1 | Time. | 11/2 hrs. |
| Subject: - Civil Engineering Material (CE506) |  |  |  |  |
| $\checkmark$ Candidates are required to give their answers in their own words as far as practicable. <br> $\checkmark$ Attempt All questions. <br> $\checkmark$ The figures in the margin indicate Full Marks. <br> $\checkmark$ Assume suitable data if necessary. |  |  |  |  |
| 1. Explain briefly the following properties of the civil engineering materials: Porosity, Creep and Brittleness. |  |  |  |  |
| 2. What is the natural bed of stone? Enumerate the characteristics of a good building stones? <br> 3. What are the essential constituents of good brick earth? Write the characteristics of good brick earth. |  |  |  |  |
|  |  |  |  |  |
| 4. Define terms Quick lime and Hydraulic lime. How will you determine the slaking nature of lime? |  |  |  |  |
| 5. What are the different constituents of cement clinker? Explain the significance of testing the initial and final setting time of cement. How is it done? |  |  |  |  |
| 6. What is mortar? Explain the functions of motar. |  |  |  |  |
| 7. What are the characteristics of good timber? State the various defects in timber. |  |  |  |  |
| 8. Explain principle of heat treatment. Describe surface hardening. |  |  |  |  |
| 9. Explain briefly about post construction antitermite treatment. |  |  |  |  |
| 10. Define 'asphalt'. Give the properties and uses of different types of asphalt. |  |  |  |  |

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Give the comparison between asphalt, bitumen and tar.

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2068. Baishakh

| Exam. |  |  |  |
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| Level | BE | Regalar/Back |  |
| Programme | BCE | Pall Marks | 40 |
| Year/Part | II/I | Time. | 16 |

## Subject: - Civil Engineering Materials

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitiable data if necessary.

1. What are the fieid tests to find the suitability of bricks for construction? What is the compressive strength of the common and machine made bricks that are available in Nepal? Describe briefly the test for efflorescence for bricks.
2. What is meant by grade C-43 cement? Describe, with necessary sketches, the properties of compounds present in the clinker of cement.
3. Define admixture and explain in brief about its engineering application. . . $[1+4]$
4. Define seasoning of timber. Why is it required for the good timber? Describe the methods of seasoning.
5. What do you mean by heat treatment process? List out the objectives of heat treatment. Explain isothermal annealing with sketch.
6. What are distempers? In what form they are commercially available? How do you prepare
the commercial product in the field for painting? good building stones?
7. a) Describe different types of bitumen? What is the specification of giade of bitumen?
b) Explain brieify Toughness, fatigue and malleability.
$O R$
8. a) Distinguish between two major classifications of plastics. Name two popular plastics of each type and indicate their uses.
i) Explain the importance of study of material of construction. How civil engineering materials are classified?

| TRIBHUVAN UNIVERSTTY | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| xamination Control Division | Programme | BCE, BAG | Pass Marks | 32 |
| 2079 Bhadra | Year/Part | ii 11 | Time | 3 hrs . |

## Subject: - Fluid Mechanics (CE 505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Explain the causes of viscosity in gases and liquids. A capillary tube of uniform bore (radius 0.2 mm and length $=6 \mathrm{~cm}$ ) is dipped vertically in water. Find the height of water rises in tube. Take surface tension of water as $0.073 \mathrm{~N} / \mathrm{m}$. Will the length of tube affects the answer? Justify.
b) Derive the hydrostatic law of pressure distribution. Explain the working principle of inverted differential manometers.
c) Derive an expression for the time of emptying of a conical tank without inflow:
2. a) Determine total pressure and its line of action on curved surface ABCDA as shown in figure below. Take length $=2 \mathrm{~m}$.

b) A rectangular sectioned pontoon weighs 2 MN and has a length of 15 m . Its required to have a 600 mm of height above water when the pontoon is vertical and its centre of gravity is 300 mm above centre of cross-section. The metacentric height is to be 1.2 m when the angle of heel is $10^{\circ}$. Determine breadth and height of the pontoon when it is floating in fresh water.
3. a) Water flows at the rate of 10.5 litres per sec through a 150 mm diameter pipe in which an orifice meter with a 100 mm diameter orifice is fitted. If the press drop across the meter is recorded as a 18 mm difference in levels of mercury in a U-tube manometer, what would be the coefficient of discharge $C_{d}$ ? If the orifice were 125 mm diameter, what would be the head loss in $m$ of water, for the above values of $Q, C_{d}$ and $C_{c}$ ? Assume $\mathrm{C}_{\mathrm{V}}=0.95$.
b) Explain angular momentum principle, in fluid mechanics with examples. In a residential building, a pump is set up at 2 m above the underground reservoir for pumping water at a rate of $0.1 \mathrm{~m}^{3} / \mathrm{s}$ to the overhead tank. The diameter of the suction and delivery pipes are 15 cm and 20 cm respectively. If the water level in the tank is 15 m above the water level in the reservoir, determine the power input of the pump. Take 1.5 m head loss from the reservoir to the pump and 2 m head loss from the pump to the tank.
4. a) An incompressible fluid of density $\rho$ and viscosity $\mu$ flows at average speed $V$ through a long, horizontal section of round pipe of length $L$, inner diameter $D$, and inner wall roughness height $\varepsilon$. The pipe is long enough that the flow is fully developed, meaning the velocity profile does not change down the pipe. Pressure decreases (linearly) down the pipe in order to "push" the fluid through the pipe to overcome function. Using Buckingham- $\Pi$ method, develop a non-dimensional relationship between pressure drop $\Delta \mathrm{p}$ and other parameters in the problem.
b) Derive an expression for displacement thickness in boundary layer. Calculate the friction drag on a flat plate 15 cm wide and 45 cm long placed longitudinally in a stream of oil of relative density 0.925 and kinematic viscosity 0.9 stoke, flowing with a free stream velocity of $6.0 \mathrm{~m} / \mathrm{s}$. Also find the thickness of the boundary layer at the trailing edge.s
5. a) 360 litres per sec of water is flowing in a pipe. The pipe is bent by 120 degrees. The pipe bend tapers from diameter 360 mm to 240 mm from inlet to outlet and volume of the bend is $0.14 \mathrm{~m}^{3}$. The pressure at the entrance is $73 \mathrm{kN} / \mathrm{m}^{2}$ and the exit is 2.4 m above the entrance section. Find the force exerted on the bend.
b) The velocity components for a $2-$ D incompressible flow are

$$
u=2 x+y \text { and } v=-x-2 y
$$

Prove that stream function and potential function exist for above velocity field. Find also the equation of stream function and potential function.

| TRIBHUVAN UNIVERSITY | Exam. | Back |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGNEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE, BAG | Pass Marks | 32 |
| 2079 Baishakh | Year/Part | IIII | Time | 3 hrs . |

## Subject: - Fluid Mechanics (CE 505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) A square plate of size $1 \mathrm{~m} \times 1 \mathrm{~m}$ and weighing 350 N sides down an inclined plane with a uniform velocity of $1.5 \mathrm{~m} / \mathrm{s}$. The inclined plane is laid on a slope of 5 vertical to 12 horizontals and has an oil film of 1 mm thickness. Calculate dynamic viscosity of oil.
b) Suppose the water rise predicted by the capillarity formula exceeds the height of the capillary tube. Does the water overflow? Explain with mathematical expression.
c) The two pipes are connected by a double U-tube manometer as shown in figure where the brine pipe is connected to a tank filled with different fluids. Oil and brine are flowing in parallel horizontal pipes. The pressure at the centre of oil pipe is 200 kPa . Calculate pressures at point $2 \& 3$.

2. a) Pressurized water fills the tank as shown in figure below. Compute the net hydrostatic force on the conical surface $A B C$.

b) What is the significance of metacentric height? When will the centre of gravity and centre of pressure coincide in case of plane immersed surfaces?
c) A water body is subjected to an acceleration in the vertically upward direction. At what acceleration will the pressure difference between two points, separated by a vertical distance, h , be zero?
3. a) Given the velocity field $V=(5 x) \hat{i}+(15 y+11) \hat{j}+\left(19 t^{2}\right) \hat{k} m / s$. Determine the path of particle which is at $(4,6,2) \mathrm{m}$ at time $\mathrm{t}=3 \mathrm{~s}$.
b) The figure shows below a venturimeter where the reservoir open to atmosphere is connected to the throat by a tube.
i) What is the fluid velocity in the smaller diameter section of pipe?
ii) What is maximum height of fluid that can be lifted from reservoir (h)? Assume the fluid in lifting pipe is not moving.

4. a) An orifice plate is used to measure the flow in hydropower canal 500 m wide with a water depth of 300 mm . A rectangular orifice size of 300 mm wide and 100 mm high is placed 5 cm above the canal bed. If downstream water depth in canal is 225 mm , what is the flow in the canal? Take coefficient of discharge of an orifice plate 0.63.
b) What is boundary Layer? Explain boundary layer thickness and displacement thickness. Compute the ratio of these quantities for the boundary layer described by the velocity distribution $\frac{u}{U}=\left(\frac{y}{\delta}\right)^{1 / 7}$.
c) A jet of the water. 50 mm in diameter, is striking normally with velocity of $50 \mathrm{~m} / \mathrm{sec}$ at the center of the plate which is hinged at its top edge and a horizontal external force is applied at the bottom edge to keep it vertical. What should be amount of the applied force? If the force is removed what will be the angle of inclination of the plate with vertical for equilibrium condition?
5. a) What is the expression for the drag on a sphere, when Re of the flow is 0.2 ? Prove that the coefficient of drag for sphere for this range of the Reynolds number is given by $C_{D}=24 / R e$, where $R e$ is the Reynolds number.
b) 1:400 modei is constructed to study tides. What length of time in the model corresponds to a day in the prototype? Suppose the model could be transported to the moon and tested there. What then would be the time relationship between the model and prototype? Given, ' $g$ ' of earth = 6 times ' $g$ ' of moon.
c) Sphere of diameter $d$ and density $\rho_{s}$ settles at a terminal velocity $V$ in a liquid of c) Sphere of diameter d and density $\rho_{s}$ settes and and expression of velocity in which density $\rho_{1}$ and deynamic viscosity $\mu$. Determine an expressan of .- velocity also depends on acceleration due to gravity g. Use Rayteigh's Method.

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| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE, BAG | Pass Marks | 32 |
| 2078 Bhadra | Year/Part | II /I | Time | 3 hrs . |

## Subject: - Fluid Mechanics (CE 505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) The space between two large flat and parallel walls 25 mm apart is filled with a liquid of dynamic viscosity 0.7 Pa.s. Within this space a thin flat plate $250 \mathrm{~mm} \times 250 \mathrm{~mm}$ is towed at a velocity of $150 \mathrm{~mm} / \mathrm{s}$ at a distance of 6 mm from one wall, the plate and its movement being parallel to the walls. Assuming linear variations of velocity between the plate and the walls, determine the force exerted by the liquid on the plate.
b) An inverted manometer is connected to the pipe and tank as shown in figure. What will be the differential level or U-tube connecting pipe?

2. a) A tank is hermetically sealed into two compartments by plate $A B$. A cylinder of diameter 0.3 m with two hemispherical end is protrudes above and below the seal AB and is welded to the seal AB. what is the vertical force in the cylinder?

b) A buoy, floating in sea-water of density $1025 \mathrm{~kg} / \mathrm{m}^{3}$ is conical in shape with a diameter across the top of 1.2 m and a vertex angle of $60^{\circ}$, its mass is 300 kg and its centre of gravity is 750 mm from the vertex. A flashing guiding light is to be fitted to the top of the buoy. If this unit is of mass 55 kg , what is the maximum height of its centre of gravity above the top of the buoy if the whole assembly is not be unstable? (The centroid of a cone of height $h$ is at $3 \mathrm{~h} / 4$ from the vertex.)
3. a) A pressurised 2 m diameter tank of water has a 10 cm dia orifice at the bottom, where water discharges to the atmosphere. The water level initially is 3 m above the outlet. The tank air pressure above water level is maintained at 450 kPa absolute and the aimospheric pressure is 100 kPa . Neglecting the frictional effects, determine (i) how long it will take for half of the water in the tank to discharge and (ii) the water level in the tank after 10 sec .
b) The $x$ component of velecity in a two-dimensional, incempressible flow field is given by $\mathrm{u}=\mathrm{A} y$ : the coordinates are measured in meters and $\mathrm{A}=2 \mathrm{~m}^{-1} \mathrm{~s}^{-1}$. There is no velocity component or variation in the $z$ direction. Calculate the acceleration of a fluid particle at point $(x, y)=(2,1)$. Estimate the radius of curvature of the streamline passing through this point. Plot the streamline and show both the velocity vector and the acceleration vector on the plot.
4. a) Air flows in the entrance region of a square duct, as shown. The velocity is uniform, $\mathrm{U}_{0}=30 \mathrm{~m} / \mathrm{s}$, and the duct is 76 mm square. At a section 0.3 m downstream from the entrance, the displacement thickness on each wall measures 0.9 mm . Determine pressure change between section 1 and 2 .

b) A stream of air at standard condition from 2 cm dia. nozzle strikes a curved vane as shown. A stagnation pitot tube connected to water-filled U-tube manometer is located in the nozzle exit plane. Calculate the speed of the air leaving the nozzle. Estimate the horizontal component of force exerted on the vane by the jet.

c) What is laminar Sub-layer? Differentiate between the characteristics af laminar and turbulent boundary layer.
5. a) In Buckingham-Pi method, describe the following:
(i) Guiding rule for selection of repeating variables. (ii) Rules for grouping the Pi-terms oil of kinematic viscosity $4.645 \times 10^{-5} \mathrm{~m}^{2} / \mathrm{s}$ is to be used an a prototype in which both viscous and gravity force dominate. A model scale of 1.5 is also desired. What viscosity of model liquid is necessary to make both the Frowde mermber and the Reynold number same in model and prototype?
An aeroplane is designed according to the following specifications:
Weight $=13.5 \mathrm{kN}$, wing Area $=30 \mathrm{~m}^{2}$, Take off speed $=30 \mathrm{~m} / \mathrm{s}$
Model tests show that the lift and drag coefficient vary with the angle iof attack of the wing according to following approximate relations:

$$
\begin{array}{ll}
\text { ccording to followng appion } \\
C_{D}=0.008(1+\alpha) & C_{L}=0.35(1+0.2 \alpha)
\end{array}
$$

For small $\alpha$, where $\alpha$ is the angle of attack measured in degree. The atmospheric density is $1.29 \mathrm{Kg} / \mathrm{m}^{3}$. Find the angle of attack that ensures take-off at the design speed and power required for take off.

| TRIBHUVAN UNVERSTTY | Exam. |  | Back |  |
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| INSTITUTE OF ENGINEERING | Level | BE | Fuil Marks | 80 |
| Examination Control Division | Programme | BCE, BAG | Pass Marks | 32 |
| 2078 Kartik | Year/Part | II /I | Time | 3 hrs . |

## Subject: - Fluid Mechanics (CE 505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) The viscosity of one of the liquid in laboratery is determined by measurements of shear stress $\tau$ aṇ̀ rate of shearing strain $\frac{d u}{d y}$ tested in suitable viscometer. Based on following observations, determine if the given liquid is Newtonian or Non-Newtonian fluid. Explain how you arrive at your answer.

| $\tau\left(\mathrm{N} / \mathrm{m}^{2}\right)$ | 0.04 | 0.06 | 0.12 | 0.18 | 0.3 | 0.52 | 1.12 | 2.1 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\frac{\mathrm{du}}{\mathrm{dy}}\left(\mathrm{s}^{-1}\right)$ | 2.25 | 4.5 | 11.25 | 22.5 | 45 | 90 | 225 | 450 |

b) Under what condition inverted U-tube manometer and single column inclined manometer are used to measure pressure.
c) A cylindrical tank contains water at a height of 55 mm as shown in figure below. Inside a smaller open cylinder tank containing cleaning fluid $(S=0.8)$ at a height $h$. If $P_{B}=13.4 \mathrm{Kpa}$ and $\mathrm{P}_{\mathrm{C}}=13.42 \mathrm{KPa}$ gauge, what are gauge pressure $\mathrm{P}_{\mathrm{A}}$ and height h of cleaning fluid? Assume that the cleaning fluid the kerosene is prevented from moving to the top of the tank.

d) Write the Navier-Stokes and Bernoulli's equation (derivation not required). Explain each terms in the equations with physical meaning.
2. a) The figure shows $U$-tube of base length $L$ in which a liquid of density 0.85 is filled such that it completely fills the base length only. If the tube is now rotated at angular speed of $10 \mathrm{rad} / \mathrm{sec}$ as shown, find the level rise of liquid in outer arm of tube.

b) Determine the force and its position from fluids acting on the door as shown in figure.

3. a) Consider the flow described by the velocity field $\overrightarrow{\mathrm{v}}=\mathrm{Bx}(1+\mathrm{At}) \overrightarrow{\mathrm{i}}+\mathrm{Cy} \overrightarrow{\mathrm{l}}$, with $A=0.5 \mathrm{~s}^{-1}$, and $B=C=1 \mathrm{~s}^{-1}$. Coordinates are measured in meter. Plot the streak lines traced out by the particle that passes through the point $(1,1)$ during the interval from $\mathrm{t}=0$ to $\mathrm{t}=3 \mathrm{~s}$. Compare with streamlines plotted through the same point at the instants $t=0,1$ and 2 s . (no need of graph paper, plot in answer copy in precision as far as possible)
b) Derive an expression for flow through partially and fully submerged orifice.
c) Show that the slope of Cipolletti weir is $1: 4$. How
approach while computing the discharge over weirs?

The diameter of a pipe-bend is 300 mm at inlet and 150 mm at outlet and the flow is turned through $120^{\circ}$ in a vertical plane. The axis at inlet is horizontal and the center of outlet section is 1.4 m below the center of indet section. The total volume of fluid contained in the bend is $0.085 \mathrm{~m}^{3}$. Neglecting friction, calculate the magnitude and direction of the net force exerted on the bend by water flowing through it at $0.23 \mathrm{~m}^{3} / \mathrm{s}$ when the inlet gauge pressure is 140 kPa . Take head loss in the bend as $0.25 \mathrm{~V}^{2} / 2 \mathrm{~g}$, where $\mathrm{V}=$ velocity at inlet pipe.
b) Explain the development of boundary layer along a thin flat plate held parallel to uniform flow. Also point out the salient features.
5. a) A pressure drop $\Delta \mathrm{P}$ provides a measure of the frictional losses of a fluid as it flows through a pipe. Determine how $\Delta \mathrm{P}$ is related to the variables that influence it, namely, pipe dia. $D$, its length $L$, fluid density $\rho$, viscosity $\mu$, velocity $V$ and the relative roughness facior $\frac{\epsilon}{\mathrm{D}}$, which is ratio of average size of surface irregulanities to the pipe diameter. Use Buckingham- $\pi$ method.
b) Describe with the heip of a sketch, the variation of drag coefficient for a cylinder over a wide range of Reynoids number.

\section*{TRIBIUVANUNIVERSITY <br> INSTITUTE OF ENGINEERING Examination Control Division 2076 Chaitra <br> | Exam. |  |  |  |
| :---: | :---: | :---: | :---: |
| Level | BE | Full Marks | 80 |
| Programme | BCE, BAG | Pass Marks | 32 |
| Year/Part | II/I | Time | 3 hrs . |

## Subject: - Fluid Mechanics (CE 505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figwes in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) A pressure gauge cionsists of $U$ tube with equal enlarged ends and is filled with water on one side and oil of specific gravity 0.97 on the other, the surface of separation being in the tube below the enlarged ends. Calculate the diameter of each enlarged end if the tube diameter is 5 mm and the surface of separation moves 25 mm for a difference in pressure head of 1 mm of water.
b) Oil of viscosity $\mu=2$ poise fills the small gap of thickness 0.2 mm . Determine the torque required to rotate the truncated cone at constant speed of 100 rpm . Neglect fluid stress exerted on the circular bottom.

c) Write Navier-Stoke's equation in three dimensional form (derivation not required). If the flow is steady and incompressible; no flow or property variation in z-direction, fully developed flow (no property variation in $x$ direction), model the above written Navier Stoke's equation in simplified form using the assumptions. Can you develop simplified velocity distribution equation from the simplified model?
2. a) A test vehicle contains a U-tube manometer for measuring differences of air pressure. The manometer is so mounted that, when the vehicle is on level ground, the plane of the $U$ is vertical and in the fore-and-aft direction. The arms of the $U$ are 60 mm apart, and contain alcohol of relative density 0.79 . When the vehicle is accelerated forwards down an incline at $20^{\circ}$ to the horizontal at $2 \mathrm{~m} / \mathrm{s}^{2}$ the difference in alcohol levels (measured parallel to the arms of the U ) is 73 mm , that nearer the front of the vehicle being the higher. What is the difference of air pressure to which this reading corresponds?
b) A tank full of oil $(\mathrm{S}=0.8)$ as shown in figure. Determine total pressure and centre of pressure on surface $A B$ of the tank. Check your result with pressure diagram also. Take length of the $\operatorname{tank} 6 \mathrm{~m}$.

 $A=1 \mathrm{~m} / \mathrm{s}$. Find
(i) sketch streamlines $\psi=0$ and $\psi=8 \mathrm{~m}^{2} / \mathrm{s}$
(ii) velocity vector at $(0,0)$ and its direction.
(iii)now rate between streamlines passing throush points $(1,1)$ and $(4,1)$.
b) Prove that in Cippoleti weir the sides have a slope of 1:4. A sharp-edged notch is in the form of a symmetrical trapezium. The horizontal base is 100 mm wide, the top is 500 mm wide and the depth is 300 mm . Develop from first principles a formula relating the discharge to the upstream water level, and estimate the discharge when the upstream water surface is 228 mm above the level of the base of the notch Assume that $\mathrm{Cd}=0.6$ and that the velocity of approach is negligible.
3. a) Two large tanks containing water have small smoothy orifices of equal area. A jet of liquid issues from the left tank. Assume the flow is uniform and unaffected by the friction. The jet impinges on the vertical flat plate covering the opening of the right tark. Determine the minimum value for height, $h$, required to keep the plate in place over the opening of the right tank.

b) Flow takes place over a flat plate exposed parallel to free stream. Mention characteristics of flow and draw a neat sketch of the boundary layer development showing, (i) Laminar boundary layer, (ii) Turbulent boundary layer, (iii) Transition zone, (iv) Laminar sub layer. What is displacement thickness?
c) Water enters two armed sprinkler vertically at rate of 10 litre/sec, and leaves the nozzle horizontally. The diameter of both the nozzle is 12 mm . Calculate the torque required to hold the arm siationary.
4. a) The speed of propagation $C$ of a capillary wave in deep water is known to be function only of density $\rho$, wavelength $\lambda$, and surface tension $\sigma$. Find the proper functional relationship, completing it with a dimensionless constant. For a given density and wavelength, how does the propagation speed change if surface tension is doubled?


The weight of a thin flat plate $50 \mathrm{~cm} \times 50 \mathrm{~cm}$ in size is balanced by a counter weight that has a mass of 2 kg as shown in figure below. Now a fan is turned on, and air flows downward over both surfaces of the plate with a free-stream velocity of $10 \mathrm{~m} / \mathrm{s}$. Dctermine the mass of the counter weight that needs to be added in order to balance the plate in this case.


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|  | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE, BAG | Pass Marks | 32 |
| 2076 Ashwin | Year/Part | II/I | Time | 3 hrs . |

## Subject: - Fluid Mechanics (CE 505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) A manometer consists of a U-tube, 7 mm internal diameter, with vertical limbs each with an enlarged upper end 44 mm diameter. The left hand limb and the bottom of the tube is filled with water and the top of the right-hand limb is filled with oil of specific gravity 0.83 . The free surfaces of the liquids are in the enlarged ends and the interface between the oil and water is in the tube below the enlarged end. What would be the difference in pressures applied to the free surfaces which would cause the oil/water interface to move 1 cm .

b) Explain Capillarity phenomenon.
c) A 2.2 cm wide gap between two vertical plane surfaces is filled with liquid of specific gravity 0.9 and dynamic viscosity $1.75 \mathrm{NS} / \mathrm{m}^{2}$. A metal plate $1.5 \mathrm{~m} \times 1.5 \mathrm{~m} \times 0.2 \mathrm{~cm}$ thick and weighing 40 N is placed midway in the gap. Find the force required if the plate is to be lifted with constant velocity of $0.15 \mathrm{~m} / \mathrm{s}$.
2. a) Cylindrical tank 2 m diameter and 4 m long, with its axis horizontal, is half filled with water and half filled with oil of density $880 \mathrm{~kg} / \mathrm{m}^{3}$. Determine the magnitude and position of the net hydrostatic force on one end of the tank.
b) A tube $A B C D$ has the end $A$ open to atmosphere and the end D closed as shown in figure below. The portion $A B C$ is vertical while the portion $C D$ is a quadrant of radius 250 mm with its centre is $B$, the whole being arranged to rotate about its vertical axis ABC . If the tibe is completely filled with water to a height in the vertical limb of 300 mm above C find (a) the speed of rotation which will make the pressure head at $D$ equal to pressure head at $C$, (b) the value and position of the maximum pressure head in the curved portion $C D$ when running at the speed.

3. a) Steady, incompressible flow in $x y$ plane with $\vec{V}=\frac{A}{x} \bar{i}+\frac{A y}{x^{2}} \bar{j}$ where $A=2 \mathrm{~m}^{2} / \mathrm{s}$ and coordinates are in meters. Find
i) equation for steamline through $(x, y)=(1,3)$
ii) time required for a fluid particle to move from $x=1 \mathrm{~m}$ to $x=3 \mathrm{~m}$.
b) The velocity of a fluid varies with time $t$. Over the period from $t=0$ to $t=8$ s the velocity components are $u=0 \mathrm{~m} / \mathrm{s}$ and $v=2 \mathrm{~m} / \mathrm{s}$; while form $t=8 \mathrm{~s}$ to $t=16 \mathrm{~s}$ the components are $u=2 \mathrm{~m} / \mathrm{s}$ and $v=-2 \mathrm{~m} / \mathrm{s}$. A dye streak is injected into the flow at a certain point commencing at time $t=0$ and the path of a particle of fluid is also traced from that point starting at $t=0$. Draw to scale the streakline and pathline of the particle.
c) Find the time of emptying a cylindrical vessel attached with conical vessel as shown in the figure below with the provided data herein. There is no inflow into the tank. Orifice of diameter 10 cm is at the bottom of the tank. Take discharge coefficient as 0.6.

4. a) Air flows over a flat plate 2 m long and 1.5 m wide at a velocity of $6.5 \mathrm{~m} / \mathrm{s}$. Determine the shear stress, and displacement thickness at distance of 1.8 m form the leading edge. Also determine the drag force on the face of the plate.
b) The diameter of a bend is 300 mm at inlet and 150 mm at outlet and the flow is turned through $120^{\circ}$ in vertical plane, the axis of inlet is horizontal and the centre of the outlet section is 1.5 below the centre of the inlet section, the total volume of fluid contained in the bend is $0.09 \mathrm{~m}^{3}$. Neglecting friction, calculate the magnitude and direction of the force exerted by the water on the bend by the water flowing through it at 300 lps when the inlet pressure is 130 KPa .
5. a) A river carrying a discharge of $3500 \mathrm{~m}^{3} / \mathrm{s}$ has a depth of 2.25 m width of 1500 m . From the point of view of availability of space the horizontal scale of 1:400 is chosen. Assuming slope scale to be unity, determine the depth and discharge scales for the model.
b) A jet plane which weighs 170 KN has a wing area of $25 \mathrm{~m}^{2}$. It is flying at a speed of $200 \mathrm{~km} / \mathrm{hr}$. When the engine develops $580 \mathrm{KW}, 70 \%$ of this power is used to overcome the drag resistance of the wing. Calculate the coefficient of lift and coefficient of drag for the wing. Take density of air $=1.25 \mathrm{~kg} / \mathrm{m}^{3}$.
TRIBHUVAN UNIVERSITY
INSTITUTE OF ENGINEERING
Examination Control Division
2075 Chaitra

| Exam. | Regular/ Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE, BAG | Pass Marks | 32 |
| Year / Part | II/I | Time | 3 hrs. |

## Subject: - Fluid Mechanics (CE 505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Altempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) An oil and water manometer consists of U-tube 4 mm fiameter with both limbs vertical. The right-hand limb is enlarged at its upper end to 20 mm diameter. The enlarged end contains oil with its free surface in the enlarged portion and the surface of separation between water and oil is below the enlarged end. The left hand limb contains water only, its upper end being open to the atmosphere.
When the right-hand side is connected to a cylinder of gas the surface of separation is observed to fall by 25 mm , but the surface of oil remains in the enlarged end. Calculate the gauge pressure in the cylinder. Assume that the specific gravity of the water is 1.0 and that of the oil 0.9 .
b) Write down the expression for Navier-Strokes equations and Euler equations of fluid motion in 2D with definition of each term. Also write their applications.
c) Explain the concept of control volume and continiuum in fluid mechanics. Define viscosity with its expression.
2. a) A pipe 25 mm in diameter is connected to the centre of the top of a drum 0.5 m in diameter, the cylindrical axis of the pipe and the drum being vertical. Water is poured into the drum through the pipe until the water level stands in the pipe 0.6 m above the top of the drum. If the drum and pipe are now rotated about their vertical axis at $600 \mathrm{rev} / \mathrm{min}$ what will be the upward force exerted on the top of the drum.
b) $0.5 \mathrm{~m}^{3}$ of ice floats in a cylindrical tank maintaining 4 m depth as shown in figure below. What will be the depth of water if ice completely melt in the tank?

3. a) Velocity field $\vec{v}=B x(I+A t) \vec{i}+c y \bar{j}$ with $\mathrm{A}=0.5 \mathrm{~s}^{-1}, \mathrm{~B}=\mathrm{C}=1 \mathrm{~s}^{-1}$. The coordinates are measured in meters.
i) Plot the pathline of the particle that passed through the point $(1,1,0)$ at time $t=0$.
ii) Plot the streamlines through the same point $(1,1,0)$ at instants $t=0,1$ and 2 s .
b) A tank of constant cross-sectional area of $3.2 \mathrm{~m}^{2}$ has two orifices each $8.8 \mathrm{~mm}^{2}$ in area in one of its vertical sides at heights 5 m and 2 m respectively above the bottom of the tank. Calculate the time taken to lower the water level from 8 m to 3 m above the bottom of tank. Assume $\mathrm{C}_{\mathrm{d}}=0.62$.
4. a) Explain concept of Boundary layer thickness. Displacement thickness and Momentum thickness with their applications each.
b) A jet of water with a velocity $U$ and jet area. A strikes a flat plate normal to it. Determine the force of impingement, power developed and efficiency
i) when the plate is at rest.
ii) when the plate is permitted to move along the direction of a velocity $u$. Also determine condition of maximum possible efficiency.
iii) what would be the possible maximum efficiency if series of plates were to face the jet in quick succession?
5. a) A 3 mm diameter sphere made of steel (sp. wt. $75 \mathrm{KN} / \mathrm{m}^{3}$ ) falls in glycerine ( sp . wt . $12.5 \mathrm{KN} / \mathrm{m}^{3}$ ) of viscosity $0.893 \mathrm{NS} / \mathrm{m}^{2}$ at a terminal velocity. Determine the terminal velocity and drag force on the sphere.
b) In a flow through a small orifice discharging freely into atmosphere under a constant head $(\mathrm{H})$, the flow discharge $(\mathrm{Q})$ depends on diameter of pipe (d), constant head, dynamic viscosity ( $\mu$ ), density of fluid ( $\rho$ ) and acceleration die to gravity (g). Using Rayleigh's methods develop the relation in terms of non-dimensional terms.
c) A spillway model is to be built geometrically similar scale of $1 / 16$ across a flume of 60 cm width. The prototype is 12.5 m high and the maximum head on it is expected to be 2 m . (i) What height of the model and what head on the model should be used? (ii) If the flow over the model at a particular head is 20 lps , what flow per m length of the prototype is expected?


Subject: - Fluid Mechanics (CE505)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
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1. a) A stationary bearing of length 30 cm and internal radius 8.025 cm has been used to provide lateral stability to a 8 cm radius shaft rotating at a constant speed of 200 rpm . The space between the shaft and bearing is filled with a lubricant having viscosity 2.5 poise. Find the torque required to overcome the friction in bearing. Take the velocity profile as linear.
b) In Fig. below, sensor A reads 1.5 kPa (gage). All fluids are at $20^{\circ} \mathrm{C}$. Determine the elevations Z in meters of the liquid levels in the open piezometer tubes B and C .

2. a) For the geometry shown, what is the vertical force on the dam? The steps are 0.3 m high, 0.3 m deep and 3 m wide.

b) A thin-walled, open-topped tank in the form of a cube of 500 mm side is initially full of oil of relative density 0.88 . It is accelerated uniformly at $5 \mathrm{~m} / \mathrm{s} 2$ up a long straight slope at arctan (1/4) to the horizontal, the base of the tank remaining parallel to the slope, and the two side faces remaining parallel to the direction of motion. Calculate (a) the volume of oil left in the tank when no more spilling occurs, and (b) the pressure at the lowest corners of the tank.
3. a) A discharge of 12 lps is passed over a 45 degree sharp-edged triangular notch under a head of 21 cm . The same discharge is passed over a sharp-crested rectangular notch of length 30 cm , the head being 7.8 cm . Calculate the coefficient of discharge of two notches. What is the magnitude of error that would cause 2 percent error in discharge in the two cases.
b) A velocity for a steady, in compressible flow in the xy plane is given by $\vec{v}=\vec{i} A / x+\vec{j} A y / x^{2}$, where $A=2 \mathrm{~m}^{2} / s$, and the coordinates are measured in meters. Obtain an equation for the streamline that passes through the point $(x, y)=(1,3)$. Calculate the time required for a fluid particle to move from $x=1 \mathrm{~m}$ to $\mathrm{x}=2 \mathrm{~m}$ in this flow field.
4. a) Water flows into atmosphere through a vertical bend nozzle assembly as shown in figure below. The pipe diameter is 10 cm and nozzle exit diameter is 5 cm . The rate of flow of water is 2400 lpm . The interior volume of the assembly is 18.2 lites. The head loss in the bend is $0.5 \frac{v^{2}}{2 g}$ and in the nozzle it is $2 \frac{v^{2}}{2 g}$, where $V$ is the velocity of water in the pipe. Compute the hydrodynamic force on the system.

b) Define boundary layer separation and stagnation point with the help of figure.
c) When a jet of fluid strikes series of Semicircular vanes, show that the maximum efficiency of the system is 1 .
5. a) The wall shear stress $\tau_{w}$ in a boundary layer is assumed to be a function of stream velocity $U$, boundary layer thickness $\delta$, local turbulence velocity $u^{\prime}$, density $\rho$, and local pressure gradient $d p / d x$. Using ( $\rho, \mathrm{U}, \delta$ ) as repeating variables, rewrite this relationship as a dimensionless function.
b) A jet plane which weighs 19920 N has a wing area of $25 \mathrm{~m}^{2}$. It is flying at a speed of $200 \mathrm{~km} / \mathrm{hr}$. When the engine develops $588.5 \mathrm{KW}, 80 \%$ of this power is used to overcome the drag resistance of the wing. Calculate the coefficient of lift and coefficient of drag for the wing. Take density of air $=1.25 \mathrm{~kg} / \mathrm{m}^{3}$.


## Subject: - Fluid Mechanics (CE505)

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$\checkmark$ Attempt All questions.
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1. a) Thin $40 \mathrm{~cm} \times 40 \mathrm{~cm}$ flat plate is pulled at $1 \mathrm{~m} / \mathrm{s}$ horizontally through a 3.6 mm thick oil layer sandwiched between two plates, one stationary and the other moving at a constant velocity of $0.3 \mathrm{~m} / \mathrm{s}$, as shown in figure. The dynamic viscosity of oil is 0.027 pass. Assuming the velocity in each oil layer to vary linearly i) plot the velocity profile and find the location where the oil velocity is zero. ii) determine the force that needs to be applied on the plate to maintain this motion.

b) A differential manometer is attached to a pipe as shown in figure. Calculate the manometric height difference x , for pressure difference 2.68 KPA .


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b) An open-topped tank, in the form of a cube of 900 mm side, hăs a mass of 340 kg . It contains $0.105 \mathrm{~m}^{3}$ of oil of eleative deinity 0.85 and is accelerated uniformly up along siope at arctan $(1 / 3)$ to the horizontal The base of the tank remains parallel to the slope, and the side faces are parallel to the direction of motion. Neglecting the thickness of the walls of the tank, estimate the net force (parallel of the slope) accelerating the tank if the oil is just on the point of spilling.
3. a) Find the time of emptying of cylindrical vessel with conical vessel as shown in the figure. There is no inflow into the tank. An orifice of 10 cm diameter is at the bottom of the ta委. Take $\mathrm{C}_{\mathrm{d}}=0.6$.

b) The velocity field is given by $\vec{V}=A x \vec{i}-A y \vec{j}$; the units of velocity are $m / s$; $x$ and $y$ are given meters; $A=0.3 \mathrm{~s}^{-1}$
(i) Obtain an equation for the streamlines in the xy plane
(ii) Plot the streamline passing through the point $\left(\mathrm{x}_{0}, \mathrm{y}_{0}\right)=(2,8)$
(iii) Determine the velocity of a particle at the point $(2,8)$
(iv)If the particle passing through the point ( $x_{0}, y_{0}$ ) is
determine the location of the particle at time $t=6 \mathrm{~s}$.
(v) Show that the equation of the particle path (pathline) is the same as the equation of the streamline.
4. a) Reducing elbow is shown in figure. Fluid is water. Find the force components needed to keep elbow from moving.

b) With appropriate sketches define boundary layer thickness and momentum thickness and discuss their application.
a) For models governed by gravity forces, obtain the scaling ratios for time, discharge, force and power.
b) Water flows over 0.3 m long and 0.1 m wide flat plate at $15 \mathrm{~m} / \mathrm{s}$ parallel to it.

Calculate (i) drag force on that portion of plate over which the boundary layer is laminar (ii) total drag force on both sides of the plate. $\rho=998 \mathrm{~kg} / \mathrm{m}^{3}$ and
viscosity $=10^{-6} \mathrm{~m}^{2} / \mathrm{s}$.

## 02 ; TRIBHUVAN UNIVERSITY <br> INSTITUTE OF ENGINEERING <br> Examination Control Division <br> 2074 Ashwin

| Exam. | Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE, B. Agri. | Pass Marks | 32 |
| Year / Part | II /I | Time | 3 hrs. |

## Subject: - Fluid Mechanics (CE505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Derive an expression for surface tension and capillarity. A 15 cm diameter vertical cylinder rotates concentrically inside another cylinder of diameter 15.10 cm both cylinders are 25 cm high. The space between the cylinders is filled with a liquid whose viscosity is unknown. If a torque of 12 Nm is required to rotate the inner cylinder at 100 rpm determine the viscosity of the fluid.
2. In the figure below the pressures at A and B are the same, 100 kPa . If water is introduced at $A$ to increase $P_{A}$ to 130 kPa , find the new positions of the mercury. The connecting tube is an uniform $1-\mathrm{cm}$ in diameter. Assume no change in the liquid densities.

3. a) Find the resultant pressure force due to water on a curved surface BCDEF of 10 m length as shown in figure below.

b) Explain the use of hydrometer and shortly explain the conditions of stability of floating bodies.
c) A closed cylindrical tank of 1 m diameter and 2 m high is completely filled with water. If it is being rotated about its vertical axis with uniform speed of 100 rpm , Draw pressure intensity diagram along surface $A B$ and $A C$ with values.

4. Sketch the streamlines represented by the stream function $\psi=x^{2}+y^{2}$. Find also the velocity and its direction at point $(3,4)$.
5. Water is pumped at $0.12 \mathrm{~m}^{3} / \mathrm{s}$ from the lower to the upper reservoir as shown in figure below. Pipe friction losses $h_{f}=27 \mathrm{v}^{2} / 2 \mathrm{~g}$, where V is the average velocity in the pipe (diameter $=15 \mathrm{~cm}$ ). If pump is $75 \%$ efficient, what horse power is needed to drive it? Draw TEL and HGL.
6. In figure below the flowing fluid is $\mathrm{CO}_{2}$ (density $=3 \mathrm{~kg} / \mathrm{m}^{3}$ ). Neglect losses. If $p_{1}=170$ kPa and the manometer fluid is meriam red oil $\left(\mathrm{S} . \mathrm{G}=0.827\right.$ ). Estimate : (a) $\mathrm{p}_{2}$ and (b) the gas rate in $\mathrm{m}^{3} \mathrm{~h}$.

7. Ignoring friction losses, calculate the magnitude and direction of resultant force, exerted on the bend when water discharges at the atmosphere as shown in figure below. Both nozzles discharge water with a velocity of $20 \mathrm{~m} / \mathrm{sec}$. Consider the axes of the pipe and the nozzles lie in a horizontal plane.

8. Define boundary layer concept. Explain the terms boundary layer thickness, laminar sub-layer and point of separation of boundary layer with sketch.
9. Distinguish between pressure and friction drags. Explain with sketches, why the aerofoil is designed as streamlines body.
10. Distinguish between distorted and undistorted modeling. Explain the working principle of dimensional analysis by Buckingham's $\Pi$ theorem.

| Exam. | Regular |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE, B. Agri. | Pass Marks | 32 |
| Year/Part | II / I | Time | 3 hrs. |

## Subject: - Fluid Mechanics (CE505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempl All questions.
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$\checkmark$ Assume suitable data if necessary.

1. Explain Cavitation and vapor pressure. Prove that capillary depression (h) in the tube of radius $\mathbf{r}$ when inserted in mercury (sp.gr. $S_{1}$ ) above which a liquid of sp.gr. $\mathbf{S}_{2}$ lies is given by $\mathrm{h}=\frac{2 \sigma \cos \theta}{\mathrm{r} \mathrm{\gamma}\left(\mathrm{~S}_{1}-\mathrm{S}_{2}\right)}$
2. Find the pressure difference between pipes $A$ and $B$ which filled with liquid of sp.gr. 1.6 and monometric reading as shown in figure.

3. a) Find the resultant hydrostatic pressure force due to water on a curved surface $\operatorname{BCDE}$ as shown in figure below. Consider the length of the surface is 10 m .

b) Define metacentre and find the expression for metacentric height.
c) A closed cylindrical tank completely filled with water is being rotated with constant speed of 100 rpm about its axis vertical as shown in figure below. Draw the pressure intensity diagram along $A B$ and $A C$, with values.

4. Given $\vec{V}=4 x y \hat{i}+2 y^{2} \hat{j}$, find stream function and plot several streamlines in first quandrant. The coordinates are in meters.
5. The turbine system in figure below draws water from the upper reservoir through a uniform diameter pipe to produce power for a city. For a design flow rate of $1.2 \mathrm{~m}^{3} / \mathrm{s}$, the friction loss in 5 m . Estimate the power in KW extracted by the turbine. Draw TEL and HGL.

6. A sharp-edged notch in the form of a symmetrical trapezium. The horizontal base is 100 mm wide, the top is 500 mm wide and the depth is 300 mm . Derive from the first principles a formula relating the discharge to the upstream water level, and estimate the discharge when the upstream water surface is 228 mm above the level of the base of notch. Assume that $C_{d}=0.6$ and that the velocity of approach is negligible.
7. Ignoring friction losses, calculate the magnitude and the direction of resultant force exerted on the bend when water discharges at the atmosphere as shown in figure below. Both nozzles discharge water with a velocity of $15 \mathrm{~m} / \mathrm{sec}$. The axes of systems are lie in a horizontal plane.

8. Define boundary layer concept with sketch. Explain clearly the phenomenon of boundary layer separation and how it can be prevented.
9. Find the expression for pressure and friction drags. What do you understand by a streamline body? Give some examples of streamline body.
10. Explain the laws of similarity between model and prototype. In a flow through a small orifice discharging freely into atmosphere under a constant head $(\mathrm{H})$, the flow discharge $(\mathrm{Q})$ depends on diameter of pipe ( d ), constant head, dynamic viscosity $(\mu)$, density of fluid ( $\rho$ ) and acceleration due to gravity ( g ). Using Rayleigh's methods develop the relation in terms of non-dimensional terms.

| 02 | TRIBHUVAN UNIVERSITY | Exam. | New Back (2066 \& Later Batch) |  |  |
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| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |  |
| Examination Control Division | Programme | BCE, B. Agri. | Pass Marks | 32 |  |
|  | 2073 Shrawan | Year/Part | II/I | Time | 3 hrs. |

## Subject: - Fluid Mechanics (CE505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Explain the determination of viscosity by viscometer. A pressure vessel has an internal volume of $0.5 \mathrm{~m}^{3}$ at atmospheric pressure. It is desired to test the vessel at 3000 bar by pumping water into it. The estimated variation in the change of the empty volume of the container due to pressurization to 3000 bar is 0.6 percent. Calculate the mass of water to be pumped into the vessel to attain the desired pressure level given the bulk modulus of water as 2000 Mpa .
2. Define absolute and gauge pressure. Determine (i) the gauge pressure reading on the pressure gauge and (ii) the height h , of the mercury monometer. Take liquid density $=800$ $\mathrm{kg} / \mathrm{m}^{3}$, vapour pressure $=120 \mathrm{Kpa}(\mathrm{abs})$ and atmospheric pressure $=101 \mathrm{kpa}(\mathrm{abs})$.

3. a) Find the resultant pressure force on curved surface ABCDE due to liquid with specific gravity $\mathrm{S}=1.1$ take length of the curved surface (normal to the paper as 20 m .)

b) The $U$-tube $A B$ and $C D$ shown in figure below filled with water. The tube $A B$ is sealed where as tube $C D$ is open to atmosphere. Find the pressure intensities at the points $A, B$ and $C$ where it is rotating with axis $Y: Y$ with uniform rotation of 60 rpm .

c) What are the importance of Metacentre? How do you determine the metacentric height of a rectangular vessel in laboratory?
4. Velocity vector of flow field is given by $\vec{V}=2 x^{3} \vec{i}-6 x^{2} y \vec{j}$. Determine the equation of stream line. Also determine expression of $\psi$ and $\phi$.
5. Integrate Euler's equation along a streamline and obtain Bernoulli's equation (No derivation of Euler equation required). What will be the Bernoulli's equation between two points where there are head losses, work done by a machine (turbine) and energy supplied by the machine (pump) between those points.
6. a) What is Cippoletti notch? A tank of area $A$ is provided with an arifice 40 mm in diameter at its bottom. Water flows into tank at a uniform rate from the top and is discharged through the orifice. It is found that when the head of the water over the orifice is 0.68 m , the water surface rose at $0.0014 \mathrm{~m} / \mathrm{sec}$. but, when the head of water is 1.24 m , the water surface rose at $0.00062 \mathrm{~m} / \mathrm{sec}$. Find the rate of inflow and the cross-sectional area of the tank. Take $\mathrm{C}_{\mathrm{d}}=0.62$.
b) A venturimeter is to be fitted in a horizontal pipe of 0.15 m diameter to measure a flow of water which may be anything up to $240 \mathrm{~m}^{3} /$ hour. The pressure head at the inlet for this flow is 18 m above atmospheric and the pressure head at the throat must not be lower than 7 m below atmospheric. Between the inlet and the throat there is an estimated frictional loss of $10 \%$ of the difference in pressure head between these points. Calculate the minimum allowable diameter for the throat.
7. Define the concept of boundary layer. Explain the growth of boundary layer in a close canduit (pipe flow). Give three examples of use of boundary layer concept.
8. An aircraft weighting 1000 KN when empty has a wing area of $220 \mathrm{~m}^{2}$. It is to take off at a velocity of $300 \mathrm{Km} / \mathrm{hr}$ and a $20^{\circ}$ angle of attack. Determine the allowable weight of cargo and power required for the engine. Take density of air as $1.2 \mathrm{~kg} / \mathrm{m}^{3}$. Assume coefficient of lift for the wing at $20^{\circ}$, angle of attack as 1.42 and coefficient of drag as 0.17 .
9. List out the guiding rules for the choice of repeating variables in Buckingham $\pi$ method. Also state the rules that apply to form the groups of dimensionless $\pi$-term. A pipe line of 2 m diameter is to be designed to carry the oil at the rate of $5 \mathrm{~m}^{3} / \mathrm{s}$ with specific gravity 0.8 and viscosity of 0.042 poise. Test were conducted using a pipe of 20 cm diameter with water having viscosity of 0.01 poise. Calculate the velocity and rate of flow required for model.

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| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Cxamination Control Division | Programme | BCE, B. Agri. | Pass Marks | 32 |
| 2072 Chaitra | Year/Part | II / I | Time | 3 hrs . |

## Subject: - Fluid Mechanics (CE505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Explain the determination of viscosity by viscometer. A U-tube is made up of two capillaries of bores 1.5 mm and 2 mm respectively. The $U$ tube is held vertical and partially filled with liquid whose surface tension $\sigma=0.075 \mathrm{~N} / \mathrm{m}$. Find out the mass density of the liquid if the difference in two menisci is 2 mm . Assume angle of contact is zero.
2. Given: Container of mercury with vertical tubes $\mathrm{d}_{1}=39.5 \mathrm{~mm}$ Brass cylinder with $\mathrm{D}=37.5 \mathrm{~mm}$ and $\mathrm{H}=76.2 \mathrm{~mm}$ is introduced into larger tube, where it floats. Take $\mathrm{S}_{\text {brass }}=8.5$.


Find: (a) Pressure on bottom of cylinder
(b) New equilibrium level; h, of mercury
3. a) Find the resultant pressure force on curved surface $A B C D E$ due to liquid with specific gravity $S=1.25$ take length of the curved surface ( normal to the paper) as 10 m .

b) The $U$-tube shown in figure below is filled with water. It is sealed at $A$ and open to the atmosphere at $D$. The tube is rotated about vertical axis $A B$ at 1600 rpm . If the U tube is now spun at 300 rpm , what will the pressure be at $A$ ? If a small leaks appear at A, how much water will be lost at D ?

c) Explain the metacentre with appropriate diagram. Write down the steps for determining metacentric height in laboratory experiment.
4. a) Consider fully developed two-dimensional flow between two infinite parallel plates separated by distance $h$, with the both top and bottom plate stationary and forced pressure gradient $\frac{\mathrm{dP}}{\mathrm{dx}}$ driving the flow $\left(\frac{\mathrm{dP}}{\mathrm{dx}}\right.$ is constant and negative $)$. The flow is pressure gradient $\frac{\mathrm{dx}}{\mathrm{dx}}$ driving the flow $\left(\frac{\mathrm{dx}}{\mathrm{dx}}\right.$ is constant and negative $)$. The flow is
steady, incompressible and two-dimensional in $x-y$ plane. The velocity components are given by:
$u=\frac{1}{2 \mu} \frac{d P}{d x}\left(y^{2}-h y\right) ; \quad v=0$
Where $\mu$ is fluid's viscosity. Is this flow rotational or irrotational?
b) A steady, incompressible, two dimensional velocity field is given by

$$
\vec{V}=(1+2.5 x+y) \hat{i}+(-0.5-3 x-2.5 y) \hat{j}
$$

Where ' $x$ ' and ' $y$ ' are in $m$ and magnitude of velocity in $m / s$. Determine, if there are any stagnation points in this flow field and if so, where they are.
5. Develop Bernoulli's equation based on Euler's equation of motion. Explain the four applications of this principle in engineering.
6. a) Figure below shows a venturimeter with its axis vertical and arranged as a suction device. The throat area and the outlet area of the venturi are $0.00025 \mathrm{~m}^{2}$ and $0.001 \mathrm{~m}^{2}$ respectively. If the venturi discharges into the atmosphere, determine the minimum discharge in the venturi at which flow will occur up the suction pipe.

b) A sharp edged rectangular notch 30 cm long and a right-angled triangular notch are to be used alternatively for gauging a discharge estimated to be about $20 \mathrm{lit} / \mathrm{s}$. Find in each cases the percentage error in computing the discharge that would be introdnced by an error of 1 mm in observing the head over the Notch.
7. A $120^{\circ}$ bend-cum reducer has 300 mm diameter at inlet and 200 mm diameter at the outlet end. When the bend-cum reducer carries $0.30 \mathrm{~m}^{3} / \mathrm{s}$ of water, pressure at section 1 (inlet) is $210 \mathrm{KN} / \mathrm{m}^{2}$. Assume no energy losses in the bend and determine the components of force exerted by the bend on the flow. Assume the weight of the bend plus water in it to be 1500 N . Assume section 2 (outlet) to be 0.40 m above sections 1 (inlet).
8. Define the concept of boundary layer. Explain the growth of boundary layer along a thin plate, when liquid is flowing over it, both for laminar and turbulent flow. Give two examples of use of boundary layer concept.
9. A thin circular cylinder of infinite length is placed transversely in fluid stream, draw (Sketch only) the changes in flow pattern and drag coefficient with respect to variation in Reynold number. Define the terms associated with the Aerofoil with neat sketch.
10. a) Define distored model and its importance in model analysis.
b) A pipeline of 2 m diameter is to be designed to carry the oil at the rate $5 \mathrm{~m}^{3} / \mathrm{s}$ having sp.gr. 0.92 and viscosity $\mu=0.04$ poise. Tests were conducted using a pipe of 20 cm diameter and water as a liquid: Find the velocity and rate of flow required for the model pipe. Take $\mu($ water $)=0.01$ poise.

| 02 RIBHUVAN UNIVERSITY | Exam. | New Bach (2066 \& Later Batch) |  |  |
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| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE, B. Agri. | Pass Marks | 32 |
| 2072 Kartik | Year/Part | II/I | Time | 3 hrs . |

## Subject: - Fluid Mechanics (CES05)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.
$\checkmark$ Graph paper will be provided.

1. a) Explain the lab experiment to determine the viscosity of fluid using capillary tube viscometer.
b) Define compressibility of fluid.
2. Two U-tube manometers are upright and the other inverted type, are connected across a water line and an oil line as shown in figure below. If $h_{1}=5 \mathrm{~cm}$ what shall $\mathrm{h}_{2}$ be?

3. a) Given: Long, square wooden block pivoted on one edge, in equilibrium in water as shown. Friction in pivot is negligible.
Find: Specific gravity of the wood

b) A rigid gate is hinged at one end and is located between partitions in an open tank containing liquid ( $\mathrm{S}=1,5$ ) as shown in figure. A concrete block ( $\mathrm{Sp} . \mathrm{wt}=25 \mathrm{KN} / \mathrm{m}^{3}$ ) is to be hung from curve portion of gate. Determine the required volume of the block so that the reaction of the gate on the partition $A$ is zero. The gate is 0.75 m wide with a negligible weight and hinge is smooth.

4. Given: Velocity field $\vec{V}=(A x-B) \vec{i}-A y \vec{j} ; A=0.2 s^{-1}, B=0.6 \mathrm{~s}^{-1}, x$ in $m$.

Find: (a) Acceleration at $(x, y)=(2,4)$
(b) Plot of streamlines
5. Explain the physical meaning of terms in Bernoulli's energy equation. Also write the limitation of this equation.
6. a) A cylindrical tank of internal diameter 0.5 m , length 1.4 m and axis vertical has a 5 cm diameter sharp-edged orifice $\left(\mathrm{C}_{\mathrm{d}}=0.6\right)$ in the bottom, open to atmosphere. The tank is open at the top and empty. If water were admitted into the tank from above at a constant rate of 900 liters/minute, how long will it take to just fill the tank? How much water will escape through the orifice during that period?
b) A flow nozzle is a device inserted in to a pipe as shown in figure below. If $\mathrm{A}_{2}$ is the exit area of the flow nozzle, show that for incompressible flow we get for $Q$.
$\mathrm{Q}=\mathrm{C}_{\mathrm{d}}\left[\frac{\mathrm{A}_{2}}{\sqrt{1-\left(\mathrm{A}_{2} / \mathrm{A}\right)^{2}}} \cdot \sqrt{2 \mathrm{~g}\left(\frac{\mathrm{p}_{1}-\mathrm{p}_{2}}{\gamma}\right)}\right]$

7. The water tank in figure below stands on a frictionless cart and feeds a jet of diameter 3 cm and velocity $10 \mathrm{~m} / \mathrm{s}$ which is deflected $50^{\circ}$ by a vane. Compute the tension in the supporting cable.

8. Differentiate between boumdary layer thickness and displacement thickness. Derive an expression for the displacement thickness.
9. Define aerofoil with accepted terminology with neat sketch. A wing with a span of 22 m and $64 \mathrm{~m}^{2}$ planform area moves horizontally with a velocity of 760 kmhp . If the wing supports 280 KN . Find:
a) Required value of lift coefficient
b) Induced drag

Take density of air $=0.526 \mathrm{~kg} / \mathrm{m}^{3}$
10. List out the steps of Rayleigh's method used for dimensional analysis. In 1:20 model of a spillway, the velocity and discharge are $1.3 \mathrm{~m} / \mathrm{s}$ and $1.85 \mathrm{~m}^{3} / \mathrm{s}$. Compute the corresponding velocity and discharge in the prototype.

| 06 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERD | Exam. | New Bac | 66 | bitd |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE, B.Agri. | Pass Marks | 32 |
| 2071 Shawan | Year / Part | IIII | Time | 3 hrs . |

## Subject: - Fluid Mechanics (CE505)

[^2]1. Explain the determination of viscosity of fluid in lab using capillary tube viscometer. Show that the capillary rise of liquid of specific gravity $\gamma$ between two concentric glass tubes of radij $R_{1}$ and $R_{2}\left(R_{2}>R_{1}\right)$ and contact angle $\theta$ is given by $h=\frac{2 \sigma \operatorname{Cos} \theta}{\gamma\left(R_{2}-R_{y}\right)}$.
2. State Pascal's law of pressure distribution. A 0.02 m diameter manometer tube is connected to a 6 m diameter tank as shown in figure. Determine the density of the unknown liquid in the tank.

3. Figure shows a gate whose profile is given by $x=\sqrt{y}$. It holds water to a depth of 2 m behind it. If the width of gate is 5 m , determine the force $P$ required to hold the gate in place.

4. An oil tanker 3 m wide, 2 m deep and 10 m long contains oil of density $800 \mathrm{~kg} / \mathrm{m}^{3}$ to a depth of 1 m . Determine the maximum horizontal acceleration that can be given to the tanker such that the oil just reaches its top end. Further, if the tanker is closed completely with the oil and accelerated horizontally at $3 \mathrm{~m} / \mathrm{sec}^{2}$, determine the total liquid thrust on the front and rear ends and on one its
5. For the flow of an incompressible fluid, the velocity component in $x$ direction is $u=a x^{2}+$ by and velocity component in $z$-direction is $w=0$. Find the velocity component $v$ in $y$-direction such that $v=0$ at $y=0$. Also determine equation of stream fimction and velocity potential function.

$$
(2+2+2)
$$

6. A pump delivers $0.08 \mathrm{~m}^{3} / \mathrm{s}$ of water at $70 \mathrm{KN} / \mathrm{m}^{2}$ to a machine which is 6 m bigher than the reservoir surface.

The losses between the reservoir surface and machine imlet are estimated to be $7.5 \frac{V^{2}}{2 g}$ where V is the velocity of flow in 7.5 cm diameter delivery pipe from pump to machine. Determine the power required to derive pump if it is $80 \%$ efficient.
7. Prove that equation of head loss in venturimeter is given by $h_{L}=h\left(1-C_{d}^{2}\right)$, where $C_{d}$ is coefficient of discharge and $h$ is venturihead or piezometeric head.

## OR

Write a program to find the time required to empty the hemispherical tank from $\mathrm{H}_{1}$ level to $\mathrm{H}_{2}$ level. The program should display the times required to empty by each $\Delta \mathrm{H}$ level.
8. A broad crested weir of 50 m length has 50 cm height of water above its crest. Find the maximum discharge through the channel considering approach velocity when the channel has a flow depth 1 m and width 50 m on the upstream side of weir,
9. A reducing right angled bend lies in a horizontal plane. Water enters from section 1 with velocity 3 $\mathrm{m} / \mathrm{sec}$ with pressure 30 kPa and leaves towards section 2 as shown in figure below. The diameter at the entrance is 500 mm and the exit it is 400 mm . Neglecting any friction loss find the magnitude and direction of the resultant force on the bend.

10. Define boundary layer concept and its phenomenon. Write down the characteristics of boundary layer formation on a thin plate, kept in flowing liquid. Describe the viscous sub-layer and absolute roughness height; explain the use of this concept in engineering application.
11. a) Define airfoil with net sketch and also explain its importance.
b) Auto mobile having a projected area of $i .6 \mathrm{~m}^{2}$ and drag coefficient $C_{d}=0.35$ travels at a uniform speed of $60 \mathrm{Km} / \mathrm{hr}$ in still air of density $1.2 \mathrm{~kg} / \mathrm{m}^{3}$. Calculate the power required to overcome the air resistance. If the drag coefficient of the automobile is reduced by $15 \%$ by improving streamlining, what percentage. increase in speed could be obtained with the same power?
12. a) Explain the concept of Dimension Analysis by using Buckingham's $\Pi$-theorem and principle of selecting repeating variables.
b) Distinguish between undistorted and distorted model and their advantages. For Froude model law find the discharge and velocity scale ratios for distorted modelling.

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|  |  | leval | III: | Full Marks | 80 |
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|  | 2070 ('haiton | Y'an Pual | 11/1 | Time | 3 hrs |

## Subject. - Huid Mechamics ( $1: 50$ )

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All giuestions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. A disk of radius $r_{0}$ rotates at angular velocity $\omega$ inside an oil bath of viscosity $\mu$ as shown in figure below. Assuming a linear velocity profile and neglecting shear on the outer disk edges, derive an expression for the viscous torque on the disk.

2. A suction cup is used to support a plate of weight $W$ as shown in figure. For the condition shown, determine weight of plate $W$.

3. a) A block of wood having volume of $0.034 \mathrm{~m}^{3}$ and weighing 300 N is suspended in water as shown in figure below. A wooden rod of length 3.4 m and cross sectional area $2000 \mathrm{~mm}^{2}$ is attached to the weight and also to the wall. If the weight of rod is 16 N , what will angle $\theta$ be for equilibrium?


 cola he should drink before the ride begins, so that mone of it spills during the bip, drop, in which the roller coaster achieves 0.55 g acceleration at a $45^{\circ}$ angle below the borizontal. Make the calculation for him, neglecting sloshing and assuming that the glass is vertical at all times.
4. Given: Velocity field $\vec{V}=(A x-B) \hat{i}-A y \hat{j} ; A=0.2 S^{-1}, B=0.6 S^{-1} x$ in $m$

## Find:

a) General expression for acceleration of a fluid particle
b). Acceleration at $(x, y)=(0,4 / 3),(1,2)$ and $(2,4)$
c) Plot of streamines
d) Acceleration vectors on plot
5. If the velocity at point $A$ in ngure is $18 \mathrm{~m} / \mathrm{s}$, What is the pressure at point $B$ if we negiect friction?

6. a) A necked-down or venturi, section of a pipe flow develops a low pressure which can be used to aspirate fluid upward from a reservoir as shown in figure below. Using Bernouli's equation with no losses, derive an expression for the exit velocity $v_{2}$ that is just sufficient to cause the reservoir fluid to rise in the tube up to section 1 .

b) Derive an expression for the discharge over a triangular notch or weir.
7. Given: Reducing elbow shown Fluid is water.

Find: Force components needed to keep elbow from moving.

8. The velocity distribution in a laminar boundary layer on a flat plate is given by $\frac{u}{U}=a+b m+\mathrm{cm}^{2}+\mathrm{dm}^{3}$ Where $u=$ local velocity, $U=$ free stream velocity, $m=y / \delta, \delta$ $=$ boundary layer thickness. Find the coefficients $a, b, c$ and $d$ and compute the displacement thickness.
9. Given: Military aircraft with $M=8000 \mathrm{~kg}$, lands at $350 \mathrm{~km} / \mathrm{hr}$ and is slowed by a parachite wit $A=10 \mathrm{~m}^{2}$ area.
Find:
a) Estimate of time needed to slow to $200 \mathrm{~km} / \mathrm{hr}$
b) Maximum deceleration rate

Model the chiate as an open hemisphere.


Neglect drag of aircraft)
10. a) What is similitude? Explain kinematic and dynamic similanty.
b) Describe Reynold's and Froude's model law with their applications.

# 02 Rebhuvan binivenen: <br> INSTITUTE OF ENGINEERING <br> Examination Control Division <br> 2070 Chaitra 

| 8101 | BE | Full Marks | 80 |
| :---: | :---: | :---: | :---: |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | II/I | Time | 3 hrs : |

## Subject: - Surveying I (CE504)

$\checkmark$ Candidates are required to give their ansivers in their own words as far as practicable.
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$\checkmark$ The figures in the maratin melin wli CHII Dlurhs
$\checkmark$ Assume suitable dum if mocessiss:

1. a) Write the principles of survering.
b) A steel tape standardized in calcony condition at $200^{\circ}$ : lemperature and 12 kg pull was found to be 29.985 cm . A line measured with this tape under a pull of 16 kg and at a mean temperature of $28^{\circ} \mathrm{C}$ was found to be 680 m long. Assuming that the tape is supported at every 20 m length. Find the true length of the line given that cross sectional area of tape $=0.03 \mathrm{~cm}^{2}$, Young's modulus of elasticity, $\mathrm{E}=2.10 \times 10^{6} \mathrm{~kg} / \mathrm{cm}^{2}$, coefficient of linear expansion, $\alpha=11 \times 10^{-6} /{ }^{\circ} \mathrm{C}$ and weight of tape $=10 \mathrm{gm} / \mathrm{cc}$.
2. a) Explain fore bearing, back bearing, Magnetic bearing and true bearing.
b) In a traverse survey following FB and BB were recorded at a place where local attraction was suspected.

| Lines | AB | BC | CD | DE | EA |
| :---: | :---: | :---: | :---: | :---: | :---: |
| FB | $22^{\circ} 15^{\prime}$ | $39^{\circ} 30^{\prime}$ | $191^{\circ} 45^{\circ}$ | $330^{\circ} 15^{\circ}$ | $242^{\circ} 45^{\prime}$ |
| BE | $200^{\circ} 30^{\prime}$ | $222^{\circ} 30^{\circ}$ | $13^{\circ} 60^{\prime}$ | $147^{\circ} 45^{\prime}$ | $62^{\circ} 45^{\prime}$ |

Find the correct bearings and iucluded angles.
3. a) Explain recprocal and precise leveling.
b) During fly leveling the following note is made:

BS: $\quad 0.62,2.65,1.42,2.63$ and 2.42 m
FS: $\quad 2.44,1.35,0.53$ and 2.41 m
The first BS was taken on a BM of RL 1000.00 m . From the last BS it is required to set 4 pegs each at a distance of 30 m on a rising gradient of 1 in 200 . Enter these notes in the form of a level book and calculate the R. L. of the top of each peg by the rise and fall method. Also calculate the staff readings on each peg.
4. a) Explain Radiation and Intersection methods of plane table survey.
b) Compute the mean horizontal angles and adjust them if necessary:

| Inst.Station | Target Station | Horizontal circle Readings |  |
| :---: | :---: | :---: | :---: |
|  |  | F.L | F.R |
| 0 | A | $00^{\circ} 00^{\prime} 20^{\prime \prime}$ | $180^{\circ} 00^{\prime} 40^{\prime \prime}$ |
|  | B | $50^{\circ} 45^{\prime} 20^{\prime \prime}$ | $230^{\circ} 45^{\prime} 30^{\prime \prime}$ |
|  | C | $140^{\circ} 50^{\prime} 55^{\prime \prime}$ | $320^{\circ} 51^{\prime} 05^{\prime \prime}$ |
|  | D | $250^{\circ} 10^{\prime} 10^{\prime \prime}$ | $701000^{\circ}$ |

5. Write short notes on: (any two)
i) Trapezoidai and Simpon's $1 / 3$ rule
ii) Principle of olectronic distance measurement
iii) Principles of triangulation and trilateation

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| TITUTE OF ENGINEERING | Level | BE | Fail Marts | 80 |
| Examination Control Division | Programme | BCE, B. Agri. | Pass Pianks | 32 |
| 2070 Ashad | Year/Part | II/I | Time | 3 hrs . |

## Subject:- Fluid Mechanics (CE505)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Graph paper will be provided.
$\checkmark$ Assume suitable data if necessary.

1. What is continnum conicept in fluid? Explain the cavitation phenonena.
2. Compute the pressure of water flowing through a pipe shown in the figure below.

3. Gate AB in figure below is a honogeneous mass of $180 \mathrm{~kg}, 1.2 \mathrm{~m}$ wide into the paper, resting, on smooth bottom $B$. For what depth $h$ will the force at point $B$ be zero?

4. A very tall 10 cm diameter vase contans $1178 \mathrm{~cm}^{3}$ of water. When spun steadily to achieve rigid body rotation, a 4 cm diameter dry spot appears at the bottom of the vase. What is the rotation rate, in rev/min, for this condition?
5. The $x$ - and $y$-components of fluid velocity in a two-dimensional flow field are $u=x$ and $v=-\mathrm{y}$ respectively. Determine the stream function and plot the stream lines for $\varphi=1,2,3$
6. From Ever's equation, derive the Bemoullis equation.
7. Derive an expression which calculates time required to completely emptying the hemin
full at the beginning. spherical tank which was full at the beginning.
8. A turbine is set 43 m below water level of a reservoir and is fed by a 60 cm diameter pipe as shown in figure below. A short pipe of 45 cm diameter discharges we water at a rate of $0.9 \mathrm{~m}^{3} / \mathrm{s}$ from the turbine to the atmosphere. If the toul loss of head is 3 m of oil of sp.g. $\overline{0} .9$ and the turbine efficiency is $85 \%$, find the power output of the turbine.

9. A flat plate is stuck normally by a jet of water 50 mm in diameter with a velocity of 18 $\mathrm{m} / \mathrm{s}$. Calculate (3) the force on wee plate when it is stationary (b) the force on the plate when it moves is the same direction as the jet with a velocity of $6 \mathrm{~m} / \mathrm{s}$.
 systems 12 .
10. The laminar boundary layer profile in a case is approximated by a cubic parabola as,
 $\mathrm{i} \rightarrow \mathrm{U}$. Calculate the displacement thickness and momenturn thickness in terms of $\delta$ and workout the shear sites at the surface.
11. A kite has 3 n effective area of $0.6 \mathrm{~m}^{2}$ and mass 0.4 kg . It experiences a drag of 15 N in a wind speck of toknhr. Determine (a) the tension in we chord if it makes an angel $45^{\circ}$ with the hormonal (b) lift wenticent for the kit, consider the density of ait $1.2 \mathrm{k} / \mathrm{m}^{3}$. $[1+2+5]$
12. The force $F$ on a circular cylinder depends on the free stream velocity $V$, the diameter of the cylinder D , density of the fluid $\rho$, viscosity of the fluid $\mu$ and time t . By using Buckingham's $\pi$ theorem, show that $F=\rho V^{2} D^{2} \phi\left(\frac{\mu}{\rho V D}, \frac{V t}{D}\right)$. Take $\rho, V$ and $D$ as repeating variables.

TRIBHUVAN UNIVERSITY
INSTITUTE OF ENGINEERING
Examination Control Division 2079 Bhadra

| Exam. | BE | Regular |  |
| :--- | :--- | :--- | :--- |
| Level | Full Marks | 80 |  |
| Programme | All (Except BAR) | Pass Marks | 32 |
| Year / Part | II $/ \bar{I}$ | Time | 3 hrs |

## Subject: - Engineering Mathematics III (SH 501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Prove that $\left|\begin{array}{cccc}a^{3} & 3 a^{2} & 3 a & 1 \\ a^{2} & a^{2}+2 a & 2 a+1 & 1 \\ a & 2 a+1 & a+2 & 1 \\ 1 & 3 & 3 & 1\end{array}\right|=(a-1)^{6}$ by using properties of determinate.
2. Define transpose of a matrix. Prove that the transpose of the product of two matrices is the product of their transpose taken in reverse order.
3. Find the rank of the matrix $\left[\begin{array}{cccc}1 & 0 & -5 & 6 \\ 3 & -2 & 1 & 2 \\ 3 & -2 & -9 & 14 \\ 4 & -2 & -4 & 8\end{array}\right]$ by reducing it into normal form.
4. State Cayley-Hamilton Theorem. Use it to find the inverse of the matrix:

$$
\left[\begin{array}{ccc}
1 & 1 & 3 \\
1 & 3 & -3 \\
2 & -4 & -4
\end{array}\right]
$$

5. Prove that the line integral $\int_{C} \vec{F} \cdot d \vec{r}$ of a continuous vector function $\vec{F}$ defined in a region $R$ is independent of the path $C$ joining any two points in $R$ if and only if there exists a single valued scalar function $\phi$, having first order partial derivatives such that $\vec{F}=\nabla \phi$.
6. Evaluate $\iint_{S} \vec{F} \cdot \vec{n}$ ds where $\vec{F}=y^{2} z^{2} \vec{i}+z^{2} x^{2} \vec{j}+x^{2} y^{2} \vec{k}$ and $S$ is the surface of the sphere $x^{2}+y^{2}+z^{2}=1$ above the $x y$-plane.
7. Apply Green's theorem in plane to evaluate, $\int_{c} \vec{F} \cdot d \vec{r}$ where $\vec{F}=\left(x^{2}-x y^{3}\right) \vec{i}+\left(y^{2}-2 x y\right) \vec{j} \quad$ and $C$ is a square with vertices $(0,0),(2,0),(2,2)$, $(0,2)$.
8. Verify the stroke's theorem for $\vec{F}=\left(x^{2}+y^{2}\right) \vec{i}-2 x y \vec{j}$ taken round the rectangle bounded by the lines $x= \pm a, y=0, y=b$.
9. Define Laplace transform of function $f(t)$. Find the Laplace transform of
a) $t e^{-4 t} \sin 3 t$
b) $\frac{1-e^{t}}{t}$
10. Find the inverse Laplace transform of:
a) $\frac{s^{2}}{(s+2)^{3}}$
b) $\tan ^{-1} \frac{2}{s}$
11. Solve the following initial value problem by using Laplace transform
$y^{\prime \prime}+2 y^{\prime}-3 y=\sin t, y(0)=y^{\prime}(0)=0$.
12. Find the Fourier series of the function $f(x)=\frac{(\pi-x)^{2}}{4}$ in the interval $0 \leq x \leq 2 \pi$.
13. Obtain the half-range Fourier cosine series of $\sin x$ in the interval $0 \leq x \leq \pi$.
14. Solve the linear programming problem maximize by simplex method

Maximize: $Z=10 x_{1}+x_{2}+2 x_{3}$
Subject to: $x_{1}+x_{2}-2 x_{3} \leq 10$
$4 x_{1}+x_{2}+x_{3} \leq 20$
and $x_{1}, x_{2}, x_{3} \geq 0$.
15. Solve the linear programming probiem by simplex method using two phase method:

$$
\begin{aligned}
& \text { Maximize } Z=3 x_{1}-x_{2} \\
& \text { Subject to } 2 x_{1} \div x_{2} \geq 2 \\
& \qquad \begin{aligned}
x_{1}+3 x_{2} \leq 2 \\
x_{2} \leq 4 ; x_{1}, x_{2} \geq 0 .
\end{aligned}
\end{aligned}
$$

TRIBHUVAN UNIVERSITY
INSTITUTE OF ENGINEERNG
Examination Control Division 2079 Baishakh

| Exam. | Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | All (Except BAR) | Pass Marks | 32 |
| Year /Part | II/I |  | Time |

## Subject: - Engineering Mathematics III (SH 501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Applying properties of determinant, prove that $\left|\begin{array}{lll}a & b & a \\ a & b & a \\ b & b & b \\ a & a & a\end{array}\right|=-(b-a)^{4}$.
2. Prove that every square matrix can be uniquely expressed as the sum of symmetric and skew-symmetric matrices.
3. Find the rank of the augmented matrix and test the consistency of the system of linear equations $x+9 y-z=27, x-8 y+16 z=10,2 x+y+15 z=37$. Also find the solution if the system is consistent.
4. State Cayley-Hamilton theorem and use it to find the inverse of the matrix:

$$
\left[\begin{array}{rrr}
-2 & 2 & -3 \\
2 & 1 & -6 \\
-1 & -2 & 0
\end{array}\right]
$$

5. If $\overrightarrow{\mathrm{F}}=3 x^{2} y z^{2} \overrightarrow{\mathrm{i}}+\mathrm{x}^{3} z^{2} \overline{\mathrm{j}}+2 x^{3} y z \overrightarrow{\mathrm{k}}$, show that $\int_{\mathrm{c}} \overrightarrow{\mathrm{F}}$.dr is independent of the path of integration.

Hence evaluate the integral on any path C from P: $(0,0,0)$ to $Q:(1,2,3)$.
6. Evaluate the flux of $\vec{F}=\left(x+y^{2}\right) \hat{i}-2 x \hat{j}+2 y z \hat{k}$ over the surface of the plane $2 x+y+2 z=6$ lying in the first octant.
7. State and prove the Green's theorem in plane.
8. State stoke's theorem. Apply it to evauate $\iint_{S}(\nabla \times \vec{F}) \vec{n}$ ds where $\vec{F}=(2 x-y) \dot{i}-y z^{2} \dot{j}-y^{2} z \vec{k}$, $S$ is the upper half surface of the sphere $x^{2}+y^{2}+z^{2}=a^{2}$ and $C$ is its boundary.
9. Find the Laplace transform of: (i) Sinhat $\operatorname{Cosbt}$ (ii) $\frac{e^{-a t}-e^{-b t}}{t}$
10. What do you mean by convolution of two functions $f(t)$ and $g(t)$ ? Hence or otherwise find the inverse Laplace transform of $\frac{s^{2}}{\left(s^{2}+4\right)\left(s^{2}+9\right)}$
11. Using laplace transform, solve the initial value problem:

$$
\begin{equation*}
y^{\prime \prime}+2 y^{\prime}+2 y=5 \sin x, y(0)=y^{\prime}(0)=0 . \tag{5}
\end{equation*}
$$

12. Find the Fourier series to represent $f(x)=x-x^{2}$ from $-\pi$ to $\pi$ and deduce that:

$$
\begin{equation*}
\frac{\pi^{2}}{12}=\frac{1}{1^{2}}-\frac{1}{2^{2}}+\frac{1}{3^{2}}-\frac{1}{4^{2}}+\cdots \tag{5}
\end{equation*}
$$

13. Find half range sine as well as cosine series for $f(x)=e^{x}$ in $(0,2)$.
14. Solve the following LPP by the simplex method:

Maximize, $\mathrm{P}=-\mathrm{X}_{1}+2 \mathrm{x}_{2}$
Subject to :

$$
\begin{gathered}
-x_{1}+x_{2} \leq 2 \\
-x_{1}+3 x_{2} \leq 12 \\
x_{1}-4 x_{2} \leq 4 \\
x_{1} \geq 0, x_{2} \geq 0
\end{gathered}
$$

15. Solve the following LPP by Big-M, method:

Maximize, $\mathrm{P}=2 \mathrm{x}_{1}+5 \mathrm{x}_{2}$
Subject to:

$$
\begin{aligned}
& x_{1}+2 x_{2} \leq 18 \\
& 2 x_{1}+x_{2} \leq 21 \\
& x_{1}+x_{2} \geq 10 \\
& x_{1} \geq 0, x_{2} \geq 0
\end{aligned}
$$

| Exam | Regular |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | All (Except BAR) | Pass Marks | 32 |
| Year / Part | II $/$ II | Time | 3 hrs. |

Subject:-Engineering Mathematics III (SH 501)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Use the Properties of determinant to show that:
$\left|\begin{array}{ccc}(a+b)^{2} & c a & b c \\ c a & (b+c)^{2} & a b \\ b c & a b & (c+a)^{2}\end{array}\right|=2 a b c(a+b+c)^{3}$
2. Define Hermitian and Skew-Hermitian of a square complex matrix. If $A$ is any square matrix, prove that $A+A^{*}$ is Hermitian and $A-A^{*}$ is Skew - Hermitian matrix.
3. Test the consistency of the system by matrix rank method and solve it completely if consistent:
$x+2 y-z=0,2 x+3 y+z=10,3 x-y-7 z=1$
4. Find the eigenvalues of the matrix $A \doteq\left[\begin{array}{ccc}1 & 0 & -1 \\ 1 & 2 & 1 \\ 2 & 2 & 3\end{array}\right]$ and use them to compute
(i) eigenvalues of A-1
(ii) determinant of $A$
$[2+1+1+1]$
(iii)eigenvalues of adj A
Por

Evaluate $\int_{C} \vec{F} \cdot d r$ where $\vec{F}=\operatorname{Sinyi}+x(1+\cos y) \vec{j}$ and $C$ is the circular path given by $x^{2}+$ $y^{2}=a^{2}, z=0$.
6. Evaluate $\iint_{S} \vec{F} \cdot \vec{n}$ ds where $\vec{F}=y z \vec{i}+z x \vec{j}+x y \vec{k}$ where $S$ is the surface of the sphere $x^{2}+y^{2}+z^{2}=1$ in the first octant.
7. Apply Green's Theorem in plane to compute the area of the curve $\left(\frac{x}{a}\right)^{2 / 3}+\left(\frac{y}{b}\right)^{2 / 3}=1$.
8. State Gauss divergence theorem in vector calculus. Apply it to evaluate $\iint_{S}\left[\left(x^{3}-y z\right) \dot{i}-2 x^{2} y \dot{j}+2 \vec{k}\right]$. $\vec{n}$ ds where $S$ denote the surface of the cube bounded by the planes $x=0, x=a, y=0, y=a, z=0, z=a$.
9. State the condition for existence property of Laplace transform. Find the Laplace transform of: (a) $\frac{1}{\sqrt{t}}$
(b) $\frac{1-\cos 2 t}{t}$
10. State the convolution theorem for inverse Laplace transform and use it to find the inverse Laplace transform of $\frac{s}{\left(s^{2}+1\right)\left(s^{2}+4\right)}$.
11. Solve the initial value problem by applying Laplace transform:

$$
\begin{equation*}
y^{\prime \prime}-10 y^{\prime}+9 y=5 t, y(0)=-1, y^{\prime}(0)=2 \tag{5}
\end{equation*}
$$

12. Obtain the Fourier series of $f(x)=x+x^{2}$ in $-\pi \leq x \leq \pi$.
13. Express $f(x)=x^{2}$ as a half-range sine series in $0<x<3$.
14. Solve following LPP by the Simplex method:

Maximize, $P=x_{1}+x_{2}$
Subject to: $2 x_{1}+x_{2} \leq 16$
$x_{1} \leq 6$
$x_{2} \leq 10$
$x_{1} \geq 0, x_{2} \geq 0$
[8]
15: Solve following LPP by the Dual Method:
Minimize, $C=21 x_{1}+50 x_{2}$
Subject to: $2 x_{1}+5 x_{2} \geq 12$
$3 x_{1}+7 x_{2} \geq 17$
$\mathrm{x}_{1} \geq 0, \mathrm{x}_{2} \geq 0$

| TRIBHUVAN UNIVERSITY | Exam. |  | ack |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | All (Except BAR) | Pass Marks | 32 |
| 2078 Kartik | Year / Part | II /I | Time | 3 hrs . |

## Subject: - Engineering Mathematics III (SH 501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. If $\left|\begin{array}{lll}a & a^{2} & a^{3}-1 \\ b & b^{2} & b^{3}-1 \\ c & c^{2} & c^{3}-1\end{array}\right|=0$; where $a \neq b \neq c$, apply the properties of determinants to show $a b c=1$.
2. Define an orthogonal matrix. Prove that the product of two orthogonal matrices of the same order is also orthogonal.
3. For the matrix $=\left[\begin{array}{ll}5 & 4 \\ 1 & 2\end{array}\right]$, find the modal matrix and the corresponding diagonal matrix.
4. State Cayley-Hamilton theorem and verify the theorem for the square matrix $A=\left[\begin{array}{lll}1 & 3 & 7 \\ 4 & 2 & 3 \\ 1 & 2 & 1\end{array}\right]$.
5. Prove that "for any simple closed curve $C$, the line integral $\int_{A}^{B} \vec{F}$. $d \vec{r}$ is independent of the path joining the points $A$ and $B$ in the region if and only if $\int_{C} \vec{F} \cdot d \vec{r}=0$.
6. State Green's theorem in the plane. Using Green's theorem find the area of the hypocycloid $\left(\frac{x}{a}\right)^{2 / 3}+\left(\frac{y}{b}\right)^{2 / 3}=1$.
7. Evaluate $\iint_{S} \vec{F} . \vec{n}$ ds by Gauss' divergence theorem, where $\vec{F}=x \vec{i}-y \vec{j}+\left(z^{2}-1\right) \vec{k}$ and $S$ is the cylinder formed by the surfaces $x^{2}+y^{2}=4, z=0, z=1$.
8. Verify Stoke's theorem for $\vec{F}=\left(x^{2}-y^{2}\right) \vec{i}+2 x y \vec{\jmath}$ taken over the rectangular bounded by the lines $x=0, x=a, y=0, y=b$.
9. Define Laplace transform of $f(t)$. Find the Laplace transform of:
a) $t e^{-t} \cosh t$
b) $\frac{\operatorname{Sin} t \operatorname{Sin} 5 t}{t}$
$[1+1.5+2.5]$
10. Find the inverse Laplace transform of:
a) $\quad \log \frac{\mathrm{S}}{\mathrm{S}+1}$
b) $\frac{1}{(\mathrm{~S}-2)\left(\mathrm{S}^{2}+1\right)}$
[2.5+2.5]
11. Solve the initial value problem $y^{\prime \prime}+4 y^{\prime}+3 y=0, y(0)=3, y^{\prime}(0)=1$ by using Laplace transform.
12. Find the Fourier series of $f(x)=2 x-x^{2}$ in $(0,2)$.
13. Obtain the half range sine series for $f(x)=e^{x}$ in $0<x<1$.
14. Use Simplex method to solve following LPP:

Maximize, $\mathrm{P}=50 \mathrm{x}_{1}+80 \mathrm{x}_{2}$
Subject to: $x_{1}+2 x_{2} \leq 32$

$$
\begin{gathered}
3 x_{1}+4 x_{2} \leq 84 \\
x_{1}, x_{2} \geq 0
\end{gathered}
$$

15. Solve the following LPP by using big M method:

Maximize, $P=2 x+y$
Subject to: $x \div y \leq 10$

$$
\begin{aligned}
& -x+y \geq 2 \\
& x, y \geq 0
\end{aligned}
$$

| TRIBHUVAN UNIVERSITY | Exam. |  | ular |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGNEERNNG | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | All (Except BAR) | Pass Marks | 32 |
| 2076 Chaitra | Year/Part | I/I | Time | 3 hrs . |

## Subject: - Engineering Mathematics III (SH 501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions,
$\checkmark$ The figures in the margin indicate Fult Marks.
$\checkmark$ Assume suitable data if necessary.

1. Prove that $\left|\begin{array}{ccc}1+a^{2}-b^{2} & 2 a b & -2 b \\ 2 a b & 1-a^{2}+b^{2} & 2 a \\ 2 b & -2 a & 1-a^{2}-b^{2}\end{array}\right|=\left(1+a^{2}+b^{2}\right)^{3}$ by using the properties of determinants.
2. Prove that every square complex matrix can uniquely be expressed as a sum of a Hermitian and a skew-Hermitian matrix.
3. Reduce the matrix $\left[\begin{array}{cccc}1 & 0 & -5 & 6 \\ 3 & -2 & 1 & 2 \\ 5 & -2 & -9 & 14 \\ 4 & -2 & -4 & 8\end{array}\right]$ into normal form and hence find its rank.
4. Find the eigen values and eigen vectors of the matrix $\left[\begin{array}{ccc}2 & 0 & 1 \\ 0 & 2 & -1 \\ 0 & 0 & 2\end{array}\right]$ and also fnd its modal matrix.
5. If $\vec{F}=3 x^{2} y z^{2} \vec{i}+x^{3} z^{2} \vec{j}+2 x^{3} y z \vec{k}$, show that $\int_{c} \vec{F} \cdot d \vec{r}$ is independent of the path of integration. Hence evaluate the integral on any path $C$ from $(0,0,0)$ to $(1,2,3)$.
6. Verify Green's Theorem in plane for $\int_{c}[(x-y) d x+(x+y) d y]$ where $c$ is the boundary of the region enclosed by $y^{2}=x$ and $x^{2}=y$.
7. Evaluate $\iint_{\mathrm{S}} \overrightarrow{\mathrm{F}}$. nds where $\overrightarrow{\mathrm{F}}=4 \mathrm{x} \overrightarrow{\mathrm{i}}-2 \mathrm{y}^{2} \vec{j}+z^{2} \vec{k}$ taken over the region bounded by the cylinder $\mathrm{x}^{2}+\mathrm{y}^{2}=4$ and the planes $\mathrm{z}=0, \mathrm{z}=3$.
8. Evaluate $\int_{c} \vec{F} \cdot d \vec{r}$, where $c$ is the rectangle bounded by the lines $x= \pm a, y=0, y=n$ and $\vec{F}=\left(x^{2}+y^{2}\right) \vec{i}-2 x y \vec{j}$.
9. State the condition for existence of Laplace transform. Obtain the Laplace transform of:
a) $\cos ^{3} 2 t$
(b) $\frac{\cos a t-\cos b t}{t}$
10. Find the inverse Laplace transform of:
a) $\frac{s+3}{\left(s^{2}+6 s+13\right)^{2}}$
b) $\frac{e^{-2 s}}{(s+1)\left(s^{2}+2 s+2\right)}$
11. Solve the differential equation $y^{\prime \prime}+2 y^{\prime}-3 y=\sin t$ under the conditions $y(0)=y^{\prime}(0)=0$ by using Laplace transform.
12. Obtain the Fourier series to represent the function $f(x)=e^{x}$ for $-\pi \leq x \leq \pi$.
13. Obtain the half range cosine series for the function $f(x)=x \sin x$ in the interval $(0, \pi)$.
14. Use Simplex method to solve following LPP:

Maximize, $P=30 x_{1}+x_{2}$
Subject to: $2 x_{1}+x_{2} \leq 10$

$$
\begin{gather*}
x_{1}+3 x_{2} \leq 10 \\
x_{1}, x_{2} \geq 0 \tag{7}
\end{gather*}
$$

15. Use Big M method to solve following LPP:
i6. Minimize, $Z=4 x_{1}+2 x_{2}$
Subject to: $3 x_{1}+x_{2} \geq 27$

$$
\begin{gathered}
-x_{1}-x_{2} \leq-21 \\
x_{1}+2 x_{2} \geq 30 \\
x_{1}, x_{2} \geq 0
\end{gathered}
$$

## tribhuvan university <br> INSTITUTE OF ENGINEERNG <br> Examination Control Division 2076 Ashwin

| Exam. | Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | All except BAR | Pass Marks | 32 |
| Year/ Part | II /I | Time | 3 hrs. |

## Subject: - Engineering Mathematics III (SH 501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Prove that: $\left|\begin{array}{ccc}(b+c)^{2} & c^{2} & b^{2} \\ c^{2} & (c+a)^{2} & a^{2} \\ b^{2} & a^{2} & (a+b)^{2}\end{array}\right|=2(a b+b c+c a)^{2} \quad$.
2. Prove that the necessary and sufficient condition for a square matrix $A$ to possess an inverse is that $|A| \neq 0$.

$$
\left[\begin{array}{cccc}
2 & -2 & 0 & 6  \tag{5}\\
4 & 2 & 0 & 2 \\
1 & -1 & 0 & 3 \\
1 & -2 & 1 & 2
\end{array}\right] \text { by reducing it to normal form. }
$$

4. State any two properties of eigen values of a matrix. Obtain eigen values and eigen vectors of the matrix $\left[\begin{array}{ccc}-2 & 2 & -3 \\ 2 & 1 & -6 \\ -1 & -2 & 0\end{array}\right]$
5. Prove that the line integral $\int_{A}^{B} \vec{F} \cdot d r$ is independent of path joining any two points $A$ and $B$ in the region if and only if $\int_{C} \vec{F} \cdot d \vec{r}=0$ for any simple closed curve $C$ in the region.
6. State Green's Theorem and use it to find the area of the curve $\left(\frac{x}{a}\right)^{2 / 3}+\left(\frac{y}{b}\right)^{2 / 3}=1$.
7. Use Gauss' divergence theorem to evaluate $\iint_{s} \vec{F} \cdot \vec{n} d s$ where $\vec{F}=(2 x y+z) \vec{i}+y^{2} \bar{j}-(x+3 y) \vec{k}$ and $S$ is the surface bounded by the plane $2 x+3 y+z=6$, $x=0, y=0, z=0$.
8. Verify Stoke's Theorem for the vector field $\overrightarrow{\mathrm{F}}=(2 \mathrm{x}-\mathrm{y}) \overrightarrow{\mathrm{i}}-y \mathrm{z}^{2} \overrightarrow{\mathrm{j}}-\mathrm{y}^{2} \mathrm{z} \overrightarrow{\mathrm{k}}$ over the upper half of the sphere $x^{2}+y^{2}+z^{2}=1$ bounded by its projection on $x y-p l a n e$.
9. Find the Laplace transform of:
i) $t^{2} \cos a t$
ii) $\frac{1-\cosh (a t)}{t}$
10. Find the inverse Laplace transform of:
i) $\frac{e^{-\pi s}(s+1)}{s^{2}+2 s+2}$
ii) $\tan ^{-1} \frac{2}{s}$
11. Solve the differential equation $y^{\prime \prime}+3 y^{\prime}+2 y=e^{*}, y(0)=y^{\prime}(0)=0$ by applying Laplace transform.
12. Find the Fourier Series of the function $f(x)=|\sin x|$ for $-\pi \leq x \leq \pi$.
13. If $f(x)=l x-x^{2}$ in $(0,1)$, show that the half range sine series for $f(x)$ is $\frac{81^{2}}{\pi^{3}} \sum_{n=0}^{\infty} \frac{1}{(2 n+1)^{3}} \sin (2 n+1) \frac{\pi x}{1}$.
14. Find the maximum and minimum values of the function $z=20 x+10 y$ subject to: $x+2 y \leq 40$, $3 x+y \geq 30,4 x+3 y \geq 60, x, y \geq 0$ by graphical method.
15. Solve the following linear programming problem using big $M$ method:

Maximize $\mathrm{P}=2 \mathrm{x}_{1}+5 \mathrm{x}_{2}$
subject to : $x_{1}+2 x_{2} \leq 18$

$$
2 x_{1}+x_{2} \geq 21
$$

| TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING Examination Control Division 2075 Chaitra | Exam. | Regular / 3ack |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 80 |
|  | Programme | All except BAR | Pass Marks | 32 |
|  | Year/Part | II/I | Time | 3 hrs . |

## Subject: - Engineering Math III (SH 501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. If $\left|\begin{array}{lll}a & a^{2} & a^{3}-1 \\ b & b^{2} & b^{3}-1 \\ c & c^{2} & c^{3}-1\end{array}\right|=0$, where $a \neq b \neq c$ show that $a b c=1$.
2. If $A$ is a square matrix of order $n$, prove that $A(\operatorname{adj} . A)=(\operatorname{adj} . A) A=|A| I_{n}$, where $I_{n}$ is a unit matrix having same order as A.
3. Test the consistency of the system by matrix rank method and solve completely if found
consistent: $x+2 y-z=3,2 x+3 y+z=10,3 x-y-7 z=1$
4. State Cayley-Hemilton Thorem and verify it for the matrix $\mathrm{A}=\left[\begin{array}{ccc}1 & 0 & -1 \\ 1 & 2 & 1 \\ 2 & 2 & 3\end{array}\right]$
5. A vector field is given by $\vec{F}=\sin y \bar{i}+x(1+\cos y) \vec{j}$. Evaluate the line integral $\int_{c} \vec{F} . d \vec{r}$ over
the circular path c given by $x^{2}+y^{2}=a^{2}$. the circular path $c$ given by $x^{2}+y^{2}=a^{2}, z=0$.
6. State and prove Green's Theorem in plane.
7. Evaluate $\iint_{s} \vec{F} \cdot \vec{n} d s$ for $\vec{F}=y z \vec{i}+z x \bar{j}+x y \vec{k}$ where $S$ is the surface of the sphere $x^{2}+y^{2}+z^{2}=1$ in the first octant.
8. State Stoke's theorem. Evaluate $\oint_{c}\left(x y d x+x y^{2} d y\right)$ by Stoke's theorem taking $c$ to be a square in the $x y$-plane with vertices $(1,0),(-1,0),(0,1)$ and $(0,-1)$.
9. Find the Laplace transform of :
i) $t e^{-t}$ sint
ii) $\frac{\cos 2 t-\cos 3 t}{t}$
10. Find the inverse Laplace transform of:
i) $\frac{s+2}{(s+1)^{4}}$
ii) $\cot ^{-1}(s+1)$
11. Solve the differential equation $y^{\prime \prime}+y=\sin 3 t, y(0)=y^{\prime}(0)=0$ by using Laplace transform.
12. Define Fourier Series for a function $f(x)$. Obtain Fourier series for $f(x)=x^{3} ;-\pi \leq x \leq \pi$.
13. Express $f(x)=e^{x}$ as the half range Fourier Sine series in $0<x<1$.
14. Find the maximum and minimum values of the function $z=50 x_{1}+80 x_{2}$ subject to: $x_{1}+$ $2 x_{2} \leq 32,3 x_{1}+4 x_{2} \leq 84, x_{1} x_{2} \geq 0$; by graphical method.
15. Solve the following Linear Programming problem using big $M$ method:
Maximize $P=2 x_{1}+x_{2}$

Subject to: $\mathrm{x}_{1}+\mathrm{x}_{2} \leq 10$

$$
-x_{1}+x_{2} \geq 2
$$

$$
x_{1}, x_{2} \geq 0
$$

## TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING Examination Control Division 2075 Ashwin

| Exam. | Back : |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | All(Except B.Arch.) | Pass Marks | 32 |
| Year/Part | II/I | Time | $\mathbf{3}$ hrs. |

## Subject: - Engineering Mathematics III (SH501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Define the determinant as a function and using its properties. Show that

$$
\left|\begin{array}{lll}
b+c & c+a & a+b \\
q+r & r+p & p+q \\
y+z & z+x & x+y
\end{array}\right|=2\left|\begin{array}{lll}
a & p & x \\
b & q & y \\
c & r & z
\end{array}\right|
$$

2. If $A$ and $B$ are orthogonal matrices of same order, prove that the product $A B$ is also orthogonal.
3. Test the consistency of the system $x-2 y+2 z=4,3 x+y+4 z=6$ and $x+y+z=1$ and solve completely if found consistent.
4. For a matrix $A=\left(\begin{array}{ll}5 & 4 \\ 1 & 2\end{array}\right)$, find the modal matrix and the corresponding diagonal matrix.
5. Prove that line integral $\int_{A}^{B} \vec{F} \cdot d \vec{r}$ is. independent of path joining any two points $A$ and $B$ in the region if and only if $\int_{C} \vec{F} \cdot d \vec{r}=0$ for any simple closed curve $C$ in the region.
6. Verify Green's theorem in the plane for $\int_{C}\left[\left(3 x^{2}-8 y^{2}\right) d x+(4 y-6 x y) d y\right]$ where $C$ is region bounded by $y=x^{2}$ and $x=y^{2}$.
7. Evaluate $\iint_{5} \vec{F} . \vec{n}$ ds where $\vec{F}=6 z \vec{i}-4 \vec{j}+y \vec{k}$ and $S$ is the region of the plane $2 x+3 y+6 z=12$ bounded in the first octant.
8. Evaluate using Gauss divergence theorem, $\iint_{S} \vec{F} \cdot \vec{n}$ ds where $\vec{F}=x^{2} y \vec{i}+x y^{2} \vec{j}+2 x y z \vec{k}$ and $S$ is the surface bounded by the planes $x=0, y=0, z=0, x+2 y+z=2$.
9. Obtain the Fourier Series to represent $f(x)=x-x^{2}$ from $x=-\pi$ to $x=\pi$ and deduce that $\frac{\pi^{2}}{12}=\frac{1}{1^{2}}-\frac{1}{2^{2}}+\frac{1}{3^{2}}-\frac{1}{4^{2}}+$
10. Obtain the half range Fourier Sine Series for $f(x)=\pi-x$ in the range $0<x<\pi$.
11. State the conditions for existence of Laplace transform. Obtain the Laplace transform of:
(i) $\mathrm{e}^{2 t} \cos ^{3} 2 t$
(ii) $\frac{\cos 2 t-\cos 3 t}{t}$
12. Find the inverse Laplace transform of:
(i) $\frac{1}{(S-2)\left(S^{2}+1\right)}$
(ii) $\cot ^{-1}(S+1)$
[2.5+2.5]
13. Solve the following intial value problem by using Laplace transform:

$$
\begin{equation*}
y^{\prime \prime}+4 y^{\prime}+3 y=e^{t}, y(0)=0 ; y^{\prime}(0)=2 \tag{5}
\end{equation*}
$$

14. Graphically maximize $Z=7 x_{1}+10 x_{2}$

Subject to constraints:

$$
\begin{gather*}
3 x_{1}+x_{2} \leq 9 \\
x_{1}+2 x_{2} \leq 8  \tag{5}\\
x_{1}, x_{2} \geq 0
\end{gather*}
$$

15. Solve the following linear Programming Problem by simple method:

Maximize: $Z=3 x_{1}+5 x_{2}$
Subject to:

$$
\begin{gather*}
3 x_{1}+2 x_{2} \leq 18 \\
x_{1} \leq 4, x_{2} \leq 6  \tag{10}\\
x_{1}, x_{2} \geq 0
\end{gather*}
$$

| 01 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Leve! | BE | Full Marks | 80 |
| Examination Control Division | Programme | All (Except B.Arch) | Pass Marks | 32 |
| 2074 Chaitra | Year/Part | II/I | Time | 3 hrs . |

## Subject: - Engineering Mathematics III (SH5O1)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. If $\left|\begin{array}{lll}a & a^{2} & a^{3}-1 \\ b & b^{2} & b^{3}-1 \\ c & c^{2} & c^{3}-1\end{array}\right|=0$ where $a \neq b \neq c$; apply properties of determinant to show $a b c=1$.
2. If $A$ be an $n \times n$ matrix, prove that

$$
\operatorname{Adj}(A) \cdot A=A \cdot(\operatorname{Adj} A)=|A| I \text { where } I \text { is an } n \times n \text { unit matrix. }
$$

3. Find the rank of the following matrix by reducing it into normal form:

$$
\left(\begin{array}{ccc}
3 & 1 & 4 \\
0 & 5 & 8 \\
-3 & 4 & 4 \\
1 & 2 & 4
\end{array}\right)
$$

4. Find the modal matrix for the matrix
$A=\left(\begin{array}{ccc}2 & 1 & 1 \\ -2 & 1 & 3 \\ 2 & 1 & -1\end{array}\right)$
5. State and prove Green's theorem in plane.
6. Find the total work done in moving the particle in a force field given by $\vec{F}=\operatorname{Sin} y \vec{i}+x(1+\cos y) \vec{j}$ over the circular path $x^{2}+y^{2}=a^{2}, z=0$
7. Evaluate $\iint_{s} \vec{F} d \vec{s}$ where $\vec{F}=x \vec{i}-\mathbf{y}+z \vec{k}$ and $s$ is the surface of the cylinder $x^{2}+y^{2}=a^{2}, 0<z<b$.
8. Verify Stoke's theorem for $\vec{F}=\left(x^{2}+y^{2}\right) \vec{i}-2 x y \vec{j}$ taken round the rectangle bounded by the lines $x= \pm a, y=0, y=b$.
9. Obtain Fourier series for $f(x)=x^{3}$ in the interval $-\pi \leq x \leq \pi$.
10. Express $f(x)=e^{x}$ as a half range Fourier Cosine Series in $0<x<1$.
11. State existence theorem for Laplace Transform. Obtain the Laplace transform of
a) $t e^{-t} \sin t$
b) $\frac{e^{-a t}-e^{-b t}}{t}$
12. Find the inverse Laplace transform of:
a) $\frac{1}{s^{2}-5 s+6}$
b) $\tan ^{-1} \frac{2}{s}$
13. By using Laplace transform, solve the initial value problem:

$$
\begin{gathered}
y^{\prime \prime}+2 y=r(t), y(0)=y^{\prime}(0)=0 \\
\text { Where } r(t)=1,0<t<1 \\
\quad=0, \text { otherwise }
\end{gathered}
$$

14. Graphically maximize $Z=5 x_{1}+3 x_{2}$ Subject to constraints

$$
\begin{gathered}
x_{1}+2 x_{2} \leq 50 \\
2 x_{1}+x_{2} \leq 40 . \\
x_{1}, x_{2} \geq 0
\end{gathered}
$$

15. Solve the following Linear Programming Problem by simple method:

Maximize: $Z=4 x+3 y$
Subject to: $2 x+3 y \leq 6$
$-x+2 y \leq 3$
$2 \mathrm{y} \leq 5$
$2 x+y \leq 4$
$\mathrm{x}, \mathrm{y} \geq 0$.

| Exam. | Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | All (Except B. Arch) | Pass Marks | 32 |
| Year/Part | II/I | Time | 3 hrs. |

## Subject: - Engineering Mathematics III (SHSOI)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Use properties of determinant to show
$\left|\begin{array}{lll}x^{2} & x^{2}-(y-z)^{2} & y z \\ y^{2} & y^{2}-(z-x)^{2} & z x \\ z^{2} & z^{2}-(x-y)^{2} & x y\end{array}\right|=(x-y)(y-z)(z-x)(x+y+z)\left(x^{2}+y^{2}+z^{2}\right)$
2. Prove that every square matrix can be uniquely expressed as the sum of symmetric and a skew symmetric matrix.
3. Define eigen values and eigen vectors in terms of linear transformation with matrices as operator. Find eigen values of the matrix.
$\left(\begin{array}{ccc}-2 & 2 & -3 \\ 2 & 1 & -6 \\ -1 & -2 & 0\end{array}\right)$
4. Test the consistency of the system $x+y+z=3, x+2 y+3 z=4,2 x+3 y+4 z=7$ by using rank of matrix method and solve if consistent.
5. If $\vec{F}$ is the gradient of some scalar point functions $\phi$ i.e $\vec{F}=\nabla \phi$, prove that the line integral is independent of the path joining any two points in the region and conversely.
6. Evaluate $\iint_{5} \vec{F} \cdot \overrightarrow{n d s}$, where $\vec{F}=x y \vec{i}-x^{2} \vec{j}+(x+z) \vec{K}$ and $S$ is the region of the plane $2 x+2 y+z=6$ bounded in the first quadrant.
7. State and prove Green's theorem in plane.
8. Apply Gauss' divergence theorem to evaluate $\iint\left[\left(x^{3}-y z\right) \vec{i}-2 x^{2} y \vec{j}+2 \vec{K}\right] \vec{n}$ ds, where $S$ is the surface of the cube bounded by the planes $x=0, x=a, y=0, y=a, z=0, z=a$.
9. Expand $f(x)=x \sin x$ as a Fourier series in $-\pi \leq x \leq \pi$.
10. Obtain half range cosine series for $f(x)=x$ in the interval $0 \leq x \leq \pi$.
11. Find the Laplace transform of:
i) $t^{2} \cos a t$
ii) $\frac{\sin t}{t}$
12. State convolution theorem for inverse Laplace transform and use it to find the inverse Laplace transform of $\frac{S}{\left(S^{2}+4\right)\left(S^{2}+9\right)}$
13. Solve the following initial value problem by using Laplace transform:
$y^{\prime \prime}+2 y^{\prime}-3 y=\sin t, y(0)=y^{\prime}(0)=0$
14. Graphically maximize
$Z=7 x_{1}+10 x_{2}$
Subject to constraints,
$3 x_{1}+x_{2} \leq 9$
$x_{1}+2 x_{2} \leq 8$
$x_{1}, x_{2} \geq 0$
15. Solve the following LPP by simplex method using duality of:

Minimize $Z=20 x+50 y$
Subject to:

$$
\begin{aligned}
& 2 x+5 y \geq 12 \\
& 3 x+7 y \geq 17 \\
& x, y \geq 0
\end{aligned}
$$

| 01 | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 80 |
| INSTITUTE OF ENGINEERING | Programme | All (Except B. Arch) | Pass Marks | 32 |
| Examination Control Division | Year/Part | 11/1 | Time | 3 hrs . |

## Subject: - Engineering Mathematics III (SH50I)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.

## $\checkmark$ Attempt All questions.

$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Distinguish a matrix and a determinant. Use property of determinant to prove:
$\left|\begin{array}{ccc}a+b+2 c & a & b \\ c & b+c+2 a & b \\ c & a & c+a+2 b\end{array}\right|=2(a+b+c)^{3}$
2. Prove that the necessary and sufficient condition for a square matrix to posses an inverse is that it is non singular.
3. Find the rank of the matrix:
$\left(\begin{array}{cccc}1 & 0 & -5 & 6 \\ 3 & -2 & 1 & 2 \\ 3 & -2 & -9 & 14 \\ 4 & -2 & -4 & 8\end{array}\right)$ by reducing it to normal form.
4. State Cayley-Hamilton theorem and use it to find inverse of the matrix $\left(\begin{array}{ccc}4 & 3 & 1 \\ 2 & 1 & -2 \\ 1 & 2 & 1\end{array}\right)$
5. Find the work done by the force $\vec{F}=y z \vec{i}+z x \vec{j}+x y \vec{k}$ in displacement of a particle along the straight segment $C$ from point $(1,1,1)$ to the point $(3,3,2)$.
6. State Gauss divergence theorem and apply it to evaluate $\iint_{\mathrm{F}} \overrightarrow{\mathrm{F}} \cdot \overrightarrow{\mathrm{n}} \mathrm{ds}$, where $\vec{F}=x \vec{i}+y \vec{j}+z \vec{k}$ and $S$ is the surface of the cube bounded by the planes $x=0, x=a$, $y=0, y=a, z=0, z=a$.
7. State and prove Green's theorem in plane.
8. Verify stokes theorem for the vector field $\vec{F}=(2 x-y) \vec{i}-y z^{2} \vec{j}-y^{2} z \vec{k}$ over the upper half of the surface of $x^{2}+y^{2}+z^{2}=1$ bounded by its projection the $x y$-plane.
9. Find the Fourier series to represent $f(x)=x-x^{2}$ from $-\pi$ to $\pi$.
10. Find the half range Fourier sine series for $f(x)=e^{2 x}$ in $0<x<\pi$.
11. Define Laplace transform of a function and state criteria of existence of a Laplace transform of a function. Find the Laplace transform of $f(t)=\frac{1-\cos 2 t}{t}$
12. Find inverse Laplace transform of
(i) $\frac{1}{s(s+2)}$
(ii) $\tan ^{-1}\left(\frac{1}{s}\right)$
13. Solve the following initial value problem using Laplace transform:
$y^{\prime \prime}+4 y^{\prime}+3 y=0, \quad y(0)=3, y^{\prime}(0)=1$
14. Use simplex method to solve the following LPP:

Maximum $z=50 x_{1}+80 x_{2}$
Subject to,

$$
\begin{aligned}
& x_{1}+2 x_{2} \leq 32 \\
& 3 x_{1}+4 x_{2} \leq 84
\end{aligned}
$$

15. Graphically maximize

$$
z=7 x_{1}+10 x_{2}
$$

Subject to,

$$
\begin{aligned}
& 3 x_{1}+x_{2} \leq 9 \\
& x_{1}+2 x_{2} \leq 8 \\
& x_{1}, x_{2} \geq 0
\end{aligned}
$$

| TRIBHUVAN UNIVERSITY | Exam. | New Back (2066 \& Later Batch) |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| ation Control Divisio | Programme | ALL (Except B. Arch) | Pass Marks | 32 |
| 2073 Shrawan | Year/Part | II/I | Time | 3 hrs . |

## Subject: - Engineering Mathematics II (SH501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Use properties of determinants to prove: $\left|\begin{array}{ccc}a^{2} & b c & a c+c^{2} \\ a^{2}+a b & b^{2} & a c \\ a b & b^{2}+b c & c^{2}\end{array}\right|=4 a^{2} b^{2} c^{2}$
2. Prove that the necessary and sufficient condition for a square matrix A to posses an inverse is that the matrix A should be non singular.
3. Find the rank of the matrix $\left(\begin{array}{cccc}1 & 3 & -2 & 1 \\ 1 & 1 & 1 & 1 \\ 2 & 0 & -3 & 2 \\ 3 & 3 & -3 & 3\end{array}\right)$
by reducing it into normal form.
4. Find the eigenvalues and eigenvectors of the matrix $\left(\begin{array}{lll}2 & 1 & 1 \\ 1 & 2 & 1 \\ 0 & 0 & 1\end{array}\right)$

Give an example showing importance of eigenvectors.
5. Show that $\vec{F}=\left(2 x+z^{2}\right) \vec{i}+Z \vec{j}+(y+2 x z) \vec{K}$ is irrotational and find its scalar potential.
6. State and prove Green's Theorem in plane.
7. Evaluate $\iint_{5} \vec{F} \cdot \vec{n}$ ds, where $\vec{F}=y z \vec{i}+z x \vec{j}+x y \vec{k}$ and $S$ is the surface of the sphere $x^{2}+y^{2}+z^{2}=1$ in the first octant.
8. Evaluate $\int_{c} x y d x+x y^{2} d y$ by applying stokes theorem where $C$ is the square in $x y$-plane with vertices $(1,0),(-1,0),(0,1),(0,-1)$
9. Find the Laplace transform of :
i) $t e^{2 t} \sin 3 t$
ii) $\frac{e^{-t} \sin t}{t}$
10. Find the inverse Laplace transform of:
i) $\frac{s+2}{s^{2}-4 s+13}$
ii) $\log \left(\frac{s+a}{s-a}\right)$.
11. Solve the following initial value problem using Laplace transform:
$x^{\prime \prime}+4 x^{\prime}+4 x=6 e^{-t}, \quad x(0)=-2, \quad x^{\prime}(0)=-8$
12. Find the Fourier series representation of $f(x)=|x|$ in $[-\pi, \pi]$
13. Obtain the half range Fourier Sine Series for the function $f(x)=x^{2}$ in the interval $(0,3)$.
14. Apply Graphical method to maximize,
$Z=5 x_{1}+3 x_{2}$
Subject to the constraints:
$\mathrm{x}_{1}+2 \mathrm{x}_{2} \leq 50$
$2 x_{1}+x_{2} \leq 40$
$x_{1} \geq 0, x_{2} \geq 0$
15. Solve the following Linear Programming Problem by Simplex method:

Maximize: $Z=15 x_{1}+10 x_{2}$
Subject to: $x_{1}+3 x_{2} \leq 10$

$$
\begin{aligned}
& 2 x_{1}+x_{2} \leq 10 \\
& x_{1} \geq 0, x_{2} \geq 0
\end{aligned}
$$

| 01 TRIBHUYAN UNIVERSITY | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | All (Except B. Arch) | Pass Marks | 32 |
| 2072 Chaitra | Year/Part | II/ I | Time | 3 hrs . |

## Subject:- Engineering Mathematics III (SH5OI)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicaie Fuill Marks.
$\checkmark$ Assume suitable data if necessary.

1. Use properties of determinants to prove:
$\left|\begin{array}{cccc}a^{2}+1 & b a & c a & d a \\ a b & b^{2}+1 & c b & d b \\ a c & b c & c^{2}+1 & d c \\ a d & b d & c d & d^{2}+1\end{array}\right|=1+a^{2}+b^{2}+c^{2}+d^{2}$
2. Show that every square matrix can be uniquely expressed as the sum of symmetric and Skew-Symmetric matrices.
3. Test the consistency of the system $x+y+z=3, x+2 y+3 z=4$ and $2 x+3 y+4 z=7$ and solve completely if found consistent.
4. State Cayley-Hamilton theorem and verify it for the matrix; $A=\left(\begin{array}{ccc}-2 & 2 & -3 \\ 2 & 1 & -6 \\ -1 & -2 & 0\end{array}\right)$
5. Prove that " The line integral $\int_{e} \vec{F} \cdot d \vec{r}$ of a continuous function $\vec{F}$ defined in a region $R$ is independent of path $C$ joining any two points in $R$ if and only if there exists a single valued scalar function $\phi$ having first order partial derivatives such that $\vec{F}=\nabla \phi^{\prime \prime}$.
6. State Green's theorem and use it to find the area of astroid $x^{2 / 3}+y^{2 / 3}=a^{2 / 3}$
7. Evaluate $\iint_{-} \vec{F} \cdot \vec{n} d s$, where $\vec{F}=x^{2} \vec{i}+y^{2} \vec{j}+z^{2} \vec{k}$ and 's' is the surface of the plane $x+y+z=1$ between the co-ordinate planes.
8. Apply Gauss' divergence theorem to evaluate $\iint_{s} \vec{F} \cdot \vec{n}$ ds where
$\overrightarrow{\mathrm{F}}=\left(\mathrm{x}^{3}-y z\right) \vec{i}-2 x^{2} y \vec{j}+2 \vec{k}$ and 's' is the surface the cube bounded by the planes $x=0, x=a, y=0, y=a, z=0, z=a$.
9. Find the Laplace transform of:
i) $t \operatorname{Sin}^{2} 3 t$
ii) $\frac{\operatorname{Sin} 2 t}{t}$
10. Find the inverse Laplace transform of:
i) $\frac{1}{s^{2}-3 s+2}$
ii) $\frac{1}{s(s+1)^{3}}$
11. Apply Laplace transform to solve the differential equation:
$y^{\prime \prime}+2 y^{\prime}+5 y=e^{-t} \sin t, \quad x(0)=0, x^{\prime}(0)=1$
12. Find a Fourier series to represent $f(x)=x-x^{2}$ from $x=-\pi$ to $x=\pi$. Hence show that $\frac{1}{1^{2}}-\frac{1}{2^{2}}+\frac{1}{3^{2}}-\frac{1}{4^{2}}+\ldots \ldots=\frac{\pi^{2}}{12}$
13. Develop $f(x)=\sin \left(\frac{\pi x}{l}\right)$ in half range Cosine Series in the range $0<x<l$.
14. Graphically maximize,
$Z=7 x_{1}+10 x_{2}$
Subject to constraints,
$3 x_{1}+x_{2} \leq 9$
$x_{1}+2 x_{2} \leq 8$
$x_{1} \geq 0, x_{2} \geq 0$
15. Solve the following LPP using simplex method.

Maximize: $P=50 x_{1}+80 x_{2}$
Subject to: $x_{1}+2 x_{2} \leq 32$
$3 x_{1}+4 x_{2} \leq 84$
$\mathrm{x}_{1} \geq 0, \mathrm{x}_{2} \geq 0$

## 01 TRIBHUVAN UNIVERSITY <br> INSTITUTE OF ENGINEERING <br> Examination Control Division 2072 Kartik

| Exam. | New Back (2066 \& Later Batch) |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | All (Except B.Arch) | Pass Marks | 32 |
| Year / Part | II/I | Time | 3 hrs. |

## Subject: - Engineering Mathematics III (SH5OI)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Prove that $\left|\begin{array}{ccc}(a+b)^{2} & c a & b c \\ c a & (b+c)^{2} & a b \\ b c & a b & (c+a)^{2}\end{array}\right|=2 a b c(a+b+c)^{3}$
2. If $A$ and $B$ are two non singular matrices, then prove that $(A B)^{-1}=B^{-1} A^{-1}$.
3. Find the rank of the matrix:

$$
\left(\begin{array}{cccc}
1 & -1 & -2 & -4 \\
2 & 3 & -1 & -1 \\
3 & 1 & 3 & -2 \\
6 & 3 & 0 & -7
\end{array}\right)
$$

4. Find the eigen values and eigen vectors of the matrix.

$$
\left(\begin{array}{ccc}
-2 & 2 & -3 \\
2 & 1 & -6 \\
-1 & -2 & 0
\end{array}\right)
$$

5. Prove that the line integral $\int_{A}^{B} \vec{F} \cdot d \vec{r}$ is independent of path joining any two points $A$ and $B$ in the region $R$, if and only if, $\int_{C} \vec{F} \cdot d \vec{r}=0$ for any simple closed path $C$ in $R$.
6. Evaluate $\iint_{S} \vec{F} \cdot \vec{n} d s$ where $\vec{F}=y z \vec{i}+z x \vec{j}+x y \vec{k}$ where $S$ is the surface of the sphere $x^{2}+y^{2}+z^{2}=1$ in the first octant.

OR
Apply Stoke's theorem to evaluate $\int_{C}(x+y) d x+(2 x-z) d y+(y+z) d z$ where $C$ is the boundary of the triangle with vertices $(2,0,0),(0,3,0)$ and $(0,0,6)$.
7. State Green's theorem in plane and hence apply it to compute the area of the curve $\mathrm{x}^{2 / 3}+\mathrm{y}^{2 / 3}=\mathrm{a}^{2 / 3}$.
8. Apply Gauss divergence theorem to evaluate $\iint_{S} \vec{F} \cdot \vec{n} d s$ where $\vec{F}=x^{2} \vec{i}+z \vec{j}+y z \vec{k}$ taken over the cube bounded by $x=0, x=1, y=0, y=1, z=0, z=1$.
9. Find the Laplace transform of the following:

- a) $\frac{\cos 2 t-\cos 3 t}{t}$
b) $\sin ^{3} 2 t$

10. Find the inverse Laplace transform of the following:
a) $\frac{1}{s^{2}-5 s+6}$
b) $\frac{s+2}{\left(s^{2}+4 s+5\right)^{2}}$
11. Solve the initial value problem by using Laplace transform:

$$
x^{\prime \prime}+2 x^{\prime}+5 x=e^{-t} \sin t ; x(0)=0, x^{\prime}(0)=1
$$

12. Obtain Fourier Series for the function $f(x)=x-x^{2}$ from $-\pi$ to $\pi$ and hence show that:

$$
\begin{equation*}
\frac{\pi^{2}}{12}=\frac{1}{1^{2}}-\frac{1}{2^{2}}+\frac{1}{3^{2}}-\frac{1}{4^{2}}+ \tag{5}
\end{equation*}
$$

$\qquad$
13. Obtain the half range sine series for the function $f(x)=x^{2}$ in the interval $(0,3)$.
14. Graphically maximize and minimize
$Z=5 x_{1}+3 x_{2}$ Subjected to constraints
$3 x_{1}+5 x_{2} \leq 15$
$5 x_{1}+2 x_{2} \leq 10, x_{1}, x_{2} \geq 0$
15. Use simplex method to solve the Linear Programming problem:

$$
\begin{array}{ll}
\text { Maximize } & Z=15 x_{1}+10 x_{2} \\
\text { Subject to } & 2 x_{1}+2 x_{2} \leq 10 \\
& x_{1}+3 x_{2} \leq 10 \\
\text { and } & x_{1}, x_{2} \geq 0
\end{array}
$$

| 01 tribhuvan university <br> INSTITUTE OF ENGINEERING <br> Examination Control Division | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 80 |
|  | Programme | $\begin{aligned} & \text { All (Excep } \\ & \text { B.Arch.) } \end{aligned}$ | Pass Marks | 32 |
| 2071 Chaitra | Ycar/Part | 1111 | Time | 3 hrs . |

## Subject: - Engineering Mathematics III (SH50I)

- Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Altempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessan!

1. Using the properties, evaluate the determinant:
$\left|\begin{array}{llll}1 & a & a^{2} & a^{3}+b c d \\ 1 & b & b^{2} & b^{3}+c d a \\ 1 & c & c^{2} & c^{3}+a b d \\ 1 & d & d^{2} & d^{3}+a b c\end{array}\right|$
2. Prove that every square matrix can uniquely be expressed as the sum of a symmetric and a skew symmetric maxrix.
3. Test the consistency of the system:

$$
x-6 y-z=10,2 x-2 y+3 z=10,3 x--8 y+2 z=20
$$

And solve completely, if found consistent.
4. Find the eigen values and eigenvecters of the matrix $\left(\begin{array}{lll}2 & 2 & 1 \\ 1 & 3 & 1 \\ 1 & 2 & 2\end{array}\right)$.
5. Using the line integral, compute the workdone by the force

$$
\vec{F}=(2 x-y+2 z) \vec{i}+(x+y-z) \vec{j}+(3 x-2 y-5 z) \vec{k}-
$$

when it moves once around a circle $x^{2}+y^{2}=4 ; z=0$
6. State and prove Green's Theorem in plane.
7. Verify Stoke's theorem for $\vec{F}=\left(x^{2}+y^{2}\right) \vec{i}-2 x y \vec{j}$ taken around the rectangle bounded by the lines $x= \pm a, y=0, y=b$.
8. Evaluate $\iint_{s} \vec{F} \cdot \vec{n}$ ds where $\vec{F}=(2 x y+z) \vec{i}+y^{2} \vec{j}-(x+3 y) \vec{K}$ by Gauss divergence theorem; where $S$ is surface of the plane $2 x+2 y+z=6$ in the first octant bounding the volume $V$.
9. Find the Laplace transform of the following:
a) $t e^{-2 t} \cos t$
b) Sinhat cos
10. Find the inverse Laplace transiorm of:
a) $\frac{1}{S(S+1)}$
b) $\frac{S^{2}}{\left(S^{2}+b^{2}\right)^{2}}$
!i. Solve the differential equation $y^{\prime \prime}+2 y^{\prime}+5 y=e^{\prime} \sin t, y(0)=0, y^{\prime}(0)=i$, by using Laplace transform.
12. Expand the function $f(x)=x \sin x$ as a Fourier series in the interval $-\pi \leq x \leq \pi$.
13. Obtain haif range sine series for the function fix) $=x-x^{2}$ for $0-x=1$.
14. Graphically maximize and minimiz:
$z=9 x+40 y$ subjected to the constraints
$y-x \geq 1, y-x \leq 3,2 \leq x \leq 5$
15. Solve the following finear Programming Problem by Simplex methot:

Maximize, $P=20 x_{2}-5 x_{1}$
Subjected to, $10 \mathrm{x}_{2}-2 \mathrm{x}_{1} \leq 5$
$2 x_{1}+5 x_{2} \leq 10$ and $x_{1} x_{2} \geq 0$


## Subject: - Mathematics III (SH501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Show that: $\left|\begin{array}{ccc}(b+c)^{2} & b^{2} & c^{2} \\ a^{2} & (c+a)^{2} & c^{2} \\ a^{2} & b^{2} & (a+b)^{2}\end{array}\right|=2 a b c(a+b+c)^{3}$
2. Prove that every square matrix can be uniquely written as a sum of Hermitian and SkewHermitian matrices.
3. Find the rank of the matrix by changing it into normal form: $\left(\begin{array}{ccc}3 & 1 & 4 \\ 0 & 5 & 8 \\ -3 & 4 & 4 \\ 1 & 2 & 4\end{array}\right)$
4. Find the eigen value and eigen vector of the matrix: $\left(\begin{array}{ccc}2 & 1 & 1 \\ -2 & 1 & 3 \\ 2 & 1 & -1\end{array}\right)$
5. Using Green's theorem, evaluate $\int_{C}\left(y^{3} d x-x^{3} d y\right)$ where $C$ is the boundary of the circle $x^{2}+y^{2}=4$.
6. Show that $\vec{F}(x, y, z)=y^{3} \vec{i}+\left(3 x y^{2}+e^{2 z}\right) \vec{J}+2 y e^{2 z} \vec{k}$ is conservative vector field and find its scalar potential function.
7. Find the surface integral $\iint \vec{F} \cdot \hat{n}$ as where $\vec{F}=x \vec{i}+y \vec{j}+z \vec{k}$ and $S$ is the upper half of the sphere $x^{2}+y^{2}+z^{2}=1$.
8. Verify Stoke's theorem for $\vec{F}(x, y, z)=(2 x-y) \vec{i}-y z^{2} \vec{j}-y^{2} z \vec{k}$ where $S$ is the upper half of the sphere $x^{2}+y^{2}+z^{2}=4$ and $C$ is its boundary.

## OR

Evaluate using Gauss divergence theorem,
$\int \vec{F} \cdot \hat{n}$ ids where $\vec{F}(x, y, z)=x^{2} y \vec{i}+x y^{2} \vec{j}+2 x y z \vec{k}$ and $S$ is the surface bounded by the planes $x=0, y=0, z=0$ and $x+2 y+z=2$
9. Find the Laplace transform of (i) $\sin 2 t \cosh 4 t$ (ii) $t e^{2 t} \sin 4 t$.
10. Using the Convolution theorem, find the inverse Laplace transform of $\frac{3 s}{\left(s^{2}+4\right)\left(s^{2}+1\right)}$
11. Solve the following initial value problem using Laplace transform:

$$
y^{\prime \prime}+4 y^{\prime}+3 y=e^{\prime}, y(0)=00, y^{\prime}(0)=2
$$

12. Obtain the half range Fourier sine series of $f(x)=\pi-x$ in the range $0<x<\pi$.
13. Obtain the Fourier series of $f(x)=e^{3 x}$ in $0<x<2 \pi$.
14. Graphically maximum $Z=5 x_{1}+3 x_{2}$ subject to constraints

$$
x_{1}+2 x_{2} \leq 50,2 x_{1}+x_{2} \leq 40 \text { and } x_{1} \geq 0, x_{2} \geq 0
$$

15. Solve the following linear programming problem by simplex method constructing the duality:
```
Minimize: P=21x1+50x
    Subject to 3\mp@subsup{x}{1}{}+7\mp@subsup{x}{2}{}\geq17
    2x1+5\mp@subsup{x}{2}{}\geq12
    x
```


## 04 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERNG Examination Control Division 2070 Chaitra

| Exam. | Old Back (2065 \& Earlier Batch) |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | All EExcep 8. arch) | Pass Marks | 32 |
| Year / Part | II/I | Time | 3 hrs. |

## Subject: - Mathematics III (EG501SH)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ All questions carry equal marks.
$\checkmark$ Assume suitable data if necessary.

1. Using the properties of the determinant prove that: $\left|\begin{array}{llll}x & a & a & a \\ a & x & a & a \\ a & a & x & a \\ a & a & a & x\end{array}\right|=(x+3 a)(x-a)^{3}$.
2. If $A$ and $B$ are square matrices of same order $n$, then show that $B^{\top} A B$ is symmetric or skew-symmetric according as $A$ is symmetric or skew-symmetric.
3. Solve the following system of equation by Gauss elimination method:

$$
\begin{aligned}
& 2 x+3 y+4 z=20 \\
& x+1 y+5=3 \\
& x+3 y=11
\end{aligned}
$$

4. Sitate prove ('ingley - I hmint m thenem
5. Find the Laplace transforms of the following finctions: (i) $\frac{\sin ^{\prime} 2 t}{1}$ (ii) $\operatorname{tin} 2 t \cos 3 t$.
6. Find the inverse Laplace transforms of the following functions:

$$
\text { (i) } \frac{4 s+15}{s^{2}-25} \text { (ii) } \frac{1}{s^{2}-5 s+6}
$$

7. Prove the second shifting theorem. If $L[f(t)]=F(s)$, then $L[f(t-a) u(t-a)]=e^{-a s} F(s)$.
8. Solve the following differential equation using Laplace transform: $\frac{d^{2} y}{d t^{2}}+y=\sin 3 \mathrm{t} ; y(0)=0, y^{\prime}(0)=0$.
9. Find the velocity and acceleration of a particle which moves along the curve $x=2 \sin 3 t, y$ $=2 \cos 3 t, z=8 t$ at any time $t=\pi / 3$. And hence find their magnitudes.
10. If $\vec{V}=\operatorname{grad}\left(x^{3}+y^{3}+z^{3}-3 x y z\right)$, find $\operatorname{div} \vec{V}$ and $\operatorname{curl} \vec{V}$.
11. Evaluate $\int_{-} \vec{F} d \vec{r}$ if $\vec{F}=x^{2} \hat{i}+y^{3} \hat{j}$ and $C$ is the arc of the parabola $y=x^{2}$ in the $x y$-plane from $(0,0)$ to $(1,1)$.
12. Verify Green's theorem in the plane for $\left[\left(x y+y^{2}\right) d x+x^{2} d y\right.$ where $C$ is the closed curve of the region bounded by the straight line $y=x$ and paraboia $y=x^{2}$.
13. Evaluate $\iint_{5} \vec{F} \cdot \vec{n}$ ds where $\vec{F}=y z \hat{i}+z x \hat{i}+x y \hat{k}$ and $S$ is the surface of the sphere $x^{2}+y^{2}+z^{2}=1$ in the first octant.
14. Evaluate $\iiint_{V}(\nabla . \vec{F}) d v$ where $\vec{F}=x \hat{i}-y \dot{j}+\left(z^{2}-1\right) \hat{k}$ for the square region in the $x y$ plane bounded by the lines $x=0, y=0, x=a$ and $y=a$.

## OR

Verify Stokes theorem for $\overrightarrow{\mathrm{F}}=(2 x-y) \hat{i}-y z^{2} \hat{j}-y^{2} z \vec{k}$ where $S$ is the upper part of the sphere $x^{2}+y^{2}+z^{2}=a^{2}$ and $C$ is its boundary.
15. Obtain the Fourier series to represent $f(x)=\frac{\pi-x}{2}$ in the interval $0 \leq x \leq 2 \pi$.
16. Obtain the hall range sine series for the function $f(x)=x^{2}$ in the interval0 $\leq x \leq \pi$.

01 tribhuyan universtry
INSTITUTE OF ENGINEERTNG
Examination Control Division

| Exam. | 207exay |  |  |
| :---: | :---: | :---: | :---: |
| Level | BE | Full Marks | 80 |
| Programme | All (Except B.Arch) | Pass Marks | 32 |
| Xear/Part | II / | Time | 3 hrs . |

## Subject: - Mathematics III (SH5OI)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\downarrow$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Using the properties of determinant prove

$$
\left|\begin{array}{ccc}
(b+c)^{2} & a^{2} & a^{2} \\
b^{2} & (c+a)^{2} & b^{2} \\
c^{2} & c^{2} & (a+b)^{2}
\end{array}\right|=2 a b c(a+b+c)^{3}
$$

2. Prove that $(A B)^{T}=B^{T} A^{T}$ where $A$ is the matrix of size $m \times p$ and $B$ is the matrix of size $p \times n$
3. Find the rank of the following matrix by reducing normai form. $\left[\begin{array}{cccc}1 & 1 & 1 & 1 \\ 2 & 0 & -3 & 2 \\ 3 & 3 & -3 & 3\end{array}\right]$
4. Find the eigen yalues and eigen vectors of the following matrix. $\left[\begin{array}{ccc}2 & 0 & 1 \\ 0 & 2 & -1 \\ 0 & 0 & 2\end{array}\right]$
5. Prove that the line intergral $\int_{A}^{B} \vec{F} \cdot d \vec{r}$ is independent of the path joining any two points $A$ and $B$ in a region if $\int_{c} \vec{F} \cdot \vec{r}=0$ for any simple closed curve $C$ in the region.
6. Evaluate $\int \vec{F} \cdot \hat{n}$ ds where $\vec{F}=x^{2} \vec{i}+y^{2} \vec{j}+z^{2} \vec{k}$ and $S$ is the finite plane $x+y+z=1$ between the coordinate planes.

Evaluate $\iint_{s} \vec{F} \cdot \hat{n} d s$ for $\vec{F}=y z \vec{i}+z x \vec{j}+x y \vec{k}$ where $S$ is the surface of sphere $x^{2}+y^{2}+z^{2}=1$ in the first octant.
7. Evaluate, $\int\left(\vec{F} \hat{n} d s\right.$ for $\vec{F}-x \vec{i}-y \vec{j}+\left(r^{2} \cdots 1\right) \vec{k}$ where $S$ is the surface bounded by the cylinder $x^{\prime} y^{2}=4$ and the phane $t$ amd $a$

8. Verify the stoke's theorem for $\vec{F}=(2 x-y) \vec{i}-y z^{2} \vec{j}-y^{2} z \vec{k}$ where $S$ is the upper part of the sphere $x^{2}+y^{2}+z^{2}=a^{2} C$ is its boundary.

## [5]

9. Find the Laplace transform of (a) $t^{2} \sin z t$ and (b) $\frac{1-e^{t}}{t}$
10. Find the inverse Laplace transform of (a) $\frac{2 s+3}{s^{2}+5 s-6}$ (b) $\frac{s^{3}}{s^{4}-a^{4}}$
11. Solve the following differential equation by using Laplace transform

$$
y^{\prime \prime}+y^{\prime}-2 y=x, y(0)=1, y^{\prime}(0)=0
$$

12. Obtain the Fourior series for $\mathrm{f}(\mathrm{x})=\mathrm{x}^{2}$ in the interval $-\pi<\mathrm{x}<\pi$ and hence prove that

$$
\sum \frac{1}{x^{2}}=\frac{1}{1^{2}}+\frac{1}{2^{2}}+\frac{1}{3^{2}} \ldots \ldots \ldots=\frac{\pi^{2}}{6}
$$

13. Obtain hall hante sime setice for fix) $\pi \times$, ${ }^{2}$ in ( $(0, \pi)$



$$
\begin{equation*}
3 x_{1}+2 x_{2}+x_{3} \geq 8 \text { and } x_{1} \cdot x, x, 0 \tag{10}
\end{equation*}
$$

15. Minimize $z=8 x_{1}+9 x_{2}$

$$
\text { Subject to } x_{1}+j x_{2} \geq 4
$$

$$
2 x_{1}+x_{2} \geq 5 \text { with } x_{1}, x_{2} \geq 0
$$

# 02 TRIBHUVAN UNIVERSITY <br> INSTITUTE OF ENGINEERNG Examination Control Division 

2070 Ashad

| Exam. |  |  |  |
| :---: | :---: | :---: | :---: |
| Level | BE | Full Marks | 80 |
| Programme | All (Except <br> B. Arch) | Pass Marks | 32 |
| Year/Part | II/ I | Time | 3 hrs . |

Subject: - Engineering Mathematics III (SH501)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Prove that: $\left|\begin{array}{llll}a & b & b & b \\ a & b & a & a \\ a & a & b & a \\ b & b & b & a\end{array}\right|=-(b-a)^{4}$
2. Prove that every matrix A can uniquely be expressed as a sum of a symmetric and a skew symmetric matrix.
3. Test the consistency of the system $x+y+z=3, x+2 y+3 z=4$ and $2 x+3 y+4 z=7$ and solve if counsistent.
4. Verify Cayley-Hamilton theorem for matrix $A$ and find the inverse of $\left[\begin{array}{ccc}2 & -1 & 1 \\ -1 & 2 & -1 \\ 1 & -1 & .2\end{array}\right]$
5. State and prove Green's theorem in the plane.

Verify Stroke's theorem for $\vec{F}=\left(x^{2}+y^{2}\right) \vec{i}-2 x y \vec{j}$ taken round the rectangle in the $x y$-plane bounded by $x=0, x=a, y=0, y=b$
6. Find the work done in moving particle once round the circle $x^{2}+y^{2}=9, z=0$ under the force field $\vec{F}$ given by $\vec{F}=(2 x-y+z) \vec{i}+\left(x+y-z^{2}\right) \vec{j}+(3 x-2 y+4 z) \vec{k}$
7. Evaluate $\iint_{s} \vec{F} \cdot \vec{n}$ ds where $\overrightarrow{\mathrm{F}}=\mathrm{xy} \overrightarrow{\mathrm{i}}-\mathrm{x}^{2} \overrightarrow{\mathrm{j}}+(\mathrm{x}+\mathrm{z}) \overrightarrow{\mathrm{k}}$, s is the portion of the plane $2 x+2 y+z=6$ incleded in the first octant.
8. Show that $\int\left[\left[\left(x^{3}-y z\right) \vec{i}-2 x^{2} y \vec{j}+2 \vec{k}\right] \vec{n}\right.$ ds $=\frac{\hat{a}^{5}}{3}$ where $s$ is the suface of the cube bounded by the planes $x=0, x=a, y=0, y=2, z=0, z=a$
Q. Find the Laplace trasform of (i) $f(t)=\frac{1-\cos t}{t}$ (ii) $f(t)=t e^{-i} \sin t$
10. Find the inverse Laplace transform of (i) $\frac{(s+2)^{3}}{s^{4}}$ (ii) $\frac{1}{s^{2}\left(s^{2}+a^{2}\right)}$
11. Using Laplace Transform to solve: $y^{\prime \prime}+4 y=\sin t ; y(0)=0=y^{\prime}(0)$
12. Find a fourier series to represent $f(x)=x-x^{2}$ from $x=-\Pi$ to $x=\Pi$
13. Find a fourier series to represent $f(x)=2 x-x^{2}$ in the range $(0,3)$

OR
Express $f(x)=x$ as a half range sine series in $0<x<\Pi$
14. Use simplex method to, Maximize $p=15 x_{1}+10 x_{2}$

Subject to $2 x_{1}+x_{2} \leq 10$

$$
\begin{equation*}
x_{1}+3 x_{2} \leq 10, \quad x_{1}, x_{2} \geq 0 \tag{7}
\end{equation*}
$$

15. Find the dual of following Linear programming problem and solve by simplex method

Minimize

$$
\begin{array}{ll}
C=16 x_{1}+45 x_{2} & \\
2 \mathrm{x}_{1}+5 \mathrm{x}_{2} \geq 50 & \\
\mathrm{x}_{1}+3 \mathrm{x}_{2} \geq 27, & \mathrm{x}_{1}, \mathrm{x}_{2} \geq 0 \\
& \text { OR }
\end{array}
$$

Use Big $M$-method to solve the following linear programing problem.
Maximize $p=2 x_{1}+x_{2}$
Subject to $\quad x_{1}+x_{2} \leq 10$
$-x_{1}+x_{2} \geq 2, \quad x_{1}, x_{2} \geq 0$

| 02 TRIBHUVAN UNIVERSITY | Exam. |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Fall Marks | 80 |
| 尼区amination Control mivision | Programme | All (Except B.Arch) | Pass Manks | 32 |
| 2099 Chaitra | Year/Part | II / I | Time | 3 hrs . |

## Subject: - Engineering Mathematics III (SH50I)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The fioures in the margin indicate Full Maris.
$\checkmark$ Assume suitable data if necessary.

1. Find the value of the determinant $\left|\begin{array}{lll}a^{2} & a^{2}-(b-c)^{2} & b c \\ b^{2} & b^{2}-(c-a)^{2} & c a \\ c^{2} & c^{2}-(a-b)^{2} & a b\end{array}\right|$
2. Show that the matrix $\mathrm{B}^{\theta} \mathrm{AB}$ is Hermitian or skew-Hermittian according as A is Hermitian and skew- Hermitian.
3. Find the rank of the matrix $\left[\begin{array}{cccc}6 & 1 & 3 & 8 \\ 4 & 2 & 6 & -1 \\ 10 & 3 & 9 & 7 \\ 16 & 4 & 12 & 15\end{array}\right]$ reducing this into the triangular form.
4. Otiain the characteristic equation of the matrix $\dot{A}=\left[\begin{array}{lll}1 & 0 & 2 \\ 0 & 2 & 1 \\ 2 & 0 & 3\end{array}\right]$ and verify that it is satisfied by A.
5. Evaluate $\int_{c} \vec{F} \cdot \overrightarrow{d r}$, where $\vec{F}=(x-y) \vec{i}+(x+y) \vec{j}$ along the closed curve $C$ bounded by $\mathrm{y}^{2}=\mathrm{x}$ and $\mathrm{x}^{2}=\mathrm{y}$
6. Find the value of the normal surface integral $\iint_{S} \vec{F} . \vec{n} d s$ for $\vec{F}=x \vec{i}-y \vec{j}+\left(z^{2}-1\right) \vec{k}$, where $S$ is the surface bounded by the cylinder $x^{2}+y^{2}=4$ between the planes $Z=0$ and $Z=1$.
7. Using Green's theorem, find the area of the astroid $x^{\frac{2}{3}}+y^{\frac{2}{3}}=a^{\frac{2}{3}}$
8. Verify stoke's theorem for $\overrightarrow{\mathrm{F}}=2 \mathrm{y} \overrightarrow{\mathrm{i}}+3 \mathrm{x} \overrightarrow{\mathrm{j}}-z^{2} \vec{k}$ where S is the upper half of the sphere $x^{2} \div y^{2} \div z^{2}=9$ and $C$ is its boundary.

Evaluate the wolume intergral $\iint \vec{F} d v$, where $V$ is the region bounded by the surace $x=0, y=0, \vec{y}=6, \vec{z}=x^{2}, z=4$ and $\vec{E}=2 x z \vec{i}-x \vec{j}+y^{2} \vec{k}$
9. Pind the laphe tangoms of the followng furtions
a) $e^{4 t} \sin 2 t$
10. State and prove the second shifting theorem of the Laplace transform.
11. Solve the following differential equation using Laplace transform.

$$
\frac{d^{2} y}{d x^{2}}+\frac{d y}{d x}-2 y=x \text { given } y(0)=1, y^{\prime}(0)=0
$$

12. Obtain the Fourier series for $f(x)=x^{2}$ in the interval $-\pi<x<\pi$ and hence show that $\sum \frac{1}{n^{2}}=\frac{1}{1^{2}}+\frac{1}{2^{2}}+\frac{1}{3^{2}}+\ldots \ldots . .=\frac{\pi^{2}}{6}$
13. Express $f(x)=x$ as a half-range sine series in $0<x<2$
14. Maximize $Z=4 x_{1}+5 x_{2}$ subject to constraints
$2 x_{1}+5 x_{2} \leq 25$
$6 x_{1}+5 x_{2} \leq 45$
$x_{1} \geq 0$ and $x_{2} \geq 0$
graphically
15. Solve the following linear programming problem using the simplex method.

Maximize $\mathrm{P}=50 \mathrm{x}_{1}+80 \mathrm{x}_{2}$
Subject to $x_{1}+2 x_{2} \leq 32$
$3 x_{1}+4 x_{2} \leq 84$
$\mathrm{x}_{1}, \mathrm{x}_{2} \geq 0$

|  | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
| ITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| ation Control Division | Programme | BCE, BGE | Pass Marks | 16 |
|  | Year / Part | i1 11 | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Applied Mechanics (Dynamics) (CE 50i)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. The truck travels along a circular road that has a radius of 50 m at a speed of $4 \mathrm{~m} / \mathrm{s}$. For a short distance when $t=0$, its speed is then increased by $a_{4}=(0.4 t) \mathrm{m} / \mathrm{s}^{2}$, where $t$ is the seconds. Determine the speed and the magnitude of the truck's acceleration when $t=4 \mathrm{~s}$.

2. Two frictionless balls ( $m_{A}=6 \mathrm{~kg}, \mathrm{~m}_{\mathrm{B}}=3 \mathrm{~kg}$ ) strike each other as shown in figure. The coefficient of restitution between the balls is $\mathrm{e}=0.67$. Find the velocities of A and B after the impact if initial velocity are $v_{A}=3 \mathrm{~m} / \mathrm{s}$ and $\mathrm{v}_{\mathrm{B}}=4.5 \mathrm{~m} / \mathrm{s}$. Explain the principle of work and energy with goveming equation.

3. Define linear and angular momentum of system of particles. A nozzle discharges a stream of water of cross-sectional area $A=100 \mathrm{~mm}^{2}$ with a speed of $v=60 \mathrm{~m} / \mathrm{s}$ and the stream is deflected by a fixed vane as shown in figure. The mass density of water $\rho=1000 \mathrm{~kg} / \mathrm{m}^{3}$. Determine the resultant force $\vec{F}$ exerted on the stream by fixed vane.

4. Define Instantaneous centre of rotation (ICR) with examples. Crank $A B$ of the engine system has a constant clockwise angular velocity of 2000 rpm . For the crank position shown, calculate angular acceleration of rod BD and acceleration of piston P (point D ). [Take $\omega_{\mathrm{BD}}=61.87 \mathrm{rad} / \mathrm{s}(\mathrm{ccw})$ and $\mathrm{v}_{\mathrm{D}}=13.2558 \mathrm{~m} / \mathrm{s}(\rightarrow)$ (if necessary)]

5. Explain the principle of impulse and momentum for the plane motion of rigid body. A cord is wrapped around a homogeneous disk of radius $\mathrm{r}=0.5 \mathrm{~m}$ and mass $\mathrm{m}=15 \mathrm{~kg}$. If the cord is pulled upward with a force $\overrightarrow{\mathrm{T}}$ of magnitude 200 N , determine
a) the acceleration of the center of the disk.
b) the angular acceleration of the disk.
c) the acceleration of the cord.


|  | Exam. |  | Back |  |
| :---: | :---: | :---: | :---: | :---: |
| TRIBHUVAN UNIVERSTY | Level | BE | Full Marks | 40 |
|  | Programme | BCE, BGE | Pass Marks | 16 |
|  | Year/Part | I/I | Time | $1 / 2 \mathrm{hrs}$. |

## Subject:- Applied Mechanics (Dynamics) (CE 501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Rotation of the arm about $O$ is defined by $\theta=0.23 t^{2}$ where $\theta$ is in radians and $t$ in seconds. Collar B slides along the ram such that $r=0.9-0.12 t^{2}$ where $r$ is in meters. After the arm has rotated tbrough $35^{\circ}$, determine the total acceleration of the collar.

2. What is the principle of conservation of energy of a system? Ilustrate it with suitable example. A small block starts from rest at point A and slides down the inclined plane as shown. What distance along the horizontal plane will it travel before coming to rest? The coefficient of static and kinetic friction between the block and either plane are 0.35 and 0.3 respectively. Assume that the initial velocity with which it starts to move along $B C$ is of the same magnitude as that gained sliding from $A$ to $B$.

3. A double pendulum shown in figure oscillates in the xy plane. At the instant shown $\omega_{1}=$ $2 \mathrm{rad} / \mathrm{sccw}$ and $\omega_{2}=3 \mathrm{rad} / \mathrm{sccw}$. Take $\mathrm{a}=0.5 \mathrm{~m}$ and $\mathrm{b}=0.7 \mathrm{~m}$. What is the angular momentum ( Ho ) at this instant of $m_{1}=m_{2}=1 \mathbf{k g}$ ? It is given that the lower pendulum is connected to mass m by pin joint and is free to rotate about this point.

4. Define instantaneous center of rotation with an example. In the position shown, bar AB has an angular velocity of $6 \mathrm{rad} / \mathrm{s}$ clockwise. Determine the angular velocity of bars BD and DE.

5. Explain $D^{\prime}$ Alemberts principle with necessary equations. Gear A has a mass of 10 kg and a radius of gyration of 80 mm . The system is at rest when a couple M of magnitude 8 Nm is applied to gear $B$. Neglecting friction. Take $r_{A}=250 \mathrm{~mm}$ and $r_{B}=100 \mathrm{~mm}$. Determine:
a) The time required for the angular velocity of gear $C$ to reach 600 rpm .
b) The tangential force which gear $B$ exerts on gear $A$.


| TRIBHUAAN UNIVERSTTY | Exam. | Rejubar |  |  |
| :---: | :---: | :---: | :---: | :---: |
| TITUTE OF ENGINEERING | Level | BE | Full Mains | 40 |
| Division | Programime | BCE, BGE | Pass Marks | 16 |
| 2078 Bhadra | Year/Part | II / | Time | $11 / 2 \mathrm{hrs}$. |

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. A radar gun at ' $O$ ' rotates with the angular velocity of $(\mathrm{d} \theta / \mathrm{dt})=0.15 \mathrm{rad} / \mathrm{sec}$ and angular acceleration of $\left(d^{2} \theta / \mathrm{dt}^{2}\right)=0.025 \mathrm{rad} / \mathrm{sec}^{2}$ at the instant $\theta=40^{\circ}$, as it follows the motion of the car travelling along the circular road having radius of $r=250 \mathrm{~m}$. Determine the magnitude of velocity and acceleration of the car at this instant.

2. A 0.45 kg collar is attached to a spring and slides without friction along a circular rod in a vertical plane. The spring has an undeformed length of 127 mm and a constant $\mathrm{K}=146 \mathrm{~N} / \mathrm{m}$. Knowing that the collar is released from being held at $A$, determine the speed of the collar and the normal force between the collar and the rod as the collar passes through B.

3. Define angular momentum for a system particle. A 10 kg projectile is moving with a velocity of $30 \mathrm{~m} / \mathrm{s}$ when it explodes into two fragments $A$ and $B$ weighing 2.5 kg and 7.5 kg respectively, knowing that immediately after the explosion, fragments a and B travel in the directions defined respectively by $\theta_{\mathrm{A}}=45^{\circ}$ and $\theta_{\mathrm{B}}=30^{\circ}$, determine the velocity of each fragment.

4. Define General plain motion with suitable example. Knowing that at the instant shown rod $A B$ has zero angular acceleration and an angular velocity of $15 \mathrm{rad} / \mathrm{s}$ counter clockwise. Determine
a) angular acceleration लf arm DE
b) the acceleration of Point $D$.

5. The portion $A O B$ of the mechanism is actuated by gear $D$ and at the instant shown has a clockwise angular velocity of $8 \mathrm{rad} / \mathrm{s}$ and a counter clockwise aqngular acceleration of $40 \mathrm{rad} / \mathrm{s}^{2}$. Determine tangential force exerted by gear D . Take $\mathrm{m}_{\mathcal{E}}=4 \mathrm{~kg}, \bar{k}_{E}=85 \mathrm{~mm}$ and $\mathrm{m}_{\mathrm{OB}}=3 \mathrm{~kg}$

6. A slender 4 kg rod can rotate in a vertical plane about a pivot at B. A spring of constant $\mathrm{k}=400 \mathrm{~N} / \mathrm{m}$ and of unstretched length 150 mm is attached to the rod as shown. Knowing that the rod is released from rest in the position shown, determine its angular velocity after it has rotated through $90^{\circ}$.


## TRIBHUVANUNIVERSITY <br> INSTTTUTE OF ENGINEERING <br> Examination Control Division 2078 Kartik

| Exam. | Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | -40 |
| Programme | BCE, BGE | Pass Marks | 16 |
| Xear /Part | II /I | Time | $11 / 2$ hrs. |

## Subject: - Applied Mechanics (Dynamics) (CE 501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt Allquestions.
$\checkmark$. The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. A bullet is fired into a viscous medium with an initial velocity of $80 \mathrm{~m} / \mathrm{s}$. The resistance of the medium produces a resistance equal of $a=\left(-0.5 v^{3}\right) \mathrm{m} / \mathrm{s}^{2}$, where $v$ is in $\mathrm{m} / \mathrm{s}$. Calculate the bullet's velocity and position 3 sec after it is fired.
2. a) Differentiate the concept of "work-energy" and "impulse-momentum" principles for study of kinetics of particle.
b) A particle having mass 0.5 kg is released from rest and strikes the stationary particle of mass 0.4 kg as shown in figure. Assume the impact is direct and elastic. If the horizontal surface has a kinetic coefficient of friction $\mu=0.3$. Locate the final position of each mass from the origin of $x$-axis.

$$
2
$$

(20.25)
3. A 2 -in-diameter water jet having a velocity of $25 \mathrm{ft} / \mathrm{s}$ impinges upon a single moving blade as shown in figure. If the blade moves with a constant velocity of $5 \mathrm{ft} / \mathrm{s}$ away from the jet, determine the horizontal and vertical components of force which the blade is exerting on the water. What power does the water generate on the blade? Water has a specific weight of $62.4 \mathrm{lb} / \mathrm{ft}^{3}$.

4. If crank OA rotates with an angular velocity $12 \mathrm{rad} / \mathrm{s}$, determine the velocity of piston B , velocity of midpoint of $A B$ and the angular velocity of rod $A B$ at the instant shown. Define constrained motion with examples.

5. A wheel is wrapped around the inner drum of a wheel and pulled horizontally with a force of 200 N . The wheel has a mass of 45 kg and radius of gyration of 70 mm . Knowing that $\mu_{\mathrm{s}}=0.2$ and $\mu_{\mathrm{k}}=0.15$, determine the acceleration of $G$ and angular acceleration of wheel.

6. A bullet weighing 40 gm is fired with horizontal velocity of $600 \mathrm{~m} / \mathrm{s}$ into the lower end of a siender 7 kg bar of length $L=600 \mathrm{~mm}$. Knowing that $\mathrm{h}=260 \mathrm{~mm}$ and that the bar is initially at rest, determine (a) the angular velocity of bar immediately after the builet becomes embedded, (b) the impulsive reaction at $C$, assuming that the bullet becomes embedded in 0.001 s .


## Tribhuvan unversity INSTIIUTE OF ENGINEERNG Examination Control Division 2076 Ashwin

| Exam. |  | Back |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 40 |
| Programme | BCE, BGE | Pass Marks | 16 |
| Year/Part | II/I | Time | $11 / 2$ hrs. |

## Subject: - Applied Mechanics (Dynamics) (CE 501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. The ball at $A$ is kicked such that $\theta_{A}=30^{\circ}$. If it is strikes the ground at $B$ having co-ordinates $\mathrm{x}=15 \mathrm{ft}$ and $\mathrm{y}=-9 \mathrm{ft}$, determine the speed at which it is kicked.

2. A nozzle discharges a stream of water of cross sectional area $A=4000 \mathrm{~mm}^{2}$ with a speed $v=48 \mathrm{~m} / \mathrm{sec}$, and the stream is deflected by a fixed vane which is moving in the same direction of water flow with constant speed of $16 \mathrm{~m} / \mathrm{sec}$ as shown in figure. The mass density of water $\rho=1000 \mathrm{~kg} / \mathrm{m}^{3}$. Determine the resultant force exerted on the stream by the fixed vane and maximum power developed.

3. Define angular momentum for a rigid body in plane motion with examples.
4. A $20-\mathrm{lb}$ projectile is moving with a velocity of $100 \mathrm{ft} / \mathrm{s}$ when it explodes into two fragments A and B , weighing 5 lb and 15 lb , respectively. Knowing that immediately after the explosion, fragments $A$ and $B$ travel in directions defined respectively by $\theta_{A}=45^{\circ}$ and $\theta_{\mathrm{B}}=30^{\circ}$, determine the velocity of each fragment.

5. Define Coriolis acceleration of a rigid body in general plane motion. For the figure shown knowing that at the instant shown the velocity of point $D$ is $2.4 \mathrm{~m} / \mathrm{s}$ upward, determine (a) the angular velocity of rod $A B$, (b) the velocity of the midpoint of rod $B D$.

6. Each of gear $A$ and $B$ has a weignt of 2.5 Kg and radius of gyration of 100 mm inch while gear $C$ has a weight of 12.5 kg and radius of gyration of 180 mm . A couple M of magnitude of $10 \mathrm{~N}-\mathrm{m}$ is applied to gear C . Determine a) number of revolution of gear C required for its angular velocity to increase from 100 to 450 rpm a) the corresponding tangential force on gear $A$.


TRIBHUVAN UNIVERSITY
INSTITUTE OF ENGINEERING Examination Control Division 2076 Ashwin

| Exam. |  | Back |  |  |
| :--- | :--- | :--- | :--- | :---: |
| Level | BE | Fill Marks | 40 |  |
| Programme | BCE, BGE | Pass Marks | 16 |  |
| Year/Part | II/I | Time | $1 / 2 \mathrm{hrs}$ |  |

## Subject: - Applied Mechanics (Dynamics) (CE 501)

$\checkmark$ Candidates are required to give their answess in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suritable data if necessary.

1. The ball at $A$ is kicked such that $\theta_{A}=30^{\circ}$. If it is strikes the ground at $B$ having co-ordinates $x=15 \mathrm{ft}$ and $y=-9 \mathrm{ft}$, determine the speed at which it is kicked.

2. A nozzle discharges a stream of water of cross sectional area $A=4000 \mathrm{~mm}^{2}$ with a speed $v=48 \mathrm{~m} / \mathrm{sec}$, and the stream is deflected by a fixed vane which is moving in the same direction of water flow with constant speed of $16 \mathrm{~m} / \mathrm{sec}$ as shown in figure. The mass density of water $\rho=1000 \mathrm{~kg} / \mathrm{m}^{3}$. Determine the resultant force exerted on the stream by the fixed vane and maximum power developed.

3. Define angular momentum for a rigid body in plane motion with examples.
4. A $20-\mathrm{lb}$ projectile is moving with a velocity of $100 \mathrm{ft} / \mathrm{s}$ when it explodes into two fragments A and B , weighing 5 lb and 15 lb , respectively. Knowing that immediately after the explosion, fragments A and B travel in directions defined respectively by $\theta_{\mathrm{A}}=45^{\circ}$ and $\theta_{\mathrm{B}}=30^{\circ}$, determine the velocity of each fragment.

5. Define Coriolis acceleration of a rigid body in general plane motion. For the figure shown knowing that at the instant shown the velocity of point D is $2.4 \mathrm{~m} / \mathrm{s}$ upward, determine (a) the angular velocity of rod AB , (b) the velocity of the midpoint of rod BD .

6. Each of gear $A$ and $B$ has a weight of 2.5 Kg and radius of gyration of 100 mm inch while gear $C$ has a weight of 12.5 kg and radius of gyration of 180 mm . A couple M of magnitude of $10 \mathrm{~N}-\mathrm{m}$ is applied to gear C . Determine a) number of revolution of gear C required for its angular velocity to increase from 100 to 450 rpm a) the corresponding tangential force on gear A .


## TRIBHUVAN UNIVERSITY <br> INSTITUTE OF ENGINEERING <br> Examination Control Division <br> 2075 Chaitra

| Exam. | Reqular / Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 40 |
| Programme | BCE, BGE | Pass Marks | 16 |
| Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Applied Mechanics (Dynamics) (CE 501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Define relative velocity and acceleration with suitable example.
2. A $30-\mathrm{kg}$ block is dropped from a height of 2 m onto the $10-\mathrm{kg}$ pan of a spring scale. Assuming the impact to be perfectly plastic, determine the maximum deflection of the pan. The constant of the spring is $\mathrm{k}=30 \mathrm{kN} / \mathrm{m}$.

3. Explain general plane motion of rigid bodies with suitable example.
4. Derive an expression for the force exerted on the system due to change in mass over time. Show that the final acceleration increases when system loses mass.
5. Define centre of rotation. In an engine system as shown in the figure below, crank $A B$ has a constant clockwise angular velocity of 1800 rpm . For the crank position as shown, determine (a) the angular velocity of the connecting rod BD and (b) the velocity of the piston $P$.

6. A bullet weighting 40 gm is fired with a horizontal velocity of $600 \mathrm{~m} / \mathrm{s}$ into the lower end of a slender 7 kg bar of length $\mathrm{L}=600 \mathrm{~mm}$. Knowing that $\mathrm{h}=240 \mathrm{~mm}$ and that the bar is initially at rest, determine
a) the angular velocity of the bar immediately after the bullet becomes embedded.
b) The impulsive reaction at C , assuming that the bullet becomes embedded in 0.001 s .


| 06 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING | Exam. |  |  |  |
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|  | Level | BE | Full Marks | 40 |
| Cxamination Control Division | Programme | BCE, BGE | Pass Marks | 16 |
| 2075 Ashwin | Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

Subject: - Applied Mechanics (Dynamics) (CE501)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. The magnitude and direction of the velocities of two balls $A$ and $B$ having masses 1.2 kg and 1.8 kg respectively before they strike each other are shown as in figure below. Assuming $e=0.84$, determine the velocity of each ball after the impact. How much K.E. will be lost due to the impact?

2. A $20-\mathrm{lb}$ projectile is moving with a velocity of $100 \mathrm{ft} / \mathrm{s}$ when it explodes into 5 and $15-\mathrm{lb}$ fragments. Immediately after the explosion, the fragments travel in the directions $\theta_{\mathrm{A}}=45^{\circ}$ and $\theta_{\mathrm{B}}=30^{\circ}$. Determine the velocity of each fragment.

3. Rod $A B$ moves over a small wheel at $C$ while end $A$ moves to the right with a constant velocity of $635 \mathrm{~mm} / \mathrm{s}$. At the instant shown, determine (a) the angular velocity of the rod, (b) the velocity of end B of the rod.

4. The center of the double gear has a velocity and acceleration to the right of $1.2 \mathrm{~m} / \mathrm{s}$ and $3 \mathrm{~m} / \mathrm{s} 2$, respectively. The lower rack is stationary. Determine (a) the angular acceleration of the gear, and (b) the acceleration of points B, C and D.

5. A $2.5-\mathrm{kg}$ sphere moving horizontally to the right with an initial velocity of $7 \mathrm{~m} / \mathrm{s}$ strikes the lower end an $10-\mathrm{kg}$ rod AB . The rod is suspended from a hinge at A and is initially at rest. Knowing that the co-efficient of restitution between the rod and the sphere is 0.890 , determine the angular velocity of the rod and the velocity of the sphere immediately after the impact.


| TRIBHUVAN UNIVERSTTY | Exam. | Regular |  |  |
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| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE, BGE | Pass Marks | 16 |
| 2074 Chaitra | Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Applied Mechanics (Dynamics) (CE501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Derive relations for the radial and transverse components of the acceleration when a particle is moving curvilinearly.
2. The 4 kg slider is released from rest from position $A$ and slides down the frictionless rod in vertical plane. Determine a) the velocity ' $v$ ' of the slider as it strikes the spring $b$ ) maximum deflection of spring.

3. Two masses shown in figure oscillate on the smooth plane in the $x$-direction.
a) Write the differential equation of motion for each mass
b) Find the equation of motion for the center of the mass.
c) Wite the expression for kinetic and potential energy of the system of particles.

4. A cord is wrapped around a homogenous disk of radius $\mathrm{r}=0.5 \mathrm{~m}$ and mass 20 kg . If the cord is pulled upward with a force of magnitude $F=250 \mathrm{~N}$, determine (a) the angular acceleration of the disk, (b) the acceleration of the disk and (c) the acceleration of the cord.

5. A 15 kg slender rod pivots about the point O . The other end is pressed against a spring ( $k=300 \mathrm{kN} / \mathrm{m}$ ) until the spring is compressed one inch and the rod is in a horizontal position. If the rod is released from this position, determine its angular velocity and the reaction at the pivot as the rod passes through a vertical position. . $\because$

6. Define impulsive motion and eccentric impact A slender 4 kg rod can rotate in a vertical plane about a pivot at B. A spring of constant $\mathrm{k}=400 \mathrm{~N} / \mathrm{m}$ and of unstretched length 150 mm is attached to the rod as shown. Knowing that the rod is released from rest in the position show, determine its angular velocity after it has rotated through $90^{\circ}$.


06 TRIBHUVAN UNIVERSITY
INSTITUTE OF ENGINEERING
Examination Control Division 2074 Ashwin

| Exam. |  | Back |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 40 |
| Programme | BCE, BGE | Pass Marks | 16 |
| Year/Part | II/I | Time | $11 / 2$ hrs. |

## Subject: - Applied Mechanics (Dynamics) (CE501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. The bob of a 2 m pendulum describes an arc of circle in a vertical plane. If the tension in the cord is 2.5 times the weight of the bob for the position shown. Find the velocity and acceleration of the bob in the given position.

2. a) What is the principle of conservation of energy of a system? Illustrate it with suitable example.
b) 2 kg collar is attached to a spring and slides without friction in a vertical plane along the curved rod $A B C$. The spring is undeformed when its length is 100 mm and its constant is $800 \mathrm{~N} / \mathrm{m}$. If the collar is released at ' $A$ ' with no initial velocity, determine its velocity (a) as it passes through ' B ' (b) as it reaches at ' C '

3. Derive the expression for resultant force for the system of variable mass. A double pendulum as shown in figure below oscillates in X-Y plane. At the instant shown, $\mathrm{w}_{1}=4 \mathrm{rad} / \mathrm{sec} \mathrm{CCW}$ and $\mathrm{w}_{2}=5 \mathrm{rad} / \mathrm{sec}$ CCW. What will be the angular momentum about ' $O$ ' at this instant, if $m_{1}=3 \mathrm{~kg}$ and $m_{2}=4 \mathrm{~kg}$ ? Note that the lower pendulum is connected to mass ' m ' by a pin joint and is free to rotate about this point.
4. What is the meaning of corioli's acceleration in plane motion of Rigid body? Crank AB of the engine system shown in figure below, has a constant clockwise angular velocity of $2000 \mathrm{rev} / \mathrm{min}$. For the crank position as shown in figure below, determine the angular acceleration the connecting rod ' BD ' and the acceleration of point ' D '. Given that the value of $\mathrm{w}_{\mathrm{BD}}=61.9 \mathrm{rad} / \mathrm{sec}$ and the angle made by rod BD with horizontal $\beta=13.9$.

5. A cord is wrapped around a homogeneous disk of radius $r=0.5 \mathrm{~m}$ and mass $\mathrm{m}=15 \mathrm{~kg}$. If the cord is pulled upward with force $\vec{T}$ of magnitude 180 N , determine (a) the acceleration of the center of the disk (b) the angular acceleration of the disk (c) the acceleration of the cord.

6. Differentiate the central and Eccentric impact of the body. Each of the two slender rods as shown in figure below is 0.75 m long and has a mass of 6 kg . If the system is released from rest when $\beta=50^{\circ}$, determine (a) the angular velocity of rod " AB " when ' $\beta$ ' $=20^{\circ}$ (b) the velocity of point ' $D$ ' at the same instant.


| TRIBHUVAN UNIVERSITYTITUTE OF ENGINEERING | Exam. | Regular |  |  |
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|  | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE, BGE | Pass Marks | 16 |
| 2073 Chaitra | Year/Part | 1111 | Time | 11/2 hrs. |

Subject: - Applied Mechanics (Dynamics) (CE501)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Altempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Derive the expression for radial and transverse components of acceleration when a particle moves in a curvilinear path.
2. Two identical balls collides with the velocities of $\mathrm{V}_{\Lambda}=15 \mathrm{~m} / \mathrm{s}$ and $\mathrm{V}_{\mathrm{B}}=15 \mathrm{~m} / \mathrm{s}$ as shown in figure. What are the final velocities after the impact? Given that the coefficient of restitution $\mathrm{e}=0.8$.

3. Derive the expression for the resultant force exerted on the surface of pipe due to the steady stream of particles.
4. a) Describe about the types of rigid body motion with suitable sketches.
b) Determine the angular velocities of link BD and AB and also find the velocity of point $B$ at the position shown in figure below. Provided that the block ' B ' moves with a speed of $2 \mathrm{~m} / \mathrm{s}$.

5. Describe about the constrained motion of rigid body in plane with suitable examples.
6. A 250 kg block is suspended from a inextensible cable which is wrapped around a drum of 400 mm radius rigidly attached to the fly wheel as shown in figure below. The drum and flywheel have a combined centroidal moment of inertia $\overline{\mathrm{I}}=20 \mathrm{~kg} \mathrm{~m}^{2}$. At the instant given in figure, the velocity of the block is $1.5 \mathrm{~m} / \mathrm{sec}$ directed downward. Knowing that the bearing at ' $A$ ' is poorly lubricated and that the bearing friction is equivalent to a couple $\vec{M}$ of magnitude 80 N -m, Determine the velocity of the block after it has moved 1 m downward.

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## 05 <br> tribhevanuniversity <br> INSTITUTE OF ENGINEERING <br> Examination Control Division <br> 2073 Shrawan

| Exam. | N New Back (2066 \& Later Batch) |  |  |
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| Level | BE | Full Marks | 40 |
| Programme | BCE, BGE | Pass Marks | 16 |
| Year/Part | II/I | Time | $11 / 2$ hrs. |

## Subject: - Applied Mechanics (Dynamics) (CE501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt AlI questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if-necessary.

1. Rotation of the arm about $O$ is defined by $\theta=0.75 t^{2}$ where $\theta$ is in radians and $t$ in seconds. Collar $B$ slides along the arm such that $r=1-0.3 t^{2}$ where $r$ is in meters. After the arm has rotated through $45^{\circ}$, determine (a) the total velocity of the collar, (b) the total acceleration of the collar and (c) the relative acceleration of the collar with respect to the arm.

2. A 30 kg block is dropped from a height of 2 m onto the 10 kg pan of a spring scale. Assuming the impact to be perfectly plastic, determine the maximum deflection of the pan. The constant of the spring is $\mathrm{k}=20 \mathrm{kN} / \mathrm{m}$.

3. A double pendulum as shown in figure below oscillates in the $\mathrm{X}-\mathrm{Y}$ plane. As shown in figure below, $W_{1}=2 \mathrm{rad} / \mathrm{sec}$. CCW and $W_{2}=4 \mathrm{rad} / \mathrm{sec} \mathrm{CCW}$. What is $\vec{H}_{0}$ at this instant if $m_{1}=1 \mathrm{~kg}$ and $m_{2}=2 \mathrm{~kg}$. The lower pendulum is connected to mass $m_{1}$, by a pin jeint and is free to rotate about this point.

4. The center of the double gear has a velocity and acceleration to the right of $1.2 \mathrm{~m} / \mathrm{s}$ and $3 \mathrm{~m} / \mathrm{s}^{2}$, respectively. The lower rack is stationary. Determine (a) the angular acceleration of the gear and (b) the acceleration of points B, C and D.

5. A chord is wrapped around a homogeneous disk of radius $r=0.5 \mathrm{~m}$ and mass $\mathrm{m}=30 \mathrm{~kg}$ as shown in figure below. If the cord is pulled upward with a force $T$ of magnitude 200 N , determine (a) the acceleration of the center of the disk (b) the angular acceleration of the disk (c) the acceleration of the chord.

6. Derive the expression for the resultant force on the system with variable mass.

| NIVERSTTY | Exam. |  | Regular |  |
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| TUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| n Control Division | Programme | BCE, BGE | Pass Marks | 16 |
| 2072 Chaitra | Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject:-Applied Mechanics (Dynamics) (CESO1)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Altempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary:

1. A bullet is fined at an angle of $30^{\circ}$ to the horizontal from a point ' $P$ ' on a hill and it strikes a target which is 100 m lower than the level of projection. The initial velocity of the bullet is $120 \mathrm{~m} / \mathrm{s}$. Neglecting the air resistance caiculate:

i) The maximum height to which the bullet will rise above the horizontal
ii) The actual velocity with which it will strike the target
iii) The total time required for the flight of bullet
2. The magnitude and direction of the velocities of two frictionless balls with the mass $m_{A}=30 \mathrm{~kg}$ and $m_{B}=50 \mathrm{~kg}$ before they strike each other are shown in figure below. Assume $\mathrm{e}=0.9$, determine the magnitude and direction of the velocity of each ball antes the impact.

3. A nozzle discharges a stream of water of cross-sectional area " $A$ " with a velocity $V_{A}$. The stream is deflected by single blade which moves to the right with a constant velocity V . Assuming that the water moves along the blade at a constant. Determine:
i) The component of forces exerted by the blade on the stream.
ii) The velocity $V$ for which maximum power is developed.

4. Craik $A B$ of the engine system has a constant clockwise angular velocity of 200 rm , which makes the angle $60^{\circ}$ with horizontal level. For the crank position shown in figure below. Determine the angular acceleration of the connecting rod BD and the acceleration of point $D$.

5. The system is at rest when a moment of $M=8 \mathrm{~N}-\mathrm{m}$ is applied to gear B . Neglecting friction (a) determine the number of revolutions of gear $B$ before its angular velocity reaches 540 rpm and (b) tangential force exerted by gear $B$ on gear $A$.


$$
\begin{array}{ll}
m_{A}=10 \mathrm{~kg} & \bar{k}_{A}=200 \mathrm{~mm} \\
m_{B}=3 \mathrm{~kg} & \overline{\bar{k}}_{B}=30 \mathrm{~mm}
\end{array}
$$

6. Deduce an expression which shows the relation for the force exerted by the vane on the stream while you are dealing with the steady stream of particles.

| TRIBHUVAN UNIVERSITY | Exam. | - Yew Back (2066 \& Later Batch) |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE, BGE | Pass Marks | 16 |
| 2072 Kartik | Year/Part | II / I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Applied Mechanics (Dynamics) (CE501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data ifnecessary.

1. A radar gun at 0 rotates with the angular velocity of $\dot{\theta}=0.1 \mathrm{rad} / \mathrm{s}$ and angular acceleration of $\ddot{\theta}=0.025 \mathrm{rad} / \mathrm{s}^{2}$, at the instant $\theta=45^{\circ}$, as it follows the motion of the car travelling along the circular road having a radius of $\mathrm{r}=200 \mathrm{~m}$. Determine the magnitude of velocity and acceleration of the car at this instant.

2. Tow block $A$ and $B$ are connected by means of an inextensible and weightless cord as shown in figure below. The bodies start to slide from rest. If the dynamic coefficient of friction is ' $\mu \mathrm{d}$ ' for block A on the surface inclined at an angle $\alpha$, compute the velocity of the object $A$ at any time $t$, before the body $A$ reaches the end of incline.

3. Derive equation for kinetic energy of a system of particles. A 10 kg projectile is moving with a velocity of $30 \mathrm{~m} / \mathrm{s}$ when it explodes into two fragments $A$ and $B$, weighing 3 kg and 7 kg respectively. Knowing that immediateiy after the explosion, fragments A and B travel in directions defined respectively by $\theta_{A}=45^{\circ}$ and $\theta_{B}=30^{\circ}$, determine the velocity of the each fragment.

4. When does a general plane motion occur in a rigid body? Give some examples of GPM. The end $B$ of the $\operatorname{rod} A B$ moves with a constant velocity $V_{B}=0.9 \mathrm{~m} / \mathrm{s}$ (toward right). Determine velocity of end $A$ and angular velocity of rod $A B$.

5. The entremities of a 1.5 m rod of mass 30 kg may move freely and with no friction. If the rod is released initially from rest from the position shown, determine angular acceleration of the rod.

6. Write the expression for kinetic energy of a rigid body in rotational motion with notations. A slender 4 kg rod AC can rotate in a vertical plane about a pivot at B . A spring of constant $\mathrm{K}=400 \mathrm{~N} / \mathrm{m}$ and of outstretched length 150 mm is attached to the rod as shown. Knowing that the rod is released from rest in the position shown, determine its angular velocity after it has rotated through $90^{\circ}$.


| 05 TRIBHUVAN UNIVERSITY | Exam. | New $B$ | 6 \& La | Batcli) |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programḿe | BCE, BGE | Pass Marks | 16 |
| 2071 Shawan | Year/Part | 11/1 | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Applied Mechanics (Dynamics) (CE501)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Derive expression for tangential and normal components of acceleration while the particle moves in a curve path. A pulley weighing 5.44 kg and having a radius of gyration of 20.3 cm is connected to two blocks as shown in figure below. Assuming no axel friction, determine the angular acceleration of the pulley.

2. Illustrate "Principle of conservation of energy" with an appropriate example. The magnitude and direction of the velocities of two identical frictionless balls before they strike each other are as shown in figure below. Assuming $\mathrm{e}=0.9$, determine the magnitude and direction of the velocity of each ball after the impact.

3. A system of particles has masses $m_{1}=5 \mathrm{~kg}, \mathrm{~m}_{2}=2 \mathrm{~kg}$ and $\mathrm{m}_{3}=6 \mathrm{~kg}$ and their locations and velocities at time $t_{1}$ and time $t_{2}$ are shown in figure (a) and (b) respectively. What is the total linear impulse on the system during this time interval? Also determine the total angular impulse of the system during this time interval about the origin.
Figure (a)

4. Gear A rotates with an angular velocity of 120 rpm clockwise and angular velocity of $\operatorname{arm} \mathrm{AB}$ is 90 rpm . Determine the corresponding angular velocity of Gear B .

$\mathrm{r}_{\mathrm{A}}=60 \mathrm{~mm}$
$\mathrm{I}_{\mathrm{B}}=90 \mathrm{~mm}$
5. Each of the two slender rods shown in figure below is 0.75 m long and has a mass of 5 kg . If the system is released from rest when $\beta=50^{\circ}$, determine: (a) the angular velocity of rod AB , when $\beta=30^{\circ} \mathrm{(b)}$ the velocity of point $D$ at the same instant.


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|  |  | 111 | Full Marks | 40 |
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$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Altempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Rotation of the arm about ' $O$ ' is defined by $\theta=0.45 t^{2}$, where ' $\theta$ ' is in radian and ' $t$ ' is in seconds. Collar ' $B$ ' slides along the arm such that $r=1-0.4 t^{2}$, where ' $r$ ' is in meter. After the arm has rotated through $60^{\circ}$; determine: (a) the total velocity of the collar (b) the total acceleration of the collar (c) the relative acceleration of the collar with respect to the arm.
2. The two balls of masses 2 kg and 4 kg with a velocities $8 \mathrm{~m} / \mathrm{s}$ and $2 \mathrm{~m} / \mathrm{s}$ respectively; collides to each other. At the instant of impact, the velocities of the two bodies are parallel and inclined at $30^{\circ}$ to the line of impact. Determine the magnitude and directions of the velocities after the impact if the coefficient of restitution, $p=0.6$.

3. Show that the moment due to force resultant force about the fixed point $O$ of the external forces is equal to the rate of change of angular momentum about $O$ of the system of particles. While crushing in level flight at a speed of $913.3 \mathrm{~km} / \mathrm{hr}$ a jet aipplane scoops in air at a rate of $108.86 \mathrm{~kg} / \mathrm{s}$ and discharges it with a velocity of $670.56 \mathrm{~m} / \mathrm{s}$ relative to the airplane. Determine the total power deveioped by the engine.
4. Define the instantaneous center of rotation with examples. The center of double gear has a velocity of $2 \mathrm{~m} / \mathrm{s}$ to the right and the acceleration of $3 \mathrm{~m} / \mathrm{s}^{2}$ to the right. If the lower rack is stationary; determine: (a) The angular acceleration of the gear (b) The acceleration of the points $B, C$ and $D$ of the gear.

5. Explain De'Alembert's principle in relation to Newton's $2^{\text {nd }}$ Law of motion.
6. Define conservative and non conservative system with two examples for each. A 13.6 kg slender $\operatorname{rod} A B$ is 1.5 m long and is pivoted about a point O which is 0.3 m from end B . The other end is messed against a spring of constant $k=315 \mathrm{kN} / \mathrm{m}$ until the spring is compressed 2.54 cm . The rod is then in a horizontal position. If the rod is released from this position, determine its angular velocity and the reaction at the pivot $O$ as rod passes through a verticai position.


# 03 tribhuvan university <br> INSTITUTE OF ENGINEERING <br> Examination Control Division <br> 2070 Ashad 



## Subject:- Applied Mechanics (Dynamics) (CE5Ol)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary

1. What do you understand by Radial and Transverse components of acceleration? Derive an expression for the same.
2. Two balls $A$ and $B$ having mass 5 kg and 8 kg respectively collide as shown in figure

- below. Determine their velocity immediately after the impact if the coefficient of restitution is 0.80 . How much K.E. will be lost due to the impact?


3. A nozzle discharges a stream of water of cross sectional area $A$ with a velocity $\vec{V}_{A}$. The stream is deflected by a single blade which moves to the right with a constant velocity $\vec{V}$. Assuming that water moves along the blade at constant speed, determine the components of the force $\vec{F}$ exerted by the blade on the stream and velocity $\vec{V}$ for which maximum power is developed. (see figure below).
4. Crank AB of the engme sustem has a constant clockwise angular velocity of 200 rpm , which makes the angle $60^{-}$with horizontal level. For the crank position shown in figure
below. Determine the angular acceleration of the connecting $\operatorname{rod} \mathrm{BD}$ and the acceleration of point $D$.
5. Define the term rigid body. Describe, with an example, how you would apply $\mathrm{D}^{\prime}$ Alemberts principle in plane motion of rigid body.
6. A. 20 kg slender rod A 3 is 1.5 m long and is pivoted about a point ' $O$ ' which is 0.3 m from end ' $B$ '. The other end is pressed against a spring of constant $\mathrm{K}=400 \mathrm{KN} / \mathrm{m}$ until the
 from this pestion, deernine its anghe velocity and rection at the pive' 'O' as the rod from his pasthon, deemine ition. (see hgure below)
passes inrough a vertical posito


| 03 Triphuvan university | Exam. | 效敉 | 505 |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Controt Division | Programme | BCE | Pass Marks | 16 |
| 2969 Chaitra | Year / Part | III | Time | 11/2 hrs. |


| Subject: - Applied Mechanics (Dynamics) (CEjol) |
| :--- |
| $\checkmark$ Candidates are required to give their answers in their our wods as far as practicabie. |
| $\checkmark$ Attempt All questions. |
| $\checkmark$ The figures in the margin indicate Full Maits. |
| $\checkmark$ Assume suitable data if necessary. |

1. Derive an expression for tangenial and nomal components of a toceleration for a particle moving along a curve path.
2. The magnitude and direction of the velocities of two finctionless balls with the mass $\mathrm{m}_{\mathrm{A}}=100 \mathrm{~kg}$ and $\mathrm{m}_{\mathrm{B}}=20 \mathrm{~kg}$ before they strike each ouite are shown in ngue below. Assume e $=0.7$, determine the magnitude and direction of the veiocity of eaci ball afies the impact. How much K.E will be lost due to the impact?

3. Mass $m_{2}$ rotates about mass $m_{1}$ with angular velocity $\omega_{2}$ and mass $m_{1}$ rotates abouf 0 with anguiar velocity $w$. Calculate the angular momentum of the system about origin. $\mathrm{w}_{1}=5 \mathrm{rad} / \mathrm{sccw} \quad \mathrm{m}_{1}=2.2 \mathrm{~kg} \quad \mathrm{w}_{2}=4 \mathrm{rad} / \mathrm{s} \mathrm{ccw} \quad \mathrm{m}_{2}=1.6 \mathrm{~kg}$

4. The gear $A$ of the system as shown in figure below rotates with angular velocity $w_{A}=200 \mathrm{rpm}(9)$ and comecting arm CD rotates with $w_{C D}=70 \mathrm{rmp}(\mathbb{O})$. Determine the angular velocity of gear $B$. Radius of gear $A$ and $B$ are 100 and 150 mm respectively.

5. State De' Alembert's principle and show that the extemal force acting on the body are equivaient to a force-couple system consisting of a vector force attached to the mass center and a couple aboul the mass center.
E. Each of two slender reds $A B$ and BD has length 1.5 m and has the same mass of 12 kg as




## TRIBHUVAN UNIVERSITY <br> INSTITUTE OF ENGINEERING <br> Examination Control Division 2079 Bhadra

| Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year / Part | III | Time | 3 hrs . |

Subject: - Strength of Materials (CE 502)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Draw axial force, shear force and bending moment diagrams for the frame shown in the figure below. Also indicate the salient features.

2. Find out the principle axis and principle moment of inertia for the given section and verify using Mohr's circle.

3. a) Derive the expression for the elongation of a circular bar of tapering section due to axial load.
b) A rigid bar ' ABCD ' is supported at ' $A$ ' and connected with a brass rod $B E$ and a steel $\operatorname{rod} C F$ at ' $B$ ' and ' $C$ ' respectively as shown in the figure. A load of 15 kN is applied at ' $D$ '. Find the magnitude of stress in the brass rod and the steel rod. Take $A_{b}=1000 \mathrm{~mm}^{2}, A_{s}=600 \mathrm{~mm}^{2}, E_{b}=100 \mathrm{kN} / \mathrm{mm}^{2}$ and $E_{s}=200 \mathrm{kN} / \mathrm{mm}^{2}$.

4. a) The tensile stress at a point on two perpendicular planes along $X$-axis and $Y$-axis are $120 \mathrm{MN} / \mathrm{m}^{2}$ and $60 \mathrm{MN} / \mathrm{m}^{2}$ respectively. Find principle stresses and their direction. Based on obtained data, verify stress invariant concept. What will be the intensity of stress which acting alone can produce same maximum strain? Take poisson's ratio $=1 / 4$.
b) A cylindrical vessel 3 m long and 600 mm diameter with 10 mm thick plates is subjected to an internal pressure of 3 MPa . Calculate the change in volume of the vessel. Take $\mathrm{E}=200 \mathrm{GPa}$ and Poisson's ratio $=0.3$ for the vessel material.
5. a) A solid shaft is to transmit 300 kW at 120 rpm . Determine the diameter if the allowable shear stress is $100 \mathrm{~N} / \mathrm{mm}^{2}$ and the allowable angle of twist is $30^{\circ}$ per diameter length of the shaft. Assume that the maximum torque is 1.3 times the mean torque. Take $\mathrm{G}=10^{5} \mathrm{MPa}$.
b) What is pure bending? Explain with suitable example. Determine the maximum deflection in a simply supported beam $A B$ of length $L$, carrying uniformly distributed load of intensity w $\mathrm{kN} / \mathrm{m}$ over whole span.
6. A round bar fixed at bottom and free at top has a length of 3 m . Determine the buckling load for the bar if the load is applied axially on top. If a horizontal force of 15 kN at top can produces a horizontal deflection of 35 mm .

| TRIBHUVAN UNIVERSIIY | Exam. |  | Back |  |
| :---: | :--- | :--- | :--- | :--- |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE |  | Pass Marks |
| 2079 Baishakh | 32 |  |  |  |
|  | Year/Part | II/I | Time | 3hrs. |

## Subject: - Strength of Materials ( CE 502 )

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures.in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Define geometrical stability of the structure. "A structure which is statically determinate or indeterminate may be geometrically unstable". Give example to support the statement.
b) The shear force diagram (SFD) of an overhanging beam AD with support at A and C is shown in figure. Using it, determine
i) Bending moment at critical location and bending moment diagram.
ii) Loading on the beam.

2. a) Find from first principle the product of inertia about centroidal axis of a quarter circle lying in first quadrant.
b) Determine moments and product of inertia about centroidal axes for a shaded area shown. What will be the change in these values about an axis inclined at $30^{\circ}$ counterclockwise to the centroidal X and Y -axis? From the data obtained, show that the polar moment of inertia is invariant under rotation transformation.

3. a) What is the significance of upper yield point as seen in ductile material like mild steel? Also explain how to specify the strength of materials which do not have distinct yield point.
b) Two cooper rods and one steel rod together support a load as shown in figure. If the stress in copper and steel are not to exceed $550 \mathrm{~kg} / \mathrm{cm}^{2}$ and $1000 \mathrm{~kg} / \mathrm{cm}^{2}$ respectively. Determine the safe load that can be applied. The cross section of copper is $3 \times 3 \mathrm{~cm}^{2}$ and that of steel is $4 \times 4 \mathrm{~cm}^{2}$. Take Es=2Ec.

c) A steel truss is acted upon by the force as shown. It is found that a 20 mm diameter steel rod is capable of taking an ultimate load of 150 kN . If factor of safety is to taken as 3 ; determine the required diameter of rod BE .

4. What is Mohr's stress circle? Write step wise step procedure for Mohr's circle construction to determine stress on an inclined plane, the plane acting with "like normal stresses". Verify it with the expression obtained analytically.
5. Compare thin and thick walled vessel. A thin cylindrical shell is made of steel plates. It has hemispherical ends having diameter 300 mm and wall thickness 2 mm . Determine the thickness of cylindrical portion if there is no distortion of the junction under pressure. Take Es $=200 \mathrm{GPa}$ and poisson's ratio $=0.3$.
6. Discuss shaft in series and parallel on the basis of total angle of twist and torsion. A hollow steel shaft 20 cm in internal diameter and 30 cm external diameter is to be replaced by a solid alloy shaft. If the tensional rigidity is same for both the shafts, determine the ratio of polar moduli. $G$ for steel is equal to 2.5 times $G$ for alloy.
7. An 8 m long reinforced concrete channel section as shown is carrying water. Calculate maximum tensile and compressive bending stresses. $\mathrm{r}^{\mathrm{c}}=25 \mathrm{kN} / \mathrm{m}^{3}, \mathrm{r}^{\mathrm{w}}=10 \mathrm{kN} / \mathrm{m}^{3}$.

8. Write an empirical formula for calculating critical load for intermediate column. Calculate the maximum value of slenderness ratio of steel column for which Euler's formulas is valid. Take $\sigma \mathrm{c}=330 \mathrm{MN} / \mathrm{m}^{2}$ and $\mathrm{E}=210 \mathrm{GN} / \mathrm{m}^{2}$.

| TRIBHUVAN UNIVERSITY | Exam. |  | Regular |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE | Pass Marks. | 32 |
| 2078 Bhadra | Year/Part | II/ I | Time | 3 hrs . |

## Subject: - Strength of Materials (CE 502)

[^3]1. Draw axial force, shear force and bending moment diagram of given loaded frame. Also show the salient feature.

2. a) Calculate the principal moment of inertia about the centroid and locate the principal axes for the figure as shown below:

b) A seamless spherical vessel of 1.9 m internal diameter and 6 mm thick is filled with a fluid under pressure until its volume increases by $400 \mathrm{~cm}^{2}$. Calculate the pressure exerted by the fluid in the vessel. Take $2 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$ and Poisson's ratio $=0.25$.
3. a) Derive relationship between young's modulus and bulk modulus.
b) At what distance ' $x$ ' from the fixed end of the uniform bar should the ' $2 t$ ' force be applied in order that the net overall change in length of the bar will be zero?

4. a) For an infinitesimal element normal and shearing stresses in the two mutually perpendicular planes are given below. Determine the normal and shearing stresses on the inclined plane at an angle of $20^{\circ}$ with vertical. Also calculate principal stresses, their planes, maximum shear stresses and their planes.

b) Determine the end fixing couples, diameter of the shaft if the maximum shearing stress is not to exceed $50 \mathrm{MN} / \mathrm{m}^{2}$ and the position of the section where the shaft suffers no angular twist.

5. a) Determine the maximum bending stress in the beam shown in figure below.


All dimensions are in cm
b) A hollow mild steel tube is 5 m long and 4 cm internal diameter. Thickness of tube is 8 mm and it is used as a strut with both ends hinged. Determine critical load and safe load on the strut. Take $\mathrm{E}=2.1 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$ F.O.S $=3$

| TRIBHUVAN INIVERSTTY | Exam. | 128 | Back |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE | Pass Marks | 32 |
| 2078 Kartik | Year/Pait | II /I | Time | 3 hrs. |

## Subject: - Strength of Materials (CE 502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Draw axial force diagram, shear force diagram and bending moment diagram for the frame shown, indicating the salient features.

2. a) Determine principal moment of inertia and orientation of principal axes passing tbrough the centroid. All dimensions are in centimeter.

b) In a thin walled cylindrical vessel show that the volumetric strain is equal to two times circumferential strain plus longitudinal strain.
3. a) Derive a relation between Young's modulus of elasticity, Shear modulus and bulk modulus.
b) Two $150 \mathrm{~mm} \times 75 \mathrm{~mm} \times 4 \mathrm{~m}$ long timber members are reinforced with a steel plate $150 \mathrm{~mm} \times 6 \mathrm{~mm} \times 4 \mathrm{~m}$ long as shown in figure. The three members are adequately bolted together. The permissible stresses for the timber and the steel members are $6 \mathrm{~N} / \mathrm{mm}^{2}$ and $130 \mathrm{~N} / \mathrm{mm}^{2}$ respectively. E for timber is $8.4 \mathrm{GN} / \mathrm{m}^{2}$ and for steel is $210 \mathrm{GN} / \mathrm{m}^{2}$. Calculate the permissible tensile load for the composite member and the amount of elongation due to this load.

4. a) Determine the principal stresses, orientation of principal planes, maximum shearing and normal stress on the plane of maximum shear stress. Verify the results by drawing Mohr's Circle.

b) A steel shaft transmits 200 horse power at 150 rpm . If the shaft is 110 mm in diameter, find the torque in the shaft and the maximum shear stress developed. Also, determine the angle of twist for the shatt in the length 5 m . Take $\mathrm{G}=90 \mathrm{GN} / \mathrm{m}^{2}$. ( $1 \mathrm{hp}=746$ watt)
5. a) A simply supported timber joist of 6 m span has to carry uniformly distributed load $5 \mathrm{kN} / \mathrm{m}$ over its entire length and a point load of 15 kN at its center. Determine the dimensions of the rectangular joist if the maximum permissible stress in bending is $12 \mathrm{~N} / \mathrm{mm}^{2}$.
Derive an expression for Euler's fomula for crippling load of a column of length ' $L$ ' with one end fixed and other hinged condition.

# TRIBHUVAN UNIVERSITY <br> INSTITUTE OF ENGINEERING <br> Examination Control Division 2076 Chaitra 

| Exam. | Regular |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | II/I | Time | 3 hrs. |

## Subject: - Strength of Materials (CE 502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Define point of contraflexure. Derive the relationship between rate of loading, Shear force and Bending moment.
b) Draw axial force shear force and bending moment diagram for a given loaded frame. Also write the salient features.

2. a) Define principal moment of inertias and principal axes.
b) Determine principal moment of inertias and principal axes passing through the centroid for the following shaded area.

3. a) Find the total elongation in the bar. Take E for the material as the 200Gpa. A Steel bar of $600 \mathrm{~mm}^{2}$ cross-sectional area is carrying loads as shown in the figure given below.

b) $\triangle$ Circular bar $A B C D$, rigidly fixed at $A$ and $D$ is subjected to axial loads of 50 KN and 100 KN at $B$ and $C$ as shown in the figure. Find the loads shared by each part of the bar and displacements of the points $B$ and $C$. Take E for the steel as 200 Gpa .

4. Direct stresses of 100 MPa in tension and 60 MPa in compression are applied to an elastic material at a certain point on planes right angles to each other. If the maximum stress in not to exceed 150 MPa , to what shearing stress can the material be subjected at the point? What is then the maximum shearing stress in the material? Also find the magnitude of the principal stresses and its planes.
5. A thin cylindrical shell is 5 m long and has 1 m internal diameter and 20 mm metal thickness. Calculate the maximum intensity of shear stress, longitudinal. stress and circumferential stress induced, if subjected to an internal pressure of $5 \mathrm{~N} / \mathrm{mm} 2$. Also calculate change in diameter, length and volume of the shell. Take $\mathrm{E}=200 \mathrm{GPa}$ and poisons ratio $=0.3$.
6. A steel shaft is connected to fixed supports as shown in figure. Limiting shear stress in the material is 50 MPa . Determine the maximum torque that can be applied at joint C . What is the shear stress at A?

7. A simply supported beam of span 10 m is to carry uniformly distributed load $20 \mathrm{KN} / \mathrm{m}$ over the entire span and a point load 50 KN at its center. Determine the dimension of beam, if the beam is rectangular in cross section and the maximum permissible stress in bending tension and compression are $120 \mathrm{~N} / \mathrm{mm}^{2}$ and $100 \mathrm{~N} / \mathrm{mm}^{2}$ respectively. Take depth of beam two times its breadth.
8. Derive the Eulers formula for critical load for a strut with both end hinged.
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| UVAN UNVERSITY | Exam. |  | Back |  |
| :---: | :---: | :---: | :---: | :---: |
| OF ENGINEERING | Level | BE | Full Marks | 80 |
| tion Control | Programme | BCE | Pass Marks | 32 |
| 2076 Ashwin | Year/Part | II/I | Time | 3 hrs . |

## Subject: - Strength of Material (CE 502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.

## $\checkmark$ Attempt All questions.

$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) State the principle of Superposition. Explain the stepwise procedure for the determination of bending moment of the beam using the principle of superposition.
b) Draw axial force, shear force and bending moment diagram for a given loaded frame.

Also write the salient features.

2. a) What is radius of gyration?
b) Determine principal moment of inertia about the centroidal axis of following figure.

3. a) In an experiment, a bar of 30 mm diameter is subjected to a pull of 60 KN . The measured extension on guage length of 200 mm is 0.09 mm and the change in the diameter is 0.0039 mm . Calculate the values of Poisson's ratio and three elastic moduli.
b) A composite bar made up of steel and aluminum is rigidly fixed between two supports as shown in figure. The two bars are free of stress at initial temperature of $25^{\circ} \mathrm{C}$. Find the stresses in the two bars when the temperature increases to $50^{\circ} \mathrm{C}$ if,
i) The support are unyielding
ii) The supports move away from each other by 0.1 mm .
[Given: $\mathrm{E}_{\mathrm{s}}=200 \mathrm{GPa}, \mathrm{E}_{\mathrm{A}}=70 \mathrm{GPa}, \alpha_{\mathrm{S}}=13 \times 10^{-6} /{ }^{\circ} \mathrm{C}, \alpha_{\mathrm{A}}=23.1 \times 10^{-6} /{ }^{\circ} \mathrm{C}$ ]

4. a) Determine the normal and shearing stress on the inclined plane at the angle of $40^{\circ}$ to the vertical. Also calculate principal stresses and their planes.

b) A 1 m long hollow cylindrical shaft is to be designed to transmit a power of 1670 KW at a rotational speed of 4500 rpm . The outer diameter is to be 1.75 times the inner diameter. The maximum shear stress of the material is to be limited to 210 MPa and the angle of twist is not to exceed 0.5 degrees. Determine the size of the shaft. Assume maximum torque is $30 \%$ greater than the average torque. shear modulus of material is 25.5 GPa .
5. a) Derive the Euler's formula for critical load for a strut with one end fixed another hinged. Also mention the limitation for using this formula.
b) A simply supported beam of span 10 m , subjected to UDL $w$ throughout the length. If permissible bending stress in tension and compression are 150 MPa and 180 MPa respectively. Calculate Moment of resistance and value of UDL by assuming the I-section as shown in figure.

6. A cylindrical shell of length 4 m internal diameter 300 mm and wall thickness of 12 mm is initially filled with water at atmospheric pressure. Find the increase in volume if the water is pumped to increase the internal pressure to $\mathrm{N} / \mathrm{mm}^{2}$. Take $\mathrm{E}=2.10 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}, v=0.3$ and $\mathrm{K}=2100 \mathrm{~N} / \mathrm{mm}^{2}$.

|  | Exam. |  | ular / Back |  |
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| NSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| amination Control Division | Programme | BCE | Pass Marks | 32 |
| 2075 Chaitra | Year / Part | II/ 1 | Time | 3 hrs . |

Subject: - Strength of Materials (CE 502)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Briefly explain the properties of internal hinge. What do yousunderstand by point of contraflexure?
b) Draw $\mathrm{AFD}, \mathrm{SFD}$ and BMD for following beam. Also indicate the silent features.

2. a) Define product moment of inertia.
b) Calculate the principal moments of inertia of the section given in figure and their orientation. Assume horizontal and vertical axes to be the given $x$ and $y$ axes and the bottom left corner of the section to be the origin for the purpose of your calculation.

3. a) Determine the expression for elongation in bar having uniformly tapering circular section subjected to tensile load $P$.
b) A steel rod of cross sectional area $1000 \mathrm{~mm}^{2}$ and two brass rod each of cross sectional area $800 \mathrm{~mm}^{2}$ together support the load of 50 KN . Calculate the stresses in the rod. Take E for steel as 200 GPa and E for brass as 100 GPa .

4. a) The state of stress in a two dimensional stress system is shown in figure. Determine the principal stresses and their direction, maximum shear and associated normal stress.

b) Prove that the hoilow shaft of same material, same weight and same length is more stronger than the solid shaft in case of torque transmission.
5. a) Derive Euler critical buckling load formula for a column having one end fixed and the other end free. Discuss the limitations of Euler buckling formula.
b) A 3.0 m long cantilever beam having self-weight $1.5 \mathrm{kN} / \mathrm{m}$ is subjected to a downwards point load of ' P ' kN at the free end. Determine the value of ' P ' and the moment of resistance of the beam. Take permissible bending stress in tension and compression as 150 MPa . The cross section is shown in figure.

6. A cylindrical shell of 260 mm external diameter 2.5 m length and 5 mm wall thickness is subjected to internal pressure of 1.60 MPa . Calculate the change in diameter, length and volume of the cylinder if the cylinder has a longitudinal joint (85\% efficiency) and circumferential joint ( $65 \%$ efficiency). Take Young's modulus $=200 \mathrm{GPa}$ and Poisson's ratio $=0.3$

| Exam. |  | Back |  |
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| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | $1 I / I$ | Time | 3 hrs. |

## Subject: - Strength of Materials (CE502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Draw axial force, shear force and bending moment diagrams for the frame. Indicate numerical values at salient points.

2. a) What is product of inertia?
b) Determine principal moment of inertia of the given figure below about the axes passing through the centroid.

3. a) Derive the expression for the total elongation of a uniform bar of length $L$ and cross section area $A$ under its self weight.
b) Two copper rods and one steel rod are having diameter 4 cm , together support a load 3000 kg as shown in figure below. Determine the stresses in each rod. Take $\mathrm{E}_{\mathrm{s}}=2 \times 10^{6} \mathrm{~kg} / \mathrm{cm}^{2} \mathrm{E}_{\mathrm{c}}=10^{6} \mathrm{~kg} / \mathrm{cm}^{2}$

4. a) For the state of plane stress shown in figure below determine.
i) principal stresses
ii) orientation of principal planes
iii) maximum shearing stress
iv) normal stress on the plane of maximum shear stress

b) Derive torsional equation. $\frac{T}{J}=\frac{\tau_{s}}{R}=\frac{G \varphi}{L}$
5. a) A simply supported beam of span 5 m loaded with udl $4 \mathrm{kN} / \mathrm{m}$. Determine the maximum value of bending stress 15 cm above the base of the cross section. The cross section is T-section as shown in figure.

b) Derive an expression for the Euler's formula for crippling load on a column with both ends fixed.
6. Derive an expression for the volumetric strain of a thin walled cylindrical vessel with its length ' $L$ ' internal diameter ' $d$ ' and thickness ' $t$ '.

## 07 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERNG <br> Examination Control Division

| Exam. |  | Regular |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | II/1 | Time | 3 hrs. |

Subject: - Strength of Materials (CE502)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Draw axial force, shear force and bending moment diagram for the given frame. Indicate numerical values at salient points.

2. a) What do you understand by principle moment of inertia and principal axis?
b) Determine the principle moment of inertia of the given figure.

3. Derive the expression for the total elongation due to the circular tapered bar Two copper rods and one steel rod is of 3 cm diameter, together support a load of 5000 kg as shown in figure below. Find the stresses in each rod. Take $E$ for steel and copper as $2 \times 10^{6} \mathrm{~kg} / \mathrm{cm}^{2}$ and $10^{6} \mathrm{~kg} / \mathrm{cm}^{2}$.

4. a) For the state of plane stress shown in figure below determine (i) the principal planes (ii) principal stresses (iii) the maximum shearing stress and the corresponding normal stress.

b) Show that hollow shaft is more strong than solid shaft when material, weight and length are same.
5. a) Derive the expression for the Euler's formula for crippling load on a column with both ends hinged condition. Explain the limitation of Euler's Formula also.
b) For the simply supported beam of 4 m span loaded with UDL of $3 \mathrm{kN} / \mathrm{m}$, determine the value of bending stress 80 mm above the base of the cross section. The cross section of the beam is I section and the dimensions are shown below.

6. Explain the different types of stresses in thin walled cylinders.
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## 07 TRIBHUVAN UNIVERSITY NSTITUTE OF ENGINEERING Examination Control Division 2074 Ashwin

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\hline Exam. & \multicolumn{3}{|c|}{ Back } \\
\hline Level & BE & Full Marks & 80 \\
\hline Programme & BCE & Pass Marks & 32 \\
\hline Year/Part & II/I & Time & 3 hrs. \\
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Subject: - Strength of Materials (CE502)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the marginindicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Draw axial force, shear force and bending moment diagrams for the frame shown in figure below, indicating the principal numerical values at salient points.

2. Find the principal moments of inertia and directions of principal axes for the section as shown in figure below.

3. a) A block of steel $300 \mathrm{~mm} \times 150 \mathrm{~mm} \times 100 \mathrm{~mm}$ is subjected to axial loads as shown in figure below. Find the change in the dimensions of the bar and change in volume for the material of the block. Take $E_{S}=200 \mathrm{GN} / \mathrm{m}^{2}$ and poisson's ratio $(\sigma)=0.30$.

b) What is the stress concentration? What effect is produced in brittle material due to Stiess concentration?
4. a) $F$ ar an infinitesimal element normal and shearing stress in the two mutually perpendicular planes are shown in figure below. Determine the normal and shearing stress on the inclined plane at an angle of $30^{\circ}$ with vertical. Also calculate principal stresses their planes, maximum shear stress and their planes. Verify your result using Mohr's circle.

b) Prove that longitudinal stress is half of the circumferential stress for the thin cylinder with neat sketch.
5. a) A horizontal shaft securely fixed at each ends has a free length of 11.25 m . Viewed from end " A " of the shaft, axial couples of $30 \mathrm{KN} . \mathrm{m}$ clockwise and $37.5 \mathrm{KN} . \mathrm{m}$ counter clockwise act on the shaft at a distance 4.5 m and 7.5 m from left respectively. Determine the end fixing couples in magnitude and direction and find the diameter of shaft (solid) for a maximum shearing stress of $60 \mathrm{~N} / \mathrm{mm}^{2}$.

b) Derive the bending equation $\left[\frac{\sigma}{y}=\frac{M}{I}=\frac{E}{R}\right]$
6. Derive Euler's formula of critical load for a steel column with both ends fixed. Also explain the limitations to the use of this formula.

| 07 | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 80 |
|  | Programme | BCE | Pass Marks | 32 |
| Examination Control Division | Year/Part | Il / | Time | 3 hrs . |

## Subject: - Strength of Materials (CE502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Draw axial force, shear force and bending moment diagrams for the given frame. Indicate numerical values at salient points.


2. Define principal moment of inertia and principal axes. Determine the principal axes and Define pripal moment of inertia of the given section.

3. a) A rigid bar 3.5 m in length is hinged at $L$ and is supported by steel rod $S M$ and copper rod PN as shown in figure below. If the length of SM and PN are 1 m and 0.75 m and cross-sectional area $2 \mathrm{~cm}^{2}$ and $4 \mathrm{~cm}^{2}$ respectively, determine stress in each of the rods and elongation of the steel rod if a load of 100 KN is applied on the bar at a distance of 2.5 meters from the hinge.
Take $\mathrm{E}_{\mathrm{C}}=1.2 \times 10^{8} \mathrm{KN} / \mathrm{m}^{2}$ and $\mathrm{E}_{S}=2 \times 10^{8} \mathrm{KN} / \mathrm{m}^{2}$
The bar is horizontal prior to the application of the load.

b) Sketch the stress and strain diagram for mild steel as per tensile test and describe the characteristics points.
4. a) Two planes $A B$ and $B C$ which are at right angles, carry shear stresses of intensity $17.5 \mathrm{~N} / \mathrm{mm}^{2}$ while these planes also carry a tensile stress $70 \mathrm{~N} / \mathrm{mm}^{2}$ and compressive stress of $35 \mathrm{~N} / \mathrm{mm}^{2}$ respectively. Determine the principles planes and principal stresses and also determine maximum shear stress and the plane at which it acts.

b) A copper plate vessel in the shape of thin spherical shell 50 cm radius and 1 cm shell thickness is completely filled with a fluid at atmospheric pressure. Additional fluid is then pumped till the pressure increase by $10 \mathrm{MN} / \mathrm{m}^{2}$. Find the volume of this additional fluid, given that the poisson's ratio is 0.26 and modulus of elasticity 100 $\mathrm{GN} / \mathrm{m}^{2}$ for the shell material.
5. a) A hollow cylinder shaft is required to transfer 500 KW at 120 rpm . The maximum torque is likely to exceed the mean torque by $25 \%$. If the shear is not to exceed 60 $\mathrm{MN} / \mathrm{m}^{2}$ and the twist not to exceed $2^{\circ}$ for a length of 4 m , find the minimum external diameter of the shaft to satisfy above conditions. Take diameter ratio to be $2 / 5$ and $\mathrm{G}=80 \mathrm{GN} / \mathrm{m}^{2}$.
b) A Cantilever beam 5 m in length is subjected to load as shown in figure below. Determine the value of bending stress 30 mm below from the top surface of the beam.

6. Classify the column based on their nature of failure pattern. Derive the expression for the Euler's formula for crippling load on a column of length I with both ends hinged condition.

| 04 TRIBHUVAAN UNIVERSITY <br> INSTITUTE OF ENGINEERING | Exam. | New Back (2066 \& Later Batch) |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 80 |
|  | Programme | BCE | Pass Marks | 32 |
| 2073 Shrawan | Year/Part | II/I | Time | 3 hrs. |

## Subject: - Strength of Materials (CE502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Define shear force and bending moment at a section of beam.
b) Draw axial force, shear force and bending moment diagram of the frame shown in figure below.

2. a) Obtain the principle moment of inertia and draw principle axes for the plane figure given below.

b) Derive the relation $\frac{\dot{M}}{I}=\frac{\sigma}{y}=\frac{E}{R}$
3. a) Find the forces in each members of the bar system shown in figure below. Take cross sectional area of each bar as $6 \mathrm{~cm}^{2}$ and modulus of elasticity E as $2 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$.

b) The principle stresses at a point in a bar are 100 MPa tensile and 40 MPa compressive. Find the normal stress shears and resultant stress on a plane inclined at $60^{\circ}$ to the axis of major principal stress.
4. a) A water pipe 500 mm internal diameter contains water at a pressure head 100 m . If the unit weight of water is $10 \mathrm{KN} / \mathrm{m}^{3}$ and allowable stress of pipe material is 20 $\mathrm{N} / \mathrm{mm}^{2}$. Calculate the thickness of the pipe.
b) A solid circular shaft is subjected to a torque 120 Nm . Determine the diameter if the allowable shear stress is $100 \mathrm{~N} / \mathrm{mm}^{2}$ and the allowable angle of twist is $30^{\circ}$ per 10 diameter length of the shaft. $G=10^{5} \mathrm{~N} / \mathrm{mm}^{2}$.
5. a) Derive euler's column formula for critical load of a column with both ends hinged.
b) Determine the slope and deflection at the free end of the cantilever beam shown in


$$
E=200 \mathrm{KN} / \mathrm{mm}^{2}
$$

## 07 TRIBHUVAN UNIVERSTTY <br> INSTITUTE OF ENGINEERING <br> Examination Control Division <br> 2072 Chaitra

| Exam. |  |  | Regulars |  |
| :--- | :--- | :--- | :--- | :--- |
| Leval | BE $: \therefore$ | Fuil Marks | 80 | . |
| Programme | BCE | $\therefore$ | Pass Marks | 32 |
| Year/Part | II/I |  | Time | 3 hrs. |

## Subject: - Strength of Materials (CE502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks
Assume suitable data if necēssary.

1. a) Explain shear force and bending moments.
b) Draw axial force, shear force and bending moment diagrams for the frame given in figure below.

2. a) Determine principal moment of inertia and draw orientation of principal axes of the figure shown in figure below.

b) Define principle moment inertia
3. a) ABC is a rigid bar, wire BD is made of aluminum and EC is made of steel. Determine the stresses in rods and reactions at $A$. Take $A_{a l}=4 \mathrm{~mm}^{2}, A_{s t}=2 \mathrm{~mm}^{2}, \mathrm{E}_{\mathrm{al}}=72$ $\mathrm{KN} / \mathrm{m}^{2}, \mathrm{E}_{\mathrm{st}}=210 \mathrm{KN} / \mathrm{m}^{2}$.

b) Derive a relation between Young's modulus of elasticity, Shear modulus and bulk modulus.
4. a) The state of stress in a two dimensional stress system is as shown in figure below. Determine the principal stresses and orientation of principal planes.

b) Prove that the longitudinal stress at thin cylinders is equal to the half of circumferential stress at that thin cylinders.
5. a) A solid circuiar shaft is subjected to a torque 120 Nm . Determine the diameter if the allowable shear stress is $100 \mathrm{~N} / \mathrm{mm}^{2}$ and the allowable angle of twist is $3^{\circ}$ per 10 diameter length of the shaf. $G=10^{5} \mathrm{~N} / \mathrm{mm}^{2}$.
b) Prove that the torque transmitted by the hollow shaft is greate than the solid shaft of same weight, material and iength.

## TRIBHUVAN UNIVERSTTY <br> INSTITUTE OF ENGINEERING Examination Control Division 2072 Kartik

| Exam. | New Back (2066 \& Later Batch) |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year / Part | II/I | Time | 3 hrs. |

## Subject: - Strength of Materials (CE502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Àttempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Draw axial force, shear force and bending moment diagram of given loaded frame. Also show the salient feature.

2. Obtain the principle moment of inertia and draw the orientation of principal axes in a sketch.

3. The state of the stress in a two dimensional stress system as shown in figure below. Find the principal planes and maximum shear stress. Determine also the normal and tangential stress on plane BD. Verify the results by drawing Mohr's circle.

4. A horizontal beam 4 m long is simply supported at ends carries a UDL of $40 \mathrm{KN} / \mathrm{m}$ over the whole span along with a concentrated load of 40 KN at its mid span. The Beam is of I-section of overall depth 36 cm . Find the maximum Tensile and Compressive stress.

5. Derive the expression for Euler's Critical load for Strut with one end fixed and other hinged. Also explain the limitations to the use of this formula.
6. A hollow steel shaft, of 6 cm and 4 cm outer and inner diameters respectively, rotates with a speed of 250 RPM. Permissible shearing stress for the material is $80 \mathrm{MN} / \mathrm{m}^{2}$ and maximum torque is 1.2 times the mean torque. For the shaft obtain; (a) Power transmitted by the shaft (b) Strength of hollow shaft.
7. Prove that the longitudinal stress at thin cylinders is equal to the half of circumferential stress at that thin cylinders.
8. A bar $A B C D$ fixed at $A$ and $D$ is subjected to axial forces as shown in figure below. Determine the forces in each portion of the bar and displacement of point $B$ and $C$. Take $\mathrm{E}=210 \mathrm{GN} / \mathrm{m}^{2}$.


| 07 TRIBHUVAN UNIVERSITY | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERNG | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE | Pass Marks | 32 |
| 2071 Chaitra | Year / Part | IIII | Time | 3 hrs . |

Subject: - Strength of Materials (CESO2)
$\checkmark$ Candidates are required to give their answers in their own words as far as praclicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Draw axial force, shear force and bending moment diagram of the frame loaded as shown in the figure below:

2. Determine the orientation of the principal axes and the moment of inertia about the centroidal axes of composite section as shown.

3. Determine the orientation of principal axes and principal stresses for the clement loaded as shown in figure below. Also calculate maximum shear stress and orientation of their plane.

4. A cantilever beam 5 m in length is subjected to the loads as shoun in: figure. Determine the maximum bending stresses in the beam. Also, determine the value of bending stress 25 mm below from the top surface of the beam.

5. Derive a relation between Young's modulus of elasticity and bulk modulus.
6. A hollow steel shat having 10 cm outer diameter and 7 cm inside diameter is rotating at a speed of 300 rpm . If the permissible shear stress is $80 \mathrm{~N} / \mathrm{mm}^{2}$ and the maximum torque is 1.3 times the mean torque. Determine the power transmitted by the shaft.
7. A thin walled cylindrical shell made up of copper plate has been filled with a liquid at atmospheric pressure. An additional 80 cc of liquid is then pumped into 3 m cylindrical shell whose internal diameter is 300 mm and wall thickness 14 mm . Find the values of pressure developed on the wall of cylinder due to this extra liquid. Take Poisson ratio $=0.36$ and Modulus of elasticity $\mathrm{E}=10^{6} \mathrm{~kg} / \mathrm{cm}^{2}$.
8. Derive an expression for Euler's formula for crippling load of a column of length $L$ with its both ends hinged condition.

# 04 TRIBHUVAN UNIVERSITY <br> INSTITUTE OF ENGINEERING <br> Examination Control Division 2071 Shawan 

| Exam. | New Back |  | (2066 \& Later Batch) |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | II/I | Time | 3 hrs. |

## Subject: - Strength of Materials (CESO2)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Draw bending moment; shear force and axial force and diagrams for the given frame. Also indicate salient points, if necessary.

2. Calculate the principal moment of inertia, direction and position for the given shaded figure.

3. a) Derive a relation between Young's modulus and Bulk modulus.
b) Determine the elongation of the bar as shown in figure. Take $\mathrm{E}=2 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$

4. Figure below shows the state of stress of a point in a two dimensional stressed body. Determine the magnitude and direction of the principle stresses.

5. A simply supported timber joist of 5 m span has to carry uniformly distributed load 6 $\mathrm{KN} / \mathrm{m}$ over its whole span and a point load of 15 KN at its center. Determine the dimensions of the joist if the maximum permissible stress in bending is $10 \mathrm{~N} / \mathrm{mm}^{2}$. Take the depth of the joist is twice of its breadth.
6. Prove that the longitudinal stress at thin cylinders is equal to the half of circumferential stress at that thin cylinder.
7. A hollow steel shaft 3 m long must transmit 150 KW of power at 150 rpm . The total angle of twist in this length should not exceed 2.5 degrees and allowable shearing stress is 60 MPa . Determine the inside and outside diameters of the shafts if $\mathrm{G}=85 \mathrm{Gpa}$.
8. Derive an expression for Euler critical load for a strut with one end fixed and another hinged. Explain the limitations to the use of this formula.

| 4 TRIBHUVAN UNIVERSITY | Exam. | 2. Wax |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 80 |
| ation Control Division | Programme | BCE | Pass Marks | 32 |
| 2070 Chaitra | Year/Part | $11 / 1$ | Time | 3 hrs . |

## Subject: - Strength of Materials (CE502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Draw bending moment diagram in the simple beam and frame shown in figure below:
i)

ii)

b) Draw axial force, shear force and bending moment diagram for the frame shown in figure below.

2. Find the principal axes and principal moments of inertia about axes through centroid of the given figure. Verify your results using Mohr's circle.


 $\left.E_{b}=10\right)(i)^{2}$.

3. The intensity of the resultant stress on a certain plane is $60 \mathrm{~N} / \mathrm{mm}^{2}$ (tensile) and is inclined at an $30^{\circ}$ to the normal of the plane. The stress on a plane righi angle to this plane has a normal tensile component intensity of $40 \mathrm{~N} / \mathrm{mm}^{2}$.
Find: (a) The recultant stress in the second plane
(b) The paincipai plane and pincipal stresses
(c) The peres of naxiaum shear and its intensity
4. Derive a ratio for thickness of cylindrical portion to spherical porion fo: a cylindrical vessel with hemispherical ends.
A solid bar of netai 50 mm diameter and 200 mm length is tested under tension. A 10 KN load produces an elongation of 0.0051 mm . The same bar undergoes $\theta$ twist of $1^{\circ}$ when subjected to a torque of 4 KNm . Determine Young's modulus and Poisson's ratio of the shaft materiai.
What is pure beading? Prove that $\frac{M}{I}=\frac{\sigma}{Y}=\frac{E}{R}$, where the symbols have their usual meanings.
5. Calculate the bucking load for a strut of T section shown in figure below. The strut is 3 m long and hinged at both ends. Take $\mathrm{E}=200 \mathrm{GN} / \mathrm{m}^{2}$


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| :---: | :---: | :---: | :---: | :---: |
| 05 TRIBHUVAN UNIVERSITY | Level | BE | Full Marks | 80 |
|  | Programme | BCE | Pass Marks | 32 |
| 2070 Ashad | Year/Part | II/I | Time | 3 hrs . |

## Subject: - Strength of Materials (CE502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Determine the reactions at supports, draw free body diagrams of each members and plot axial force, shearing force and bending moment diagram for the frame loaded as shown in figure below.

2. a) "The moment of inertia forms the basis of dynamics of rigid bodies and strength of material". Explain the statement.
b) Determine principal moment of inertia and their orientation of the shaded area as shown in figure below.

3. a) Explain with reat sketch a typical stress-strain diagrant for characteristics of mile steel. Also describe stess concentrations in the strained body.
b) A steel bar 2.5 cm dianeter and 25 cm long was subjected to a tension test. On arpiving a tensile loas of 25 KN the elongation was fown to be 0.005 cm and denease in diameter was 0.00025 cm . Caiculate the value of:
i) Meculas of eiesticity
i) Poisonts astio
4. An element in a stressed material has a tensile stress of $500 \mathrm{MN} / \mathrm{m}^{2}$ and a compressive stress of $350 \mathrm{MN} / \mathrm{m}^{2}$ acting on two mutually perpendicular planes and equal shear stresses of $100 \mathrm{MN} / \mathrm{m}^{2}$ on these planes. Find principal stresses and plot Mohr's circle to verify your results.
5. Determine change in diameter and volumetric strain for the cylindrical shell of 2 m external diameter and 5 m length, subjected to an internal pressure of $350 \mathrm{~N} / \mathrm{cm}^{2}$. The Principle stress is not to exceed $16 \mathrm{KN} / \mathrm{cm}^{2}$. Assume $\mathrm{E}=200 \mathrm{GPa}$ and poisson's ratio
0.25 .
6. A hollow shaft of exiernal diameter 150 mm an internal diameter 100 mm is 3.5 m long. If the permissible shear stress is limited to $50 \mathrm{MN} / \mathrm{m}^{2}$, how much torque can be transmitted and what will be the maximum angle of twist? $\mathrm{G}=100 \mathrm{GN} / \mathrm{m}^{2}$
7. a) What are the assumptions in pure bending? Explain.
b) Determine the maximum value of P in the simply supported beam shown in figure below if the bending stress is limited $12000 \mathrm{KN} / \mathrm{m}^{2}$.

8. a) Derive an expression for the equivalent length of a strut when its one end is fixed and
other hinged.
b) What do you understand by term buckling in the column theory? Also explain the limitations of Euler's formula for the analysis of lone column.

| 45 TRIBHUVAN UNIVERSITY | Exam. |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Divisione | Programme | BCE | Pass Marks | 32 |
| 2069 Ashad | Year/Part | 11] | Time | 3 hrs . |

## Subject: - Strength of Material (CE 502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Draw axial force, shearing force and bending moment diagrams for the following frame loaded as shown. Indicate salient points if any.

2. a) State and prove parallel axis theorem for product of inertia.
b) Determine the principle moment of inertia about centrodial axis and locate the principle axes for the section shown in figure below.




 respectively

3. a) Derive an expression for the normal stress and shear stress on an oblique section of rectangular strained body when it is subjected to direct stresses in two perpendicular directions accompanied with simple shear stress.
b) Find the extens and intemal thameters required for a hollow shaft wich is to transmit 40 KW of power at 240 rev/minute. The shear stress is to be limied to $100 \mathrm{MN} / \mathrm{m}^{2}$. Take external diameter to be twice the internal diameter.
 Determine the charge in lengit and diameter if the shell is subjected to an internal pressure of $25 \mathrm{~N} / \mathrm{mm}^{2} . \mathrm{E}=2.05 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$ and poisson's ratio $=0.3$.
b) A cantilever bean 3 m in length is subjected to load as shown belou. Determine maximum bending stress at 25 mm below from the top surface of the beam.

c) A round bar is clamped at bottom and free at top, Its effective lengit is 2 m . A
 the buckling loat or the bar if the bod is appicd axiahy on tops.

| Exam. |  |  |  |
| :---: | :---: | :---: | :---: |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | II/ | Time | 3 hrs . |

## Subject: - Strength of Material (CE502)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) What do you mean by principle of superposition? Explain with suitable example. What are its limitations?
b) Draw axial force, shear force and bending moment diagram indicating salient points for the frame loaded as shown.

2. Determine the principal moment of inertia and orientation of principal axes for the composite section shown in figure below about its centroid.

3. a) How is offor method defned in drawg stess-stain reftionship? Where is it iequizec?
b) A vertiol rod of lengh 3 m tapers unfomy forn a dameter of somm at the top to homen at the botom. It is rigidy fixed at the upper end and is subjected to an axal boad of $45 K \mathrm{~N}$, getemine the total extension in the bar. Take density of material $=2 \times 10^{5}$ wgm ${ }^{3}$ and youg's modius $=200 \mathrm{~N}^{2} \mathrm{~m}^{2}$.
c) A rigid bar AB is hinged at A and supported by a 2 m long copper rod and a 1 m long steel rod. It carries a load of 100 KN at the free end B as shown in figure below. If the area of cross-section of the steel and copper rods be $10 \mathrm{~cm}^{2}$ and $8 \mathrm{~cm}^{2}$ respectively and their respective values of $E$ be $200 \mathrm{GN} / \mathrm{m}^{2}$ and $100 \mathrm{GN} / \mathrm{m}^{2}$, find stresses in each rod and reaction at $A$ (assume no bending in steel and copper rods).

4. Figure below shows 100 KN

Determine the values of principal stresses and orientation two dimensional stressed body.

5. A thin walled cylindrical shell made up of copper plate has been filled with a liquid at atmospheric pressure. An additional 50 c.c. of liquid is then pumped in to 2 m long cylinder whose internal diameter is 25 cm and wall thickness is 12 mm . Find the values of ratio $=0.34$ and modules of Elasticity $=10^{6} \mathrm{~kg} / \mathrm{cm}^{2}$.
6. A steel bar of 2.5 cm diameter when subjected to a torque of 300 N produces an angle of twist of 1.35 degrees in the length of 25 cm . The same bar when subjected to tension ratio for the material.
7. a) Describe the importance of computing deflections in beams. Also give two typical
examples of pure bending of beam.
b) Find the slope and deflection under the loan pl.


[^4]
# TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERNG Examination Control Division 2079 Bhadra 

| Exam. | Regular |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| Level | BE |  | Full Marks | 80 |
| Programme | BCE |  | Pass Marks | 32 |
| Xear/Part | II/I |  | Time | 3 hrs. |

## Subject: - Surveying I (CE 504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. What are general principles of surveying? Why in surveying principle of "working from whole to part" and accuracy are to be followed? Explain.
2. In a preliminary study plan of a hydropower project, the horizontal distance between the dam and the powerhouse, which is 1 km on the field, is represented by a line 25 cm . Calculate the representative factor used in the map. Draw a diagonal scale long to read upto 1 m and long enough to measure 500 m . Also indicate the following distances (i) 123 m (ii) 256 m
3. Define the term precision and the accuracy. You are given the task of surveying to measure the linear distance between A and B . Noted that A and B are not visible. Explain the procedure for the distance measurement with the neat sketch.
4. A 30 cm steel tape measured 30.015 m , when standarized fully supported condition under a 70 N pull at a temperature of $20^{\circ} \mathrm{C}$. The tape weighed $0.9 \mathrm{~kg}(9 \mathrm{~N})$ and had a crosssectional area of $0.028 \mathrm{~cm}^{2}$. What is the true length of the recorded distance $A B$ for the following conditions? Assume all full tape length except in the last one. Take $\alpha=1.15 \times 10^{-5} /{ }^{\circ} \mathrm{C}, \mathrm{E}=2.11 \times 10^{6} \mathrm{~N} / \mathrm{cm}^{2}$.

| Recorded distance AB | 114.095 m |
| :--- | :--- |
| Average temperature | $12^{\circ} \mathrm{C}$ |
| Condition of support | Suspended |
| Tension | 100 N |
| Elevation difference $/ 100 \mathrm{~m}$ | 2.5 m |

5. What is misclosure ratio? Explain a neat sketch show how the closing error is adjusted graphically in compass traverse.
6. The FB of line AB of an open traverse ABCDEFG is $40^{\circ} 45^{\prime}$. The deflection angles between the lines were measured with a theodolite and were as follows: $26^{\circ} 37^{\prime}(\mathrm{R})$ at B , $66^{\circ} 45^{\prime}(\mathrm{L})$ at $\mathrm{C}, 20^{\circ} 56^{\prime}(\mathrm{R})$ at $\mathrm{D}, 33^{\circ} 54^{\prime}(\mathrm{R})$ at E and $26^{\circ} 54^{\prime}(\mathrm{L})$ at F . If the BB of the last $\therefore \quad$ : line FG observed was $209^{\circ} 33^{\prime}$, check whether the observation for deflection angles were conect or not. If not, compute the correct bearings of all the lines and correct deflection angles.
7. During the construction of a road, 5 pegs are to be set out at the centre lines of the road. For this purpose, fly level is run from a benchmark of RL 3010 m , the following readings were obtained:
Backsight: (-) $1.234,2.594,1.327,2.869$
Foresight: $0.456,1.123,0.499$
From the last position of instrument first 5 pegs at 30 m intervals are to be set out on a uniform rising gradient of 1 in 80 . Enter the readings on a level field book and work out the staff readings on the top of the pegs. If last peg is to be established to have a RL of 3012.476 m , find the correct RLs of each station.
8. The results of reciprocal levelling between stations A and B 250 m apart on opposite side of a wide river were as follows:

| Level of | Height of eye piece (m) | Staff readings |
| :---: | :---: | :---: |
| A | 1.339 | 2.518 on B |
| B | 1.332 | 0.524 on A |

Find: a) The difference of level between $A$ and $B$
b) Curvature and refraction correction if mean radius of earth $=6365 \mathrm{~km}$
c) The error due to imperfect adjustment of the diaphragm wires.
d) If RL of $B=1460.605 \mathrm{~m}$, find RL of $A$.
9. Describe Cross-sectioning and L -section levelling with sketches.
10. What is orientation in plane table surveying? Describe the more reliable method with a sketch.
11. What are the different methods of measuring honizontal angles in theodolite survey? Explain any one method with supporting sketch.
12. A theodolite is set over station ' $O$ ' to measure direction to stations $\mathrm{A}, \mathrm{B}, \mathrm{C}$ and D . The observed circle readings are as follows: Compute the mean horizontal angle by mean direction method and adjust them if necessary. Also calculate, missing data of vertical circle reading.

| Instrument | Target Station | Telescope | Horizontal Circle Readings | Vertical Circle Readings |
| :---: | :---: | :---: | :---: | :---: |
| 0 | A | Direct | $00^{\circ} 00^{\prime} 00^{\prime \prime}$ | $120^{\circ} 15^{\prime} 10^{\prime \prime}$ |
|  |  | Reversed | $179^{\circ} 59^{\prime} 40^{\prime \prime}$ | ? |
|  | B | Direct | $60^{\circ} 55^{\prime} 10^{\prime \prime}$ | ? |
|  |  | Reversed | $240^{\circ} 55^{\prime} 20^{\prime \prime}$ | $308^{\circ} 51^{\prime} 40^{\prime \prime}$ |
|  | C | Direct | $140^{\circ} 50^{\prime} 50^{\prime \prime}$ | ? |
|  |  | Reversed | $320^{\circ} 51^{\prime 2} 20^{\prime \prime}$ | $269^{\circ} 15^{\prime} 10^{\prime \prime}$ |
|  | D | Direct | $270^{\circ} 20^{\prime} 10^{\prime \prime}$ | $177^{\circ} 20^{\prime} 10^{\prime \prime}$ |
|  |  | Reversed | $90^{\circ} 20^{\prime} 20^{\prime \prime}$ | ? |
|  | A | Direct | $00^{\circ} 00^{\prime}=0^{\prime \prime}$ | - |
|  |  | Reversed | $180^{\circ} 00^{\prime} 30^{\prime \prime}$ | - |

13. What are the purposes of the triangulation and trilateration survey describe in briefly? Write down the general specification of tertiary triangulation.
14. Calculate the area of traverse by co-ordinate and double meridian distance method.

| Line | AB | BC | CD | DA |
| :--- | :---: | :---: | :---: | :---: |
| Latitude $(\mathrm{m})$ | -370 | 240 | -260 | 390 |
| Departure $(\mathrm{m})$ | 220 | -400 | -300 | 480 |

15. Find the volume of cutting in a length of 60 m with the following data for a two level section using prismoidal and trapezoidal (average end rule) formula. Also calculate prismoidal correction. Formation width $=9 \mathrm{~m}$, side slope $=2: 1$, transverse slope $=6: 1$. The ground levels at 30 m intervals are given below.

| Chainage (m) | 0 | 30 | 60 |
| :--- | :---: | :---: | :---: |
| GL (m) | 281.50 | 281.80 | 282.40 |

The formation has upward slope of 1 in 40 with the formation level at 0 chainage being 278.00 m .
16. What is EDM? Describe about the principles of distance measurement techniques in EDM.

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| :---: | :--- | :--- | :--- | :--- |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE | Pass Marks | 32 |
| 2079 Baishakh | Year/Part | II/I | Time | 3 hrs. |

## Subject: - Surveying I (CE 504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Fixing a new point at least from two control point and consistency are the most important principles in surveying works, explain with illustration.
2. A rectangular plot of land of area 2.25 hectare is represented on a map of similar rectangle area of $36 \mathrm{~cm}^{2}$. Calculate the representative factor of the scale of the map. Draw a scale to read up to a meter from the map. The scale should be long enough to measure up to 400 m . Also draw a scale to read 275 m from the map using diagonal scale.
3. Define systematic error and random error. A base line was measured by 20 m tape suspended in catenary under a pull of 145 N , the mean temperature being $14^{\circ} \mathrm{C}$. The lengths of various segments of the tape and the difference in level of the two ends of a segment are given in table.

| Span | Length (m) | Difference in level (m) |
| :---: | :---: | :---: |
| 1 | 19.992 | +0.346 |
| 2 | 19.930 | -0.214 |
| 3 | 19.892 | +0.309 |
| 4 | 19.940 | -0.106 |

If the tape was standardized on the flat under a pull of 95 N at $18^{\circ} \mathrm{C}$ determine the correct length of the line. Take:
Cross-sectional area of the tape $=3.35 \mathrm{~mm}^{2}$, mass of the tape $=0.025 \mathrm{~kg} / \mathrm{m}$, coefficient of linear expansion $=0.9 \times 10^{-6}$ per ${ }^{\circ} \mathrm{C}$, Young's modulus $=14.8 \times 10^{4} \mathrm{MN} / \mathrm{m}^{2}$
4. Define meridian. Describe with example about the graphical adjustment of disclosure during plotting of compass traverse.
5. The clockwise angles of a closed polygon are observed to be as follows:

| Station | A | B | C | D | E | F |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Angles | $223^{\circ} 46^{\prime}$ | $241^{\circ} 17^{\prime}$ | $257^{\circ} 02^{\prime}$ | $250^{\circ} 21^{\prime}$ | $242^{\circ} 19^{\prime}$ | $225^{\circ} 15^{\prime}$ |

If the true bearings of BC and CD are $123^{\circ} 14^{\prime}$ and $200^{\circ} 16^{\prime}$ respectively, and magnetic bearing of EF is $333^{\circ} 21^{\prime}$, calculate the true bearing of all other sides and the magnetic declination.
6. The following consecutive staff readings were taken on pegs at 15 m interval on a continuously sloping ground: $0.895,1.305,2.800,1.960,2.690,1.255,2.120,2.825$, $1.450,1.895,1.685,2.050(\mathrm{Stn}$. A). R.L. of station A where the reading 2.050 was taken is known to be 50.250 m . From the last position of the instrument two stations $B$ and $C$ with R.L. 50.000 m and 51.000 m respectively are to be established without disturbing the instrument: Workout the staff reading at B and C and compute the RL of all points in HI level book format.
7. The results of reciprocal leveling between stations A and B 250 m apart on opposite sides of a wide river were as follows.

| Level at | Height of eyepiece (m) | Staff reading |
| :---: | :---: | :---: |
| A | 1.399 | 2.518 on B |
| B | 1.332 | 0.524 on A |

Find (a) The true difference of level between the stations.(b) Error due to curvature and refraction, assuming the mean radius of the earth 6365 km .(c) Collimation error.
8. Why is two peg test carried out? State the points to be considered in fly leveling.
9. What are the fundamental lines of theodolite? Write desired relation between them with necessary sketch.
10. The following observations were recorded in a theodolite traverse ABCDA. Compute the correct horizontal angles and find missing readings from the following readings in given table. Find the permissible angular error, if least count of theodolite is $2^{\prime \prime}$.

| Inst.Stn. | Target Stn. | HCR Observations |  | VCR Observation |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | FL | FR | FL | FR |
| A | $\begin{aligned} & \hline \mathrm{D} \\ & \mathrm{~B} \end{aligned}$ | $\begin{aligned} & 90^{\circ} 00^{\prime} 00^{\prime \prime} \\ & 180^{\circ} 16^{\prime} 10^{\prime \prime} \end{aligned}$ | $\begin{gathered} 269^{\circ} 59^{\prime} 50^{\prime \prime} \\ 00^{\circ} 16^{\prime} 10^{\prime \prime} \end{gathered}$ | $88^{\circ} 50^{\prime} 10^{\prime \prime}$ | ? |
| B | $\begin{aligned} & \mathrm{A} \\ & \mathrm{C} \end{aligned}$ | $\begin{gathered} 90^{\circ} 00^{\prime} 10^{\prime \prime \prime} \\ 900^{\circ} 25^{\prime} 50^{\prime \prime} \end{gathered}$ | $\begin{aligned} & 270^{\circ} 00^{\prime} 20^{\prime \prime} \\ & 20^{\circ} 26^{\prime} 10^{\prime \prime} \end{aligned}$ | ? | $308^{\circ} 51^{\prime} 20^{\prime \prime}$ |
| C | $\begin{aligned} & \mathrm{B} \\ & \mathrm{D} \end{aligned}$ | $\begin{gathered} 90^{\circ} 00^{\prime} 00^{\prime \prime} \\ 179^{\circ} 08^{\prime} 40^{\prime \prime} \end{gathered}$ | $\begin{aligned} & 269^{\circ} 59^{\prime} 40^{\prime \prime} \\ & 359^{\circ} 08^{\prime} 30^{\prime \prime} \end{aligned}$ | $99^{\circ} 00^{\prime} 50^{\prime \prime}$ | ? |
| D | $\begin{aligned} & \mathrm{C} \\ & \mathrm{~A} \end{aligned}$ | $\begin{gathered} 89^{\circ} 59^{\prime} 50^{\prime \prime} \\ 160^{\circ} 12^{\prime} 40^{\prime \prime} \end{gathered}$ | $\begin{aligned} & 270^{\circ} 00^{\prime} 10^{\prime \prime} \\ & 340^{\circ} 12^{\prime} 30^{\prime \prime} \end{aligned}$ | ? | $270^{\circ} 14^{\prime} 20^{\prime \prime}$ |

11. Calculate the area of transverse by coordinate and double meridian distance method.

| Line | PQ | QR | RS | SP |
| :--- | :---: | :---: | :---: | :---: |
| Latitude $(\mathrm{m})$ | -390 | -270 | 380 | 280 |
| Departure $(\mathrm{m})$ | 320 | -170 | -620 | 470 |

12. Find the volume of cutting in a length of 200 m with the following data for a two level section using the prismoidal and trapezoidal formula. Also calculate the prismoidal correction. Formation width 10 m , side slope $=2: 1$, transverse slope $=5: 1$. The ground level at 50 m intervals are given below.

| Chainages (m) | 0 | 50 | 100 | 150 | 200 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Ground level (m) | 580.50 | 582.00 | 583.60 | 584.25 | 585.40 |

The formation has a upward slope of 1 in 40 with the formation level at $0+000$ chainage being 580.000 m .
13. Write short notes on: (Any Three)
a) Principles involved in choosing stations for a chain and tape survey.
b) Plane table resection and advantages of plane table surveying.
c) Differentiates between triangulation and trilateration.
d) Classification and principles of EDM.

| TRIBHUVAN UNVEERSTY INSTITUTE OF ENGINEERING | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE | Pass Marks | 32 |
| 2078 Bhadra | Year/Part | II/I | Time | 3 hrs . |

## Subject: - Surveying I (CE 504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

## 1. Explain briefly the principles of surveying with suitable examples.

2. Explain 'Scale of a Map' and how the scale has been classified and its range of values? The distance between Kathmandu and Pokhara is 200 km . In a highway map it is represented by a line 5 cm long. Find it's R.F. Draw a diagonal scale to show single km and maximum 600 km indicate the following distances. a) 224 km b) 338 km c) 459 km d) 579 km
3. A tape of nominal length 30 m is standardized in catenary at 50 N tension and found to be 29.8940 m . If the mass of the tape is $0.015 \mathrm{~kg} / \mathrm{m}$, calculate the horizontal length of a span recorded as 24 m . (Note: Calculation should be done taking at least 4 decimal)
4. What is the fundamental principle of chain surveying? What are the operations involved in chain surveying? Explain with neat sketches.
5. Determine the Permissible angular mis-closure and adjusted bearings in the following link traverse $P A B C Q$. Bearing of line $P A=30^{\circ} 15^{\prime}$ and bearing of line $Q C=225^{\circ} 45^{\circ}$. The deflection angle measured are $\Delta_{A}=+100^{\circ} 30^{\prime}, \Delta_{B}=+135^{\circ} 45^{\prime}$ and $\Delta_{C}=+140^{\circ} 00^{\prime}$. Least count $=30^{\prime}$.
6. In the compass surveying you corrected ail the bearing then plotted to it why there is closing error? Define closing error. If the closing error direction is perfectly horizontal, then describe the graphical method with neat sketch.
7. What are the principles of plane table surveying? Describe the process of Orientation of plane table by Back sighting.
8. What are the basic principles of levelling and describe reciprocal levelling.
9. Following readings were taken during a leveling work from TBM1 to TBM2; 2.191, $2.505,2.325,1.496,3.019,2.513,2.811,1.752$ and 3.824 m . Level instrument was changing after $4^{\text {T }}$ and $7^{\text {h }}$ readings. Enter the above readings in a level field book format and compute RLS of all the points and adjust the RLS if error arises also. RLS of TBM1 and TBM2 are 1449.870 and 1448.710 m respectively.
10. A level instrument was set up exactly mid-way between two pegs $A$ and $B 6 \mathrm{~m}$ apart and found true difference of devel $=0.320 \mathrm{~m}$. The level instrument was then set up at a point $Q$ on the line $A B 6 m$ from $B$ and inside of $A B$ and following readings were taken at $a$ and B.

| Instrument at | Sighted to | Staff readings $\mathbf{S}(\mathrm{m})$ |
| :---: | :---: | :---: |
|  | Midle |  |
|  | B | 1.387 |

Compute the correct staff readings on $A$ and $B$ when the line of collimation is exactly horizontal. Also compute collimation precision ratio.
11. What are the methods used to plot the theodolite traverse? State what errors are eliminated by repetition method.
12. Calculate the mean horizontal angles. If necessary, adjust them also.

| Instrument | Sighted to | HCR Observation |  |
| :---: | :---: | :---: | :---: |
|  |  | Face Left | Face right |
|  | $\mathbf{P}$ | $00^{\circ} 00^{\prime} 00^{\prime \prime}$ | $179^{\circ} 59^{\prime} 40^{\prime \prime}$ |
|  | Q | $294^{\circ} 29^{\prime} 50^{\prime \prime}$ | $114^{\circ} 30^{\prime} 20^{\prime \prime}$ |
|  | R | $137^{\circ} 54^{\prime} 20^{\prime \prime}$ | $317^{\circ} 54^{\prime} 40^{\prime \prime}$ |
|  | P | $00^{\circ} 00^{\prime} 40^{\prime \prime}$ | $180^{\circ} 00^{\prime} 20^{\prime \prime}$ |

13. Define trilateration. Write down the General specifications of different types of triangulation.
14. The following perpendicular offset were taken from a chain line to a hedge.

| Chainage (m) | 0 | 5.5 | 12.7 | 25.5 | 40.5 |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Offset (m) | 5.25 | 6.5 | 4.7 | 5.2 | 4.2 |

Find the area enclosed by the boundary, using any two method.
15. Find the volume by the trapezoidal and Prismoidal formula with the following data:

| Chainages(m) | 0 | 30 | 60 |
| :--- | :--- | :--- | :--- |
| Central depth of cut (m) | 1.85 | 2.15 | 2.45 |

Formation width $=12 \mathrm{~m}$, Side slopes $=2: 1$, Transverse slope $=6: 1$. Also calculate the Prismoidal correction.
16. What are the principles of actual operation of EDM? Describe the sources of errors of EDM.

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| INSTITUTE OF ENGINEERING | Exam. |  | Back |  |
| Level | BE | Full Marks | 80 |  |
| Examination Control Division | Programme | BCE | Pass Marks | 32 |
| 2078 Kartik |  |  |  |  |

## Subject: - Surveying I (CE 504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. What is Surveying? Differentiate between Plane and geodetic surveying.
2. How do you apply principle of surveying in two way linear distance measurement? Explain.
3. Four bays of base line $A B$ were measured under a tension of 120 N and the data was given below. If the tape was standardised on the flat under a pull of 89 N and a temperature of $20^{\circ} \mathrm{C}$. Calculate the true length of line.

| Bay | Lergth $(\mathrm{m})$ | Difference in level $(\mathrm{m})$ |
| :---: | :---: | :---: |
| 1 | 29.478 | +0.294 |
| 2 | 29.208 | -0.384 |
| 3 | 29.396 | +0.923 |
| 4 | 29.916 | -0.726 |

Filed temperature $=31^{\circ} \mathrm{C}$; CSA of tape $=3.24 \mathrm{~mm}^{2}$; density $=7700 \mathrm{~kg} / \mathrm{m}^{3}$; coefficient of linear expansion $=0.000001 /{ }^{\circ} \mathrm{C}$; Young Modulus $=15.3 \times 10^{4} \mathrm{MN} / \mathrm{m}^{2}$
4. What is chain survey? Describe principle and methods of chain survey.
5. How can open traverse be checked during compass survey? Describe Bowditch method of adjustment of closed traverse graphically.
6. During compass survey in link traverse from station M2 to M8, following observations were recorded.

| Station | Deflection angle (degrees) | Leg | Bearing (degrees) |
| :---: | :---: | :---: | :---: |
| M2 | -70 | M1-M2 | 105 |
| A | +20 | M2-A |  |
| B | -90 | A-B |  |
| M8 | +70 | B-M8 |  |
|  |  | M8-M9 | 36 |

Compute bearings of link legs. Check accuracy of work if least count of compass used is 1 degree. Correct affected bearings if necessary.
7. When do you recommend for permanent adjustment of a level? Describe with testing procedure.
8. During permanent adjustment of level by two peg method following observation were made on staffs C and D held vertically 50 m apart on fairly level ground
Instrument at E mid of CD
Staff reading at $C=1.455$ and Staff reading on $D=1.860$
Instrument at $F$ such that $C F=5 \mathrm{~m}$ and $D F=45 \mathrm{~m}$
Staff reading on $\mathrm{C}=1.500$ and staff reading on $\mathrm{D}=1.925$
Find the magnitude and direction of closing error and precision of instrument. What is the reading in C and D with respect to horizontai line of sight?
9. Following staff reading were taken during a levelling operation at common interval of 20 m . The respective staff readings are as follows
$1.253,1.752,1.005,0.675,1.998,0.825,1.737,1.444,1.619,0.750$ and 2.619 m . The instrument is shifted after $4^{\text {th }}, 6^{\text {th }}$ and $9^{\text {th }}$ readings. The RL of starting station is 1280 and that of end station is 1279.924 m respectively. Compute RL, apply necessary check and adjust RL of each station by any method.
10. Describe radiation and intersection methods of plane table survey.
11. What are fundamental lines in theodolite? Expiain relationship among them.
12. Following angular observation were made during reiteration method of measurement by a theodolite. Compute the Horizontai angles included between survey lines $\mathrm{OA}, \mathrm{OB}$ and OC by mean direction method. Apply necessary check and corrections if least count of instrument to be adopted is 1 minute. Also find missing data in VCR.

| Inst stn | Sighted to | Face | HCR observation |  |  | VCR observation |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | D | M | S | D | M | S |
| ! | A | L | 00 | 00 | 00 | 65 | 45 | 00 |
|  |  | R | 180 | 00 | 00 | ? | ? | ? |
|  | B | L | 100 | 40 | 40 | ? | ? | ? |
|  |  | R | 280 | 39 | 50 | 268 | 55 | 00 |
|  | C | L | $16!$ | 20 | 40 | ? | ? | ? |
|  |  | R | 341 | 20 | 20 | 300 | 40 | 00 |
|  | A | L | 00 | 00 | 20 |  |  |  |
|  |  | R | 180 | 00 | 00 |  |  |  |

13. Differentiate between triangulation and trilateration with advantages and disadvantages.
14. Compute the area of the following traverse by DMD method.

| Line | Latitude $(\mathrm{m})$ | Departure $(\mathrm{m})$ |
| :---: | :---: | :---: |
| AB | 0.00 | 405.85 |
| BC | 182.00 | 0.00 |
| CD | 87.50 | -151.55 |
| DE | -85.50 | -148.10 |
| EA | -184.00 | -106.20 |

15. The width of formation level of a certain cutting is 8 m and the side slopes are $1: 1$. The surface of the ground has a transverse slope of 1 in 6 . If the depths of cutting at the Centre lines of three sections 30 m apart are $2 \mathrm{~m}, 3 \mathrm{~m}$ and 4 m respectively. Determine the volume of earth work involved in this length of cuting by trapezoidal approach and prismoidal approach. Also find prismoidal correction.

## tribhuvan unversty INSTITUTE OF ENGINEERING Examination Control Division 2076 Chaitra

| Exam. | Regular |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year / Part | II/I | Time | 3 hrs. |

## Subject: - Surveying I (CE 504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

## 1. Explain principle of surveying illustrating examples.

2. Tabulate the various errors occurred in taping with their sources and directions. A 30 m steel tape was standardized in catenary conditions under a pull of 15 kg and found to be 30.006 m . This tape was used to measure a distance of 86 m in catenary conditions at a pull of 15 kg . Supports were provided at every 15 m . The weight of the tape was $30 \mathrm{gm} / \mathrm{m}$. Apply necessary tape corrections for the measured iength of line.
3. Explain the criteria for selecting suitable scale. A map is drawn to some scale so that a plot of 6.304 ha is represented by $4.7 \mathrm{~cm} \times 4.6 \mathrm{~cm}$ on the plan. Calculate the suitable RF of scale of the map and draw a scale to read upto a meter from the map and scale should be long enough to measure upto 500 m . Aiso indicate 123.400 m in the scale.
4. What äre the major considerations while selecting the main station and lines of chain survey? How would you decide the number of offsets based on the objects?
5. How can the accuracy of a closed traverse be checked and adjusted if necessary, in compass traverse.
6. The fore bearing of line AB of a link traverse ABCDEF is $61^{\circ} 06^{\prime} 00^{\prime \prime}$. The right turn angles were observed as follows: $\angle \mathrm{B}=93^{\circ} 06^{\prime} 50^{\prime \prime}, \angle \mathrm{C}=155^{\circ} 45^{\prime} 30^{\prime \prime}, \angle \mathrm{D}=247^{\circ} 09^{\prime} 40^{\prime \prime}$ and $\angle \mathrm{E}=90^{\circ} 58^{\prime} 20^{\prime \prime}$. If the bearing of the last line observed was $108^{\circ} 05^{\prime} 40^{\prime \prime}$. Check whether the observations for angles are correct or not. If not compute the correct bearings of all lines.
7. Explain with neat sketch profile leveling and cross section leveling. What are the uses of these in civil Engineering?
8. Reciprocal leveling was conducted across a wide river to determine the difference in level of points $A$ and $B, A$ situated on one bank of the river and $B$ situated on the other. The following results on the staff held vertically at A and B from level stations 1 and 2 respectively, were obtained. The level station 1 was near to $A$ and station 2 was near to $B$. [2+2+2]

| Instrument at | Staff reading $(\mathrm{m})$ |  |
| :---: | :--- | :--- |
|  | A | B |
| 1 | 1.486 | 1.726 |
| 2 | 1.191 | 1.416 |

a) If the reduced level of $B$ is 1160.18 m above the datum, what is the reduced level of A?
b) Assuming that the atmospheric conditions remain unchanged during the two sets of the observations, calculate the collimation error, precision ratio, the combined curvature and refraction correction if the distance $A B$ is 300 m .
9. During fly leveling the following note is made.
B.S: $0.62,2.05,1.42,2.63$ and 2.42 m
F.S.: $2.44,1.35,0.53$ and 2.41 m

The first B.S was taken on a BM of RL 1470 m . From the last B.S. it is required to set 4 pegs each at a distance of 30 m on a rising gradient of 1 in 200 . Enter these notes in the form of a standard level book and calculate the R.L. of the top of each peg by the rise and fall method. Also, calculate the staff readings on each peg.
10. What are the methods of orienting of plane table? Describe the methods of plane table surveying with their salient features.
11. List out the errors which are eliminated by taking face observations of theodolite; also explain the mechanism of elimination with neat sketches. Explain the working principles of micrometer optical theodolite.
12. The following observations were recorded in a theodolite traverse ABCDEA. Compute the mean horizontal angles and adjust them if necessary. Also calcuiate the VCR and VA when sighted from station A to target stations E and B.

| Inst. Station | Target Stn | Horizontal Circle Reading |  | Vertical Circle Reading |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Face Left | Face Right | Face Left | Face Right |
| A | E | $0^{\circ} 0^{\prime} 0^{\prime \prime}$ | $180^{\circ} 0^{\prime} 40^{\prime \prime}$ | $65^{\circ} 10^{\prime} 30^{\prime \prime}$ | ?? |
|  | B | $128^{\circ} 47^{\prime \prime} 20^{\prime \prime}$ | $308^{\circ} 47^{\prime} 40^{\prime \prime}$ | ?? | $297^{\circ} 25^{\prime} 40^{\prime \prime}$ |
| B | A | $0^{\circ} 0^{\prime} 0^{\prime \prime}$ | $180^{\circ} 0^{\prime} 40^{\prime \prime}$ |  |  |
|  | C | $102^{\circ} 6^{\prime} 40^{\prime \prime}$ | $282^{\circ} 6^{\prime} 40^{\prime \prime}$ |  |  |
| C | B | $0^{\circ} 0^{\prime} 0^{\prime \prime}$ | $180^{\circ} 0^{\prime 2} 20^{\prime \prime}$ |  |  |
|  | D | 1089 ${ }^{\circ} 2^{\prime \prime} 20^{\prime \prime}$ | $288^{\circ} 53^{\prime \prime} 0^{\prime \prime}$ |  |  |
| D | C | $0^{\circ} 0^{\prime} 0^{\prime \prime}$ | $180^{\circ} 0^{\prime} 0^{\prime \prime}$ |  |  |
|  | E | $91^{\circ} 0^{\prime} 0^{\prime \prime}$ | $271^{\circ} 0^{\prime \prime} 0^{\prime \prime}$ |  |  |
| E | D | $0^{\circ} 0^{\prime} 0^{\prime \prime}$ | $180^{\circ} 0^{\prime \prime} 0^{\prime \prime}$ |  |  |
|  | A | $109^{\circ} 11^{\prime} 20^{\prime \prime}$ | $289^{\circ} 12^{\prime} 0^{\prime \prime}$ |  |  |

13. Explain the advantages of trilateration over triangulation. List out the general specifications of primary triangulation.
14. Calculate the area of transverse by double meridian distance methods.

| Line | AB | BC | CD | DE | EA |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Latitude $(\mathrm{m})$ | +218 | -277 | -109 | -207 | +375 |
| Departure $(\mathrm{m})$ | +202 | +80 | -332 | -301 | +351 |

15. Find the volume of earthwork by trapezoidal and Prismoidal formula in three consecutive sections at 30 m interval. Formation level of starting chainage $=1201.85 \mathrm{~m}$. Formation width $=5 \mathrm{~m}$. Downward slope of formation $=100: 1$, Side slope $=2: 1$ and transverse slope $=6: 1$. The ground has an upward gradient of $50: 1$. The depth of cutting at 0 chainage is 1.65 m . Compute the prismoidal correction also.
16. What is EDM? Explain the operational principles of EDM measuring distances.
 2076 Ashwin

| Exam. | Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | I/I | Time | 3 hrs. |

## Subject: - Surveying I (CE 504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. What do you mean by surveying? List out the secondary disciplines of surveying.
2. A 1.5 km long road is indicated in a map by a length of 37.5 cm . Find the scale of the plot and indicate through a sketch how a suitable scale can be constructed to read upto 1 m in the map.
3. Tabulate the various errors occurred in chaining/taping with their sources and directions. A 20 m steel tape was standardized in catenary conditions under a puil of 10 kg and found to be 20.006 m . This tape was used to measure a distance of 86 m in catenary conditons at a pull of 10 kg . Supports were provided at every 10 m . The weight of the tape was $30 \mathrm{gm} / \mathrm{m}$. Apply necessary tape corrections for the measured length of line.
4. What is the principle of chain surveying? Compare the well condition triangle with error.
5. Explain the method of compass traverse adjustment as you done with neat sketch.
6. The fore bearing of line AB of a link traverse ABCDEF is $61^{\circ} 06^{\prime} 00^{\prime \prime}$. The angle to the right at stations with theodolite were observed as follows: $\angle \mathrm{B}=93^{\circ} 060^{\prime \prime} 50^{\prime \prime}$, $\angle \mathrm{C}=155^{\circ} 4530^{\prime \prime}, \angle \mathrm{D}=247^{\circ} 09^{\prime} 40^{\prime \prime}$ and $\angle \mathrm{E}=90^{\circ} 58^{\prime} 20^{\prime \prime}$. If the BB of the last line observed was $108^{\circ} 05^{\prime} 40^{\prime \prime}$. Check whether the observations for angles are correct or not. If not compute the correct bearings of all lines.
7. Explain the principles of leveling. Which types of errors are eliminated by balancing of sight, illustrates with suitable examples.
8. During fly leveling, the following staff readings were noted:
$\mathrm{BS}=0.63,2.05,-2.424$, (B) and 2.56 m FS $=2.444,1.35$ and -2.42 m .
The (B) was taken on a BM of RL 1280.00 m . From the last point, it is required to set up 4 pegs each at 30 m interval on a falling gradient of 1 in 200 .
a) Prepare the level book and calculate the RL of the top of each peg by rise and fall method.
b) Also calculate the staff readings on each peg and apply usual checks.
9. Determine the RL of station B of a bridge axis AB of axis length 58.60 m from the following information. If RL of station A was 1295 m . Apply necessary check.

| Instrument <br> near to | Sighted to | Staff reading |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | A | M | B |  |  |
| A | A | 1.57 | 1.559 | 1.548 |  |
|  | B | 1.9 | 1.585 | 1.271 |  |
| B | A | 1.96 | 1.647 | 1.335 |  |
|  | B | 1.685 | 1.671 | 1.659 |  |

10. What are the principles of plane table surveying? List out the advantages and disadvantages of plane table surveying.
11. List out the errors which are eliminated by taking face observations of theodolite; also explain the mechanism of elimination with neat sketches. Explain in brief about the temporary adjustment of theodolite.
12. The following observations were recorded in a theodolite traverse ABCDA. Rule out the proper filed book and compute horizontal angles and adjust them if necessary.

| Instrument station | Target station | HCR observation |  |
| :---: | :---: | :---: | :---: |
|  |  | Direct | Reversed |
| A | D | $90^{\circ} 00^{\prime} 10^{\prime \prime}$ | $269^{\circ} 59^{\prime} 40^{\prime \prime}$ |
|  | B | 200 ${ }^{\circ} 5^{\prime} 40^{\prime \prime}$ | $20^{\circ} 25^{\prime} 30^{\prime \prime}$ |
| B | A | 890 $59330^{\prime \prime}$ | $270^{\circ} 00^{\prime} 10^{\prime \prime}$ |
|  | C | 180 ${ }^{\circ} 16^{\prime} 10^{\prime \prime}$ | $00^{\circ} 16^{\prime} 00^{\prime \prime}$ |
| C | B | $90^{\circ} 00^{\prime} 10^{\prime \prime}$ | $270^{\circ} 00^{\prime} 10^{\prime \prime}$ |
|  | D | $179^{\circ} 08^{\prime} 40^{\prime \prime}$ | $359^{\circ} 08^{\prime 2} 0^{\prime \prime}$ |
| D | C | 89959'50' | $270^{\circ} 00^{\prime} 00^{\prime \prime}$ |
|  | A | $160^{\circ} 12^{\prime} 40^{\prime \prime}$ | $340^{\circ} 12330^{n}$ |

13. Explain the principle of triangulation. List out the general specification of third order triangulations survey.
14. Calculate the area of the following traverse by using DMD method.

| Line | AB | BC | CD | DA |
| :--- | :--- | :--- | :--- | :--- |
| Latitude $(\mathrm{m})$ | 225.28 | -139.61 | -336.90 | 251.23 |
| Depature $(\mathrm{m})$ | 227.26 | 417.26 | -196.47 | -448.05 |

15. A roadway embankment of formation width of 10 m and side slope $2: 1$ is to be constructed. The ground level along the centre line is as follows:

| Change | $0+000$ | $0+040$ | $0+080$ | $0+120$ | $0+160$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| GL (m) | 1115.70 | 1114.30 | 1116.75 | 1115.15 | 1118.45 |

The embankment has arising gradient of 1 in 100 and the formation level at zero chainage is 114.95 m . Assuming the ground level across the centre line, compute the volume of Earth work.
16. What is EDM? Explain the fundamental principles of EDM measuring distances.

## TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING <br> Examination Control Division 2075 Chaitra

| Exam. | Regular/Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | II/I | Time | 3 hrs.. |

## Subject: - Surveying I (CE 504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. What is surveying? Explain about the four major principles of suryeying.
2. Describe the various types of errors in surveying.
3. A steel tape was standardized in catenary at 7 kg pull. Distance of 360 m was measured with this tape under a pull of 5 kg . Assuming that the tape was supported at every 20 m length, determine the correct length of line if the weight of tape $=10 \mathrm{gm} / \mathrm{cc}$ and cross sectional area of tape $=0.03 \mathrm{~cm}^{2}$. Take $\mathrm{E}=210 \times 10^{3} \mathrm{~N} / \mathrm{mm}^{2}$.
4. A plan represents an area of $39672 \mathrm{~m}^{2}$ and represents $4.75 \mathrm{~cm} \times 5.22 \mathrm{~cm}$ on plan. Find the scale of the plot and indicate through a sketch how a suitable scale can be constructed to read up to 1 m on the plan. The scale should be long enough to measure upto 400 m .
5. How would you adjust closing error graphically in compass traverse. Explain with neat sketches.
6. Why is it necessary use well conditioned triangle? Explain the importance of the tie line
in chain survey.
7. The following table gives the FB and BB of the sides of a closed compass traverse PQRSTP.

| line | PQ | QR | $R S$ | ST | TP |
| :--- | :--- | :--- | :--- | :--- | :--- |
| FB | $188^{\circ} 45^{\prime}$ | $119^{\circ} 15^{\prime}$ | $346^{\circ} 30^{\prime}$ | $337^{\circ} 00^{\prime}$ | $293^{\circ} 30^{\prime}$ |
| BB | $7^{\circ} 45^{\prime}$ | $298^{\circ} 15^{\prime}$ | $168^{\circ} 30^{\prime}$ | $158^{\circ} 30^{\prime}$ | $113^{\circ} 00^{\prime}$ |

Check the bearings for local attraction. Correct the bearing by the method of included
angles.
8. What is closing error in level circuit? How the closing error can be adjusted in a level circuit, explain them.
9. Following readings were taken during a leveling work from TBM1 to TBM2 2.191, $2.505,2.325,1.496,3.019,2.513,(-) 1.685,2.811,1.752,3.824 \mathrm{~m}$. Level instrument was changing afier $4^{\text {th }}$ and $8^{\text {th }}$ readings. Enter the above readings in a level field book format and compute RLs of all the points and adjust the RLs if error arises. RLs of TBM1 and TBM2 are 1449.870 and 1448.710 m respectively.
10. The following staff reading were taken during a reciprocal leveling:

| Instrument at near | Staff reading on |  |
| :--- | :--- | :--- |
|  | A | B |
| A | 1.252 | 1.052 |
| B | 1.419 | 1.253 |

If the distance AB is 250 m , compute the RL of B . If RL of A is 1450.500 m , find the combined correction, collimation error and correct reading for A during second setup.
11. What is plane table surveying? Explain the intersection method and its advantages.
12. Explain about construction principle of theodolite and function of micrometer screw in optical theodolite.
13. Using mean direction method, calculate the mean horizontal angle.

| Instrument at | Sighted to | Set | HCR observation |  |
| :--- | :--- | :--- | :--- | :--- |
|  |  |  |  | Left Face |
| O | Right Face |  |  |  |
|  | A | I | $00^{\circ} 00^{\prime} 00^{\prime \prime}$ | $179^{\circ} 59^{\prime} 30^{\prime \prime}$ |
|  | B | I | $121^{\circ} 00^{\prime} 00^{\prime \prime}$ | $301^{\circ} 00^{\prime} 20^{\prime \prime}$ |
|  | A | II | $90^{\circ} 00^{\prime} 10^{\prime \prime}$ | $269^{\circ} 59^{\prime} 40^{\prime \prime}$ |
|  | B | II | $211^{\circ} 00^{\prime} 40^{\prime \prime}$ | $31^{\circ} 00^{\prime} 20^{\prime \prime}$ |

14. Explain the classification of triangulation system.
15. The offsets in meter from a survey line to an irregular boundary line are given below:

| chainage (m) | 0 | 10 | 20 | 30 |
| :--- | :--- | :--- | :--- | :--- |
| Offset (m) | 4.6 | 7.2 | 9.6 | 6.4 |

Calculate the area enclosed by $1^{\text {st }}$ line, last line, survey line $\&$ boundary line using Simpson's rule and trapezoidal rule.
16. Find the volume of cutting in a length of 60 m with the following data for a two level section using the prismoidal and trapezoidal formula. Also calculate the prismoidal correction. Formation width 9 m , side slope $=2: 1$, transverse slope $=6: 1$. The ground level at 30 m intervals are given below.

| Chainages (m) | 0 | 30 | 60 |
| :---: | :---: | :---: | :---: |
| Ground level $(\mathrm{m})$ | 1181.50 | 1181.80 | 1182.40 |

The formation has a downward slope of 1 in 40 with the formation level at $0+000$ chainage being 1179.000 m .
17. Write short notes on principles of EDM.

| Exam. |  |  |  |
| :---: | :---: | :---: | :---: |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | 11/1 | Time | 3 hrs . |

## Subject: - Surveying I (CE504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figwres in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

## 1. List out the principles of surveying and describe any two of them.

2. A map is drawn to some scate so that a plot of $51750 \mathrm{~m}^{2}$ is represented by $4.6 \mathrm{~cm} \times 4.5 \mathrm{~cm}$ on the plan. Calculate the RF of the scale of the map. Draw a scale to read up to a single metre from the map and scale should be long enough to measure upto 600 m .
3. A tape of nominal length 30 m is standardized in catenary at 50 N tension and found to be 29.8950 m . If the mass of the tape is $0.015 \mathrm{~kg} / \mathrm{m}$, calculate the horizontal length of a span recorded as 23 m .
4. What is the need of a reference sketch of stations? Explain by giving the sample page of a detailing field book and how offsets values are to be measured and recorded in the . detailing field book?
5. Define closing error. Describe about the various plotting method in compass traverse.
6. The following observations were taken with a compass in case of a closed traverse. Cakculate the angles and correct the bearings for local attraction, if any. Calculate the true bearings, if declination is $1^{\circ} 3 \sigma^{\prime}$ East.

| Line | FB | BB | Declination |
| :---: | :---: | :---: | :---: |
| AB | $51^{\circ} 30^{\circ}$ | $230^{\circ} 00^{\circ}$ | $1^{\circ} 30^{\prime}$ |
| BC | $182^{\circ} 45^{\prime}$ | $2^{\circ} 30^{\circ}$ |  |
| CD | $4^{\circ} 00^{\circ}$ | $284^{\circ} 45^{\circ}$ |  |
| DE | $165^{\circ} 15^{\prime}$ | $345^{\circ} 45^{\prime}$ | - |
| EA | $251^{\circ} 30^{\prime}$ | $71^{\circ} 30^{\circ}$ |  |

7. Suggest a best method to transfer RLs from one bank of river to the other bank with. derivation. Which type of errors are removed by this above method?
8. The following consecutive readings were taken with a dumpy level and a 4 m staff on a continuously sloping ground on a straight line at a common interval of 30 m . $0680,1.455,1.855,2.880,2.800,3.380,1.055,1.860,2.265,3.540$, (B) $0.835,0.945$, 1.530 and 2.445 .

The RL of B was 1180.750 m . Rule out a page of a level field book and enter above readings. Calculate the RLs of the points by the rise and fall method, and also the gradient of the line joining the first and last points.
9. Following staff readings were noted during a two peg test operation:

| Instrument Station | Staff Readings |  | Remarks |
| :--- | :---: | :---: | :---: |
|  | 1.585 | 1.287 |  |
| Near A i.e. 6m <br> inside between A <br> and B | 1.355 | 1.045 |  |

Compute the collimation precision. If error is there, compute the correct readings for A and B during II set up and describe the procedure for making the line of collimation in horizontal.
10. What are the principles of plane table surveying? Describe the process of Orientation of plane table by Back sighting with supporting sketch.
11. Explain temporary adjustments of theodolite survey.
12. A direction theodolite with a least count of 10 ' is set over station ' $O$ ' to measure direction to stations A, B, C and D. The observed circle readings are as follows: Compute the mean horizontal angle and adjust them if necessary. Also calculate, missing data of vertical circle reading.

| Instrument | Target Station | Telescope | Horizontal Circle Readings | Vertical Circle Readings |
| :---: | :---: | :---: | :---: | :---: |
| 0 | A | Direct | $00^{\circ} 00^{\prime} 10^{\prime \prime}$ | $120^{\circ} 15^{\prime} 10^{\prime \prime}$ |
|  |  | Reversed | $180^{\circ} 00^{\prime \prime} 20^{\prime \prime}$ | ? |
|  | B | Direct | $60^{\circ} 55^{\prime} 10^{\prime \prime}$ | ? |
|  |  | Reversed | $240^{\circ} 55^{\prime} 20^{\prime \prime}$ | 308 ${ }^{\circ} 51^{\prime} 40^{\prime \prime}$ |
|  | C | Direct | $140^{\circ} 50^{\prime} 50^{\prime \prime}$ | ? |
|  |  | Reversed | $320^{\circ} 51^{\prime} 20^{\prime \prime}$ | $269^{\circ} 15^{\prime} 10^{\prime \prime}$ |
|  | D | Direct | $270^{\circ} 20^{\prime} 10^{\prime \prime}$ | $177^{\circ} 20^{\prime} 10^{\prime \prime}$ |
|  |  | Reversed | $90^{\circ} 20^{\circ} 20^{\prime \prime}$ | ? |
|  | A | Direct | $0^{\circ} 00^{\prime} 20^{\prime \prime}$ | $89^{\circ} 00^{\prime} 10^{\prime \prime}$ |
|  |  | Reversed | $180^{\circ} 00^{\prime} 30^{\prime \prime}$ | ? |

13. Describe selection criteria of Triangulation and Trilateration stations. What are the field applications of Triangulation?
14. From the chainages and offsets given below, find the area between the boundary, the first and last offsets and base line.

| Chainages $(\mathrm{m})$ | 0 | 12 | 20 | 25 | 34 | 42 | 52 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Offsets (m) | 0 | 6.9 | 7.6 | 9.8 | 10.2 | 9.9 | 6.8 |

15. Find the volume of filling in a length of 50 m with the following data for a two level section, using the trapezoidal and prismoidal formula, where formation width $=10 \mathrm{~m}$, side slope $2: 1$, transverse slope $=8: 1$. The ground level at 25 m interval are given below.

| Chainages (m) | 0 | 25 | 50 |
| :--- | :---: | :---: | :---: |
| RL of GL | 1080.50 | 1079.80 | 1078.40 |

The formation has a downward slope of 1 in 50 with the formation level at 0 chainage being 1081.50 m .
16. What is EDM? Describe about the principles of distance measurement techniques in EDM.

| 05 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGNEERING | Exam. | Regular |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Level | BE | Full Marks | 80 |
|  | Programme | BCE | Pass Marks | 32 |
| 2074 Chaitra | Year/Part | II/I | Time | 3 hrs . |

Subject: - Surveying 1 (CE504)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.-
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Mention the various fundamental principles of surveying and describe about the major three of them by giving suitable examples.
2. What are the selection criteria of scale for drawing a map?A rectangular plot of land of area 0.55 hectare is represented on a map of similar rectangle area of $6.11 \mathrm{~cm}^{2}$. Calculate the representative factor of the scale of the map. Draw a scale to read upto a meter from the map. The scale should be long enough to measure upto 400 m .
A 30 m steel tape was standardized in catenary condition under a pull of 5 kg and found to be 30.008 m . This tape was used to measure a distance of 66 m in three equal span in catenary conditions at a pull of 5 kg . The weight of tape was $30 \mathrm{gm} / \mathrm{m}$. Apply necessary tape correction for the measured length of line.
3. Why and how to take offsets to different objects? Describes briefly with neat sketches of detailing field book of chain survey.
4. What is misclosure in compass traverse? Describe about the graphical adjustment of such misclosure during plotting of compass traverse.
5. The fore bearing of line AB of an open traverse ABCDEFGH is $81^{\circ} 45^{\prime}$. The deflection angles between the lines were measured with a theodolite and were as follows: $25^{\circ} 30^{\prime}(\mathrm{R})$ at $\mathrm{B}, 37^{\circ} 45^{\prime}(\mathrm{L})$ at $\mathrm{C}, 45^{\circ} 15^{\prime}(\mathrm{R})$ at $\mathrm{D}, 55^{\circ} 30^{\prime}(\mathrm{L})$ at $\mathrm{E}, 75^{\circ} 15^{\prime}(\mathrm{L})$ at F and $80^{\circ} 00^{\prime}(\mathrm{R})$ at G . If the FB of the last line observed was $63^{\circ} 00^{\prime}$. Check whether the observations for deflection angles are correct or not. If not compute the correct bearings of all the lines.
6. Discuss briefly the effect of curvature and refraction in levelling. Derive an expression for curvature correction and for combined curvature and refraction correction.
7. A page of a level field book with some missing data are given below. Find those missing data and calculate the reduced levels of all the points.

| Stations | BS | IS | FS | Rise ( + ) | Fall ( $)$ | RL (m) | Remarks |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | 3.250 |  |  |  |  | 1249.260 |  |
| B | 1.755 |  | ? |  | 0.750 | $\square$ | $\mathrm{CP}_{1}$ |
| C |  | 1.950 |  |  | ? |  |  |
| D | ? |  | 1.920 | $?$ |  |  | $\mathrm{CP}_{2}$ |
| E |  | 2.340 |  | 1.500 |  |  |  |
| F | $\square$ | $?$ |  | 1.000 | \% |  |  |
| G | 1.850 |  | 2.185 |  | ? |  | $\mathrm{CP}_{3}$ |
| H |  | (-) 1.575 |  | ? |  |  |  |
| 1 |  | ? |  |  | 2.820 |  |  |
| J | ? |  | 1.895 |  | ? |  | $\mathrm{CP}_{4}$ |
| K |  |  | (-) 1.350 | ? |  |  |  |
|  | $\sum \mathrm{BS}=12.795$ |  |  |  |  |  |  |

9. Reciprocal leveling was conducted across a wide river to determine the difference in level of points $A$ and $B, A$ situated on one bank of the river and $B$ situated on the other. The following results on the staff held vertically at A and B from level stations 1 and 2 , respectively, were obtained. The level station 1 was near to $A$ and station 2 was near to $B$.

| Instrument at | Staff reading on |  |
| :---: | :---: | :---: |
|  | A | B |
| 1 | 1.486 | 1.726 |
| 2 | 1.191 | 1.416 |

If the reduced level of $B$ is 1260.18 m above the datum, what is the reduced level of $A$ ? Assuming that the atmospheric conditions remain unchanged during the two sets of the observations, calculate
a) The combined curvature and refraction correction if the distance AB is 300 m , and
b) The collimation error
10. Describe about the reliable method of orientation of plane tabling and at what circumstances intersection method of plane tabling is more preferable than radiation.
11. Explain briefly about the temporary adjustments of a theodolite.
12. The following observations were recorded in a theodolite traverse ABCDA. Compute the mean horizontal angles and missing readings by entering the following readings in a standard booking format.

| Instrument Stations | Target Stations | HCR Observations |  | VC.R Observation |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Direct | Reversed | FL | FR |
| A | D | $89^{\circ} 59^{\prime} 50^{\prime \prime}$ | $270^{\circ} 00^{\prime} 10^{\prime \prime}$ |  |  |
|  | A | $90^{\circ} 00^{\prime} 00^{\prime \prime}$ | $269^{\circ} 59^{\prime} 40^{\prime \prime}$ | $120^{\circ} 14^{\prime} 20^{\prime \prime}$ | ? |
| B | C | $179^{\circ} 08^{\prime} 40^{\prime \prime}$ | 359008'30" |  |  |
|  | B | $90^{\circ} 00^{\prime} 00^{\prime \prime}$. | $2^{269}{ }^{\circ} 59^{\prime} 50^{\prime \prime}$ |  |  |
| C | D | $200^{\circ} 25^{\prime} 40^{\prime \prime}$ | 20 ${ }^{\circ} 25^{\prime} 20^{\prime \prime}$ |  |  |
|  | C | $90^{\circ} 00^{\prime} 10^{\prime \prime}$ | $270^{\circ} 00^{\prime} 00^{\prime \prime}$ | ? | 308951'20' |
| D | A | $180^{\circ} 16^{\prime} 10^{\prime \prime}$ | $00^{\circ} 16^{\prime} 00^{\prime \prime}$ |  |  |

13. Define trilateration. Write down the General specifications of $2^{\text {nd }}$ and $3^{\text {rd }}$ order triangulation.
14. The following offsets were taken at 20 m interval from a survey line to an irregular boundary line $0.00 \mathrm{~m}, 1.53 \mathrm{~m}, 5.37 \mathrm{~m}, 3.50 \mathrm{~m}, 4.32 \mathrm{~m}, 7.25 \mathrm{~m}, 4.30 \mathrm{~m}, 6.55 \mathrm{~m}$. Calculate the area enclosed between the survey line by(i) Trapezoidal Rule (ii) Simpson's $1 / 3$ rule.
15. Find the volume of cutting in a length of 60 m with the following data for a two level section using the trapezoidal and prismoidal formula, where formation width $=9 \mathrm{~m}$, side slope $2: 1$, transverse slope $=6: 1$. The ground levels at 30 m interval are given below.

| Chainages (m) | 0 | 30 | 60 |
| :--- | :---: | :---: | :---: |
| RL of GL $(\mathrm{m})$ | 1181.50 | 1181.80 | 1182.40 |

The formation has a downward slope of 1 in 40 with the formation level at 0 (zero) chainage being 1179.00 m .
16. What are the principles of actual operation of EDM? Describe the sources of errors of EDM.

| Exam. |  | Back |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | Il/l | Time | 3 hrs. |

## Subject: - Surveying I (CE504)

## $\checkmark$ Candidates are required to give their answers in their own words as far as practicable.

## $\checkmark$ Attempt All questions.

$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Define surveying. Explain its importance of civil engineers.
b) Explain perpendicular and oblique offset with neat sketch.
c) A steel tape was exactly 20 m long at $20^{\circ} \mathrm{C}$ when supported throughout its length under pull of 100 N . A line was measured with this tape under pull of 160 N at mean temperature of $30^{\circ} \mathrm{C}$ and found to be 1020 m long. The cross sectional area of tape is $0.03 \mathrm{~cm}^{2}$, weight per meter length is 24 gm , coefficient of thermal expansion for steel is $11 \times 10^{-6} /{ }^{\circ} \mathrm{C}$ and modulus of elasticity of steel is $2.1 \times 10^{6} \mathrm{~kg} / \mathrm{cm}^{2}$. Find true length of line if tape was supported at every 10 m during measurement.
2. a) Explain whole circle bearing and reduced bearing of Compass Survey with neat sketch.
b) Write the propagation of electromagnetic energy.
c) The bearing of a closed traverse ABCDEEA are given as follows, find the stations affected by local attraction and correct them if necessary.

| Line | Fore Bearing | Back Bearing |
| :--- | :--- | :--- |
| AB | $216^{\circ} 30^{\prime}$ | $36^{\circ} 10^{\prime}$ |
| BC | $135^{\circ} 55^{\prime}$ | $316^{\circ} 25^{\prime}$ |
| CD | $81^{\circ} 30^{\prime}$ | $260^{\circ} 30^{\prime}$ |
| DE | $321^{\circ} 10^{\prime}$ | $141^{\circ} \circ 0^{\prime}$ |
| EF | $246^{\circ} 20^{\prime}$ | $66^{\circ} 50^{\prime}$ |
| FA | $299^{\circ} 20^{\prime}$ | $119^{\circ} 00^{\prime}$ |

3. a) State the points to be considered in fly leveling.
b) Explain reciprocal leveling with neat sketch.
c) The following consecutive readings were taken with a Level and a 4 m leveling staff on continuously sloping ground at a common interval of 30 m .
0.585 on A. $0.936,1.953,2.846,3.644,3.938,0.962,1.035,1.689,2.534,3.844$, $0.956,1.579,3.016$ on B
The elevation of $B$ was 1120.450. Make up the level field book and apply the usuai checks. Find the gradient between first and last point.
4. a) The following offsets were taken from a chain line to hedge.

| Distance (m) | 0 | 5 | 10 | 15 | 20 | 25 | 30 | 35 | 40 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Offset(m) | 0 | 2.5 | 5 | 7.5 | 8.8 | 7.5 | 6.5 | 3.5 | 0 |

Calculate the area enclosed between the chain line and hedge by,
i) The simpson's rule
ii) The trapezoidal rule
b) The following observations were recorded in a theodolite traverse ABCDA. Compute the mean horizontal angles and adjust them if necessary.

| Inst. Station | Target Station | Horizontal circuit reading |  |  |
| :--- | :--- | :--- | :--- | :---: |
|  |  | Face Left | Face Right |  |
| A | D | $90^{\circ} 00^{\prime} 00^{\prime \prime}$ | $269^{\circ} 59^{\prime} 30^{\prime \prime}$ |  |
|  | B | $204^{\circ} 25^{\prime} 40^{\prime \prime}$ | $24^{\circ} 25^{\prime} 30^{\prime \prime}$ |  |
| B | A | $90^{\circ} 00^{\prime} 00^{\prime \prime}$ | $270^{\circ} 00^{\prime} 30^{\prime \prime}$ |  |
|  | C | $190^{\circ} 36^{\prime} 10^{\prime \prime}$ | $10^{\circ} 36^{\prime} 00^{\prime \prime}$ |  |
| C | B | $90^{\circ} 00^{\prime} 00^{\prime \prime}$ | $269^{\circ} 59^{\prime} 50^{\prime \prime}$ |  |
|  | D | $169^{\circ} 08^{\prime} 40^{\prime \prime}$ | $349^{\circ} 09^{\prime} 20^{\prime \prime}$ |  |
| D | C | $90^{\circ} 00^{\prime} 00^{\prime \prime}$ | $270^{\circ} 00^{\prime} 00^{\prime \prime}$ |  |
|  | A | $165^{\circ} 12^{\prime} 40^{\prime \prime}$ | $345^{\circ} 12^{\prime} 30^{\prime \prime}$ |  |

5. Write short notes on: (any four)
i) Principles of chain survey
ii) Advantages and disadvantages of plane table survey
iii) Principle of triangulation and trilaleration
iv) Temporary adjustment of theodolite
v) Sources of error in leveling

| 05 TRIBHUVAN UNIVERSITY |  | Regular |  |  |
| :--- | :--- | :--- | :--- | :--- |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE | Pass Marks | 32 |
|  | Year/Part | II/I | Time | 3 hrs. |

## Subject: - Surveying I (CE504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Define surveying. Explain its importance for civil engineers.
b) Explain historical background of surveying and write basic principles of surveying.
c) A line was measured with a steel tape which was exactly 30 m at $20^{\circ} \mathrm{C}$ and at a pull of 10 kg , the measured length being 1860 m . The temperature during measurement was $35^{\circ} \mathrm{C}$ and the pull applied was 20 kg . Find the true length of the line, if the cross sectional area of the tape was $0.025 \mathrm{sq} . \mathrm{cm}$. The co-efficient of expansion of the material of the tape per ${ }^{\circ} \mathrm{C}=3.5 \times 10^{-6} \mathrm{~kg} / \mathrm{sq} . \mathrm{cm}$ and the modulus of elasticity of material of the tape $=2.2 \times 10^{6} \mathrm{~kg} / \mathrm{sq} . \mathrm{cm}$.
2. a) Explain the errors and adjustments in compass traversing.
b) Write the principle of electromagnetic distance measurement.
c) Following are the bearing observed in a compass traverse survey. At what station do you suspect local attraction? Find the correct bearing and true bearing of each of the lines given that magnetic declination was $3^{\circ} 30^{\circ} \mathrm{E}$.

| Line | F.B | B.B |
| :--- | :--- | :--- |
| AB | $191^{\circ} 30^{\prime}$ | $13^{\circ} 00^{\prime}$ |
| BC | $79^{\circ} 30^{\prime}$ | $256^{\circ} 30^{\prime}$ |
| CD | $32^{\circ} 15^{\prime}$ | $210^{\circ} 30^{\prime}$ |
| DE | $262^{\circ} 45^{\prime}$ | $82^{\circ} 15^{\prime}$ |
| EA | $230^{\circ} 15^{\prime}$ | $53^{\circ} 00^{\prime}$ |

3. a) State the points to be considered in fly leveling.
b) Explain reciprocal leveling with neat sketch.
c) The following consecutive readings were taken with a Level and a 4 m leveling staff on continuously sloping ground at a common interval of 30 m .
0.585 on $\mathrm{A}, 0.936,1.953,2.846,3.644,3.938,0.962,1.035,1.689,2.534$, $3.844,0.956,1.579,3.016$ on $B$.
The elevation of B was 1120.450. Make up the level field book and apply the usual checks. Find the gradient between first and last point.
4. a) The following offsets were taken from a chain line to hedge.

| Distance $(\mathrm{m})$ | 0 | 5 | 10 | 15 | 20 | 25 | 30 | 35 | 40 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Offset $(\mathrm{m})$ | 0 | 2.5 | 5 | 7.5 | 8.8 | 7.5 | 6.5 | 3.5 | 0 |

Calculate the area enclosed between the chain line and hedge by,
i) The simpson's rule
ii) The trapezoidal rule
b) The following observations were recorded in a theodolite traverse ABCDA . Compute the mean horizontal angles and adjust them if necessary.

| Inst. <br> Station | Target <br> station | Horizontal circle reading |  |
| :---: | :---: | :---: | :---: |
|  |  | Face Right |  |
|  | D | $90^{\circ} 0^{\prime} 0^{\prime} 0^{\prime \prime}$ | $269^{\circ} 59^{\prime} 30^{\prime \prime}$ |
|  | B | $204^{\circ} 25^{\prime} 40^{\prime \prime}$ | $24^{\circ} 25^{\prime} 30^{\prime \prime}$ |
|  | A | $90^{\circ} 00^{\prime} 00^{\prime \prime}$ | $270^{\circ} 00^{\prime} 30^{\prime \prime}$ |
| B | C | $190^{\circ} 36^{\prime} 10^{\prime \prime}$ | $10^{\circ} 36^{\prime} 00^{\prime \prime}$ |
|  | B | $90^{\circ} 0^{\prime} 00^{\prime \prime}$ | $269^{\circ} 59^{\prime} 50^{\prime \prime}$ |
| C | D | $169^{\circ} 08^{\prime} 40^{\prime \prime}$ | $349^{\circ} 09^{\prime} 20^{\prime \prime}$ |
|  | C | $90^{\circ} 00^{\prime} 00^{\prime \prime}$ | $270^{\circ} 00^{\prime} 00^{\prime \prime}$ |
| D | A | $165^{\circ} 12^{\prime} 40^{\prime \prime}$ | $345^{\circ} 12^{\prime} 30^{\prime \prime}$ |

5. Write short notes on: (any four)
i) Principles of chain survey
ii) Advantages and disadvantages of plane table survey
iii) Principle of triangulation and trilateration
iv) Temporary adjustment of theodolite
v) Source of errors in leveling

|  | Exam. |  | 66 \& Late | Batch). |
| :---: | :---: | :---: | :---: | :---: |
| 06 TRIBHUVAN UNIVERSTTY | Level | BE | Full Marks | 80 |
|  | Programme | BCE | Pass Marks | 32 |
| Examination Control Division | Year/Part | [1/1 | Time | 3 hrs . |

## Subject: - Surveying I (CE504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Explain about the objectives of surveying. Differentiate between plane and geodetic surveying.
b) Give a list of sources of errors in linear measurements and say which of them are cumulative and which are compensating.
c) A steel tape was exactly 30 m long at $20^{\circ} \mathrm{C}$ when supported throughout its length under a pull of 10 kg . A line was measured with this tape under a pull of 15 kg and at a mean temperature of $32^{\circ} \mathrm{C}$ and found to be 780 m long. The cross section area of tape $=0.03 \mathrm{~cm}^{2}$ and it's total weight $=0.693 \mathrm{~kg} . \alpha$ for steel $=11 \times 10^{-6}$ per ${ }^{\circ} \mathrm{C}$ and E for steel $=2.1 \times 10^{6} \mathrm{~kg} / \mathrm{cm}^{2}$. Compute the true length of the line if the tape was supported during measurement at every 15 m .
2. a) With neat sketches explain about types of field books in chain survey.
b) Explain Graphical method of adjusting a traverse in compass survey. The following
berse bearing was observed in a compass traverse.
c)

| Line | $F B$ | $B B$ |
| :--- | :--- | :--- |
| $A B$ | $69^{\circ} 30^{\prime}$ | $246^{\circ} 30^{\prime}$ |
| $B C$ | $191^{\circ} 30^{\prime}$ | $13^{\circ} 00^{\prime}$ |
| $C D$ | $230^{\circ} 15^{\prime}$ | $53^{\circ} 00^{\prime}$ |
| $D E$ | $262^{\circ} 45^{\prime}$ | $80^{\circ} 45^{\prime}$ |
| $E A$ | $32^{\circ} 15^{\prime}$ | $210^{\circ} 30^{\prime}$ |

At which of these stations would local attraction be suspected? Find the corrected bearing of the lines.
3. a) Why reciprocal levelling is done? Also derive the formula for reciprocal levelling.
b) The consecutive readings taken during a levelling operation are as follows: 0.685 , $1.315,-1.825,-0.635,1.205,1.235,2.631,1.355,-2.015$. The instrument was shifted after the third and sixth readings. The third reading was taken to a benchmark of assumed elevation 100.00 . Find the reduced levels of other points.
c) What is the purpose of $L$-sectioning and cross section levelling, Explain with field procedure.
4. a) Explain temporary adjustments of theodolite survey. Also show the different fundamental lines of theodolite.
b) During the Survey of suspension bridge the following observations were made in triangle $A B C$. $A B$ is the bridge axis. The least count of the instrument is $01^{\prime} 00^{\prime \prime}$.

| inst. Station | Sighted to | Horizontal circle reading |  |
| :---: | :---: | :---: | :---: |
|  |  | Face Left | Face Right |
| A | B | $0^{\circ} 00^{\prime} 00^{\prime \prime}$ | 180 ${ }^{\circ} 00^{\prime} 20^{\prime \prime}$ |
|  | C | $54^{\circ} 38^{\prime} 20^{\prime \prime}$ | $234^{\circ} 38^{\prime} 00^{\prime \prime}$ |
| B | C | $0^{\circ} 00^{\prime} 00^{\prime \prime}$ | $179^{\circ} 59^{\prime} 50^{\prime \prime}$ |
|  | A | $89^{\circ} 20^{\prime} 40^{\prime \prime}$ | $269^{\circ} 2100^{\circ \prime}$ |
| C | A | $0^{\circ} 00^{\prime} 00^{\prime \prime}$ | $180^{\circ} 00^{\prime} 00^{\prime \prime}$ |
|  | B | $36^{\circ} 01^{\prime} 00^{\prime \prime}$ | 215 ${ }^{\circ} 5820^{\prime \prime}$ |

Compute the angles by mean direction method and correct them if necessary. If the length of line $B C$ is 58.232 m , find the span of bridge axis $A B$.
c) Explain briefiy different types of triangles used in triangulation system with sketches. Write down the specification of $1^{\text {st }}$ order triangulation.
5. a) Explain the working principle of plane table survey and explain orientation by back sighting.
b) Find the volume of cutting in a length of 60 m with the following data for a two level section using the prismoidal and trapezoidal (average end area) formula. Also calculate the prismoidal correction. Formation width $=9 \mathrm{~m}$, side slope $=2: 1$, transverse slope $=\mathbf{6 : 1}$. The ground levels at 30 m intervals are given below:

| Chainage: | 0 | 30 | 60 |
| :--- | :---: | :---: | :---: |
| GL (m): | 281.50 | 281.80 | 282.40 |

The formation has a downward slope of 1 in 40 with the formation level at 0 chainage being 279.00 m .
c) Workout co-ordinates method for finding Area.

| 05 TRIBHUVAN UNIVERSITY | Exam. |  | Regular |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |  |
|  | Pxamination Control Division | Programme | BCE | Pass Marks | 32 |
|  | Year/Part | II/l | Time | 3 hrs. |  |

## Subject: - Surveying I (CE504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Explain distance measurement in sloping ground.
b) A 30 m steel tape was standardized in carenary condition under pull of 5 kg and found to be 30.015 m . The tape was used to measure distance of 24.726 m in catenary conditions at a pull of 5 kg . The weight of the tape was $30 \mathrm{gm} / \mathrm{m}$. Apply necessary tape correction.
c) A plan represents an area of $18000 \mathrm{~m}^{2}$ and measures $8 \mathrm{~cm} \times 9 \mathrm{~cm}$. Find the scale of the plot and indicate through a sketch how a suitable scale can be constructed to read up to 1 m in the plan. If the same plan is to be drawn on a topo sheet with a scale of $1: 12500$, what will be the represented area of that plan on the sheet?
2. a) Explain calculation of internal angles in Q.B system.
b) Explain the field procedure for chain surveying.
c) The following bearings are observed in a compass traverse survey.

| Line | AB | BC | CD | DE | EA |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Fore Bearing | $\mathrm{S} 11^{\circ} 30^{\circ} \mathrm{W}$ | $\mathrm{N} 67^{\circ} 30^{\prime} \mathrm{E}$ | $\mathrm{N} 32^{\circ} 15^{\prime} \mathrm{E}$ | $\mathrm{S} 82^{\circ} 45^{\prime} \mathrm{W}$ | $\mathrm{S} 50^{\circ} 15^{\prime} \mathrm{W}$ |
| Back Bearing | $\mathrm{N} 13^{\circ} 00^{\circ} \mathrm{E}$ | $\mathrm{S} 66^{\circ} 30^{\circ} \mathrm{W}$ | $\mathrm{S} 30^{\circ} 30^{\prime} \mathrm{W}$ | $\mathrm{N} 80^{\circ} 45^{\circ} \mathrm{E}$ | $\mathrm{N} 53^{\circ} 00^{\prime} \mathrm{E}$ |

Apply necessary checks and determine the corrected bearings.
3. a) Explain personal errors in leveling, intersection method in plane table.
b) A leveling instrument was set up exactly mid way between two pegs 50 m apart at A and $B$. The staff readings were 1.875 and 1.790 m respectively. The level was shifted to a point 5 m from $B$ on the line $A B$ produced and the staff readings were 1.630 and 1.560 m . Determine the correct staff readings when the line of columniation is exactly horizontal during $2^{\text {nd }}$ set up.
c) Following readings were taken during a leveling work from $\mathrm{TBM}_{1}$ to $\mathrm{TBM}_{2}$.
$2.191,2.505,2.325,1.496,3.019,2.513,2.811,1.752$ and 3.824 m . Level instrument was changed after $4^{\text {th }}$ and $7^{\text {th }}$ readings. Enter the above readings in a level book format and compute RLs of all the point and adjust the RLs if error arise. RLs of $\mathrm{TBM}_{1}$ and $\mathrm{TBM}_{2}$ are 449.870 and 448.710 m respectively.
4. a) Explain triangulation, trilateration and graphical intersection in plane tabling.
b) Explain about the construction principles of theodolite and uses of theodolite.
c) The following observations were recorded in a theodolite traverse ABCDEA. The following observate the mean horizontal angles and adjust them if necessary.

| Inst. Stn | Target stn | HCR observation |  |
| :---: | :---: | :---: | :---: |
|  |  | Direct | Reversed |
| A | D | $90^{\circ} 00^{\prime} 10^{\prime \prime}$ | $269^{\circ} 59^{\prime} 40^{\prime \prime}$ |
|  | B | $200^{\circ} 25^{\prime} 40^{\prime \prime}$ | $20^{\circ} 25^{\prime} 30^{\prime \prime}$ |
| B | A | $89^{\circ} 59^{\prime} 30^{\prime \prime}$ | $270^{\circ} 00^{\prime} 10^{\prime \prime}$ |
|  | C | $180^{\circ} 16^{\prime} 10^{\prime \prime}$ | $00^{\circ} 16^{\prime} 00^{\prime \prime}$ |
| C | B | $90^{\circ} 00^{\prime} 0^{\prime \prime}$ | $269^{\circ} 59^{\prime} 50^{\prime \prime}$ |
|  | D | $179^{\circ} 08^{\circ} 40^{\prime \prime}$ | $359^{\circ} 08^{\prime} 20^{\prime \prime}$ |
| D | C | $89^{\circ} 59^{\prime} 50^{\prime \prime}$ | $270^{\circ} 00^{\prime} 10^{\prime \prime}$ |
|  | A | $160^{\circ} 12^{\prime} 40^{\prime \prime}$ | $340^{\circ} 12^{\prime} 30^{\prime \prime}$ |

5. a) What is EDM? Explain principles of EDM for measuring horizontal distances.
b) Find the volume of cutting in a length of 60 m with the following data for a two level section using the prismoidal and trapezoidal formula (average end area). Also calculate the prismoidai correction. Formation width $=10 \mathrm{~m}$, Side slope $=2: 1$, Transverse slope $=6.1$. The ground levels at 30 m intervals are given below.

| Chainage $(\mathrm{m})$ | 0 | 30 | 60 |
| :--- | :--- | :--- | :--- |
| GL (m) | 540.70 | 541.00 | 541.60 |

The formation has a downward slope of 1 in 40 with formation level at 0 chainage being 538.20 m .
c) Calculate the area of transverse by double meridian distance method.

| Line | $P Q$ | $Q R$ | $R S$ | $S P$ |
| :--- | :--- | :--- | :--- | :--- |
| Latitude $(\mathrm{m})$ | -300 | 640 | 100 | -440 |
| Departure $(\mathrm{m})$ | 450 | 110 | -380 | -180 |


| $t$ | 05 TRIBHUVAN UNIVERSITY | Exam. | New Back (2066 \& I.iter Batch) |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| ! | Examination Control Division | Programme | BCE | Pass Marks | 32 |
|  | 2072 Kartik | Year/Part | II/I | Time | $3 \mathrm{hrs}$. |

Subject: - Surveying I (CE504)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Define surveying. Explain its importance for civil Engineers with examples.
b) The area of a field is $50,000 \mathrm{~m}^{2}$. The length and breadth of the field on the map are 10 cm and 8 cm . Construct a diagonal scale which can be read up to one meter. Find out R.F. of scale.

A baseline was measured in catenary at $10^{\circ} \mathrm{C}$ with a pull 5 kg in four segments $30.536,29.635,29,827$ and 22.066 m . The difference of level was $0.30,0.60,0.20$ and 0.45 m respectively. Calculate the length of base line if the tape was standardized as 30 m on the flat at $20^{\circ} \mathrm{C}$ with pull 15 kg . Density of tape materials $=7690 \mathrm{~kg} / \mathrm{m}^{3}$, $\alpha=0.000011$ per ${ }^{\circ} \mathrm{C}$, mass of tape per meter unit length $=20 \mathrm{gm} \mathrm{E}=210 \times 10^{3}$ $\mathrm{N} / \mathrm{mm}^{2}$.
2. a) What are the different types of offsets and methods of taking offsets?
b) What is magnetic declination? Find the value of magnetic declination if the magnetic bearing of the Sun at noon is $356^{\circ}$.
c) Compute the corrected bearings from a closed compass survey ABCDEA.

| Line | AB | BC | CD | DE | EA |
| :---: | :---: | :---: | :---: | :---: | :---: |
| FB | $140^{\circ} 30^{\prime}$ | $223^{\circ} 15^{\prime}$ | $287^{\circ} 00^{\prime}$ | $12^{\circ} 45^{\prime}$ | $60^{\circ} 00^{\prime}$ |
| BB | $322^{\circ} 30^{\prime}$ | $44^{\circ} 15^{\prime}$ | $107^{\circ} 45^{\prime}$ | $193^{\circ} 15^{\prime}$ | $239^{\circ} 00^{\prime}$ |

3. a) Explain the effect of curvature and refraction in leveling. Derive an expression for the curvature correction and refraction correction. The following consecutive staff readings were taken on a continuously sloping ground at 30 m intervals: -0.680 , $1.355,3.380,3.830,1.835,2.250 .1^{\text {st }}$ reading was taken on a B.M of R.L 435.982 m compute the R.L.s by rise and fall method and the gradient between B.M and last point.
b) Explain the temporary adjustment of level. A leveling instrument was set up exactly mid way between two pegs P and $\mathrm{Q}, 50 \mathrm{~m}$ apart. The staff readings on P and Q were 1.790 m and 1.895 m respectively. The instrument was shifted and set up at a distance of 5 m from Q on the line PQ produced. The staff readings taken were 1.563 m and 1.682 m at $P$ and $Q$ respectively. Compute the correct staff readings.
4. a) Explain orientation by back sight in plane table survey.
b) Describe classification of EDM instrument.
c) Prepare a booking format of angle measurement between OA and OB by reiteration method including two sets and compute mean angle by FL and FR and mean direction method.
5. a) Describe about measuring principle of electronic distance measurement. Compare these methods.
b) What is trilateration? Write the specification of first order triangulation.
c) A road embankment is 10 m wide at the formation level, with a side slope $1: 1$. The embankment has a rising gradient of 1 in 100 m . The existing ground level along the center line are as follows:

| Chainage $(\mathrm{m})$ | 0 | 100 | 200 | 300 |
| :---: | :---: | :---: | :---: | :---: |
| Ground level $(\mathrm{m})$ | 503 | 498.50 | 504.50 | 502.50 |
| Formation level $(\mathrm{m})$ | 500 |  |  |  |

## 02 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING <br> Examination Control Division 2071 Shawan

| Exam. | New Back (2066 \& Latcr Batch) |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Fuil Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year $/$ Part | II/I | Time | 3 hrs. |

## Subject: - Surveying I (CE504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) What are the principles of surveying? Explain clearly.
b) A steel tape 30 m long was standardized at $20^{\circ} \mathrm{C}$ with a pull of 10 kg . A line was measured with this tape under the pull of 5 kg at a mean temperaiure of $32^{\circ} \mathrm{C}$ and found to be 2100 m . The cross sectional area of tape is $0.03 \mathrm{~cm}^{2}$. Young's modulus of elasticity of tape material is $2.1 \times 10^{6} \mathrm{~kg} / \mathrm{cm}^{2}, \alpha$ for steel is $12 \times 10^{-5} /{ }^{\circ} \mathrm{C}$; the weight of tape is 0.693 kg . Determine the true distance measured and also find the normal tension if the measured length is equal to the true distance.
2. a) Define whole circle bearing, quadrantal bearing, local attraction and magnetic declination.
b) The bearing observed in traversing with a compass at a place where local attraction was suspected are given below:

| Line | Fore bearing | Back bearing |
| :---: | :---: | :---: |
| AB | $\mathrm{S} 45^{\circ} 30^{\prime} \mathrm{E}$ | $\mathrm{N} 45^{\circ} 30^{\prime} \mathrm{W}$ |
| BC | $\mathrm{S} 60^{\circ} 00^{\prime} \mathrm{E}$ | $\mathrm{N} 60^{\circ} 40^{\prime} \mathrm{W}$ |
| CD | $\mathrm{N} 03^{\circ} 20^{\prime} \mathrm{E}$ | $\mathrm{S} 05^{\circ} 30^{\prime} \mathrm{W}$ |
| DA | $\mathrm{S} 85^{\circ} 00^{\prime} \mathrm{W}$ | $\mathrm{N} 83^{\circ} 30^{\prime} \mathrm{E}$ |

At what stations do you suspect local attraction? Find the corrected bearings of the lines.
3. a) Explain Crossection and Profile leveling with suitable sketches.
b) Following is the page of a level field book. Calculate the mission readings.

| Stations | BS | IS | FS | Rise | Fall | RL | Remarks |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | $?$ |  |  |  |  | 1150.00 | BM |
| 2 |  | 2.457 |  |  | 0.827 | $?$ |  |
| 3 |  | 2.400 |  | 0.057 |  | $?$ |  |
| 4 | 2.697 |  | $?$ |  | $?$ | 1148.070 | CP |
| 5 | $?$ |  | 2.051 | 0.646 |  | 1148.716 | CP |
| 6 |  | 2.500 |  | 1.068 |  | 1149.784 |  |
| 7 |  | 2.896 |  |  | $?$ | 1149.388 |  |
| 8 |  | $?$ |  |  | 0.124 | $?$ |  |
| 9 |  |  | 2.672 | 0.348 |  | 1149.612 |  |

4. a) Write the advantages and disadvantages of plane table survey.
b) Calculate the mean angle $A O B$ by the mean direction method form the following data in a standard booking format:

|  |  | $\cdot$ | HCR Observation |  |
| :---: | :---: | :---: | :---: | :---: |
| Inst.station | Target <br> station | Face | Set I | Set II |
| 0 | A | L | $00^{\circ} 00^{\prime} 00^{\prime \prime}$ | $90^{\circ} 00^{\prime} 10^{\prime \prime}$ |
|  | B | L | $121^{\circ} 00^{\prime} 00^{\prime \prime}$ | $211^{\circ} 00^{\prime} 40^{\prime \prime}$ |
|  | B | R | $301^{\circ} 00^{\prime} 20^{\prime \prime}$ | $31^{\circ} 00^{\prime} 20^{\prime \prime}$ |
|  | A | R | $179^{\circ} 59^{\prime} 30^{\prime \prime}$ | $269^{\circ} 59^{\prime} 40^{\prime \prime}$ |

c) Calculate the area of a closed traverse by double meridian distance method.

| Line: | AB | BC | CD | DA |
| :--- | :---: | :---: | :---: | :---: |
| Latitude $(\mathrm{m}):$ | $(-) 300$ | $(+) 640$, | $(+) 100$ | $(-) 440$ |
| Departure $(\mathrm{m}):(+) 450$ | $(+) 110$ | $(-) 380$ | $(-) 180$ |  |

5. Write short notes on: (any two)
i) Principles of triangulation and trilateration
ii) Principles of chain survey
iii) Principle of electronic distance measurement.

| Exam. |  | Resular |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | II $/ \mathrm{I}$ | Time | $3 \mathrm{hrs}:$ |

## Subject: - Surveying I (CE504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Write the principles of surveying.
b) A steel tape standardized in catenary condition at $20^{\circ} \mathrm{C}$ temperature and 12 kg pull was found to be 29.985 cm . A line measured with this tape under a pull of 16 kg and at a mean temperature of $28^{\circ} \mathrm{C}$ was found to be 680 m long. Assuming that the tape is supported at every 20 m length. Find the true length of the line given that cross sectional area of tape $=0.03 \mathrm{~cm}^{2}$, Young's modulus of elasticity, $\mathrm{E}=2.10 \times 10^{6} \mathrm{~kg} / \mathrm{cm}^{2}$, coefficient of linear expansion, $\alpha=11 \times 10^{-6} /{ }^{\circ} \mathrm{C}$ and weight of tape $=10 \mathrm{gm} / \mathrm{cc}$.
2. a) Explain fore bearing, back bearing, Magnetic bearing and true bearing.
b) In a traverse survey following FB and BB were recorded at a place where local attraction was suspected.

| Lines | AB | BC | CD | DE | EA |
| :---: | :---: | :---: | :---: | :---: | :---: |
| FB | $22^{\circ} 15^{\prime}$ | $39^{\circ} 30^{\prime}$ | $191^{\circ} 45^{\prime}$ | $330^{\circ} 15^{\prime}$ | $242^{\circ} 45^{\prime}$ |
| BB | $200^{\circ} 30^{\prime}$ | $222^{\circ} 30^{\prime}$ | $13^{\circ} 00^{\prime}$ | $147^{\circ} 45^{\prime}$ | $62^{\circ} 45^{\prime}$ |

Find the correct bearings and included angles.
3. a) Explain reciprocal and precise leveling.
b) During fly leveling the following note is made:

BS: $\quad 0.62,2.05,1.42,2.63$ and 2.42 m
FS: $\quad 2.44,1.35,0.53$ and 2.41 m
The first BS was taken on a BM of RL 1000.00 m . From the last BS it is required to set 4 pegs each at a distance of 30 m on a rising gradient of 1 in 200 . Enter these notes in the form of a level book and calculate the R.L.of the top of each peg by the rise and fall method. Also calculate the staff readings on each peg.
4. a) Explain Radiation and Intersection methods of plane table survey.
b) Compute the mean horizontal angles and adjust them if necessary:

| Inst.Station | Target Station | Horizontal circle Readings |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | F.R |  |  |
| O | A | $00^{\circ} 00^{\prime} 20^{\prime \prime}$ | $180^{\circ} 00^{\prime} 40^{\prime \prime}$ |  |
|  | B | $50^{\circ} 45^{\prime} 20^{\prime \prime}$ | $230^{\circ} 45^{\prime} 30^{\prime \prime}$ |  |
|  | C | $140^{\circ} 50^{\prime} 55^{\prime \prime}$ | $320^{\circ} 51^{\prime} 05^{\prime \prime}$ |  |
|  | D | $250^{\circ} 10^{\prime} 10^{\prime \prime}$ | $70^{\circ} 10^{\prime} 00^{\prime \prime}$ |  |

5. Write short notes on: (any two)
i) Trapezoidal and Simpon's $1 / 3$ rule
ii) Principle of electronic distance measurement
iii) Principles of triangulation and trilateration

01 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING Examination Control Division 2070 Chaitra

| Exam. | Old Back (2065 \& Earlier Batch) |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | II /I | Time | 3 hrs. |

## Subject: - Surveying I (EG525CE)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt'any Five questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Define the term surveying. Differentiate between geodetic surveying and plane surveying.
b) What is graphical scale? Explain its importance on the map.
c) A 30 m tape weighing 8.9 N and has a cross sectional area of $2.58 \mathrm{~mm}^{2}$ was standardized and found to be 30.005 m at $20^{\circ} \mathrm{C}$ with 52 N tension at fully supported condition. This tape was used for mearsuring the distances at contant temperature of $31.2^{\circ} \mathrm{C}$ and pull applied 110 N . The tape was supported at 0 and 30 m end. The observed distance was 6.30 m . Calculate the correct horizontal distance between points. Take cocflicient of linear expamsion of tape $x=12 \times 10^{64} / 0^{\circ} \mathrm{C}$ and Young's modulus of chasticity of tape matherial $1: \cdots 12 \times 10^{11} \mathrm{~N} / \mathrm{m}^{2}$.
2. a) Explain basic principles of chain survey and describe the lied procedure of chain survey.
b) The following beange were observed in a compass traverse.

| Line | AB | 1 BC | CD | DE | EA |
| :--- | :--- | :--- | :--- | :--- | :--- |
| FB | $305^{\circ} 00^{\prime}$ | $75^{\circ} 30^{\prime}$ | $115^{\circ} 30^{\prime}$ | $166^{\circ} 30^{\prime}$ | $225^{\circ} 00^{\prime}$ |
| BB | $125^{\circ} 30^{\prime}$ | $254^{\circ} 30^{\prime}$ | $297^{\circ} 30^{\prime}$ | $345^{\circ} 00^{\prime}$ | $450^{\circ} 00^{\prime}$ |

At what stations do you suspect local attraction? Find the correct bearings of all the lines.
3. a) Explain about graphical adjustment of compass traverse.
b) Explain the principles of levelling. Describe reciprocal levelling with sketch.
4. a) A levelling operation is carried out in a closed loop. Fill all the missing data of a levelling field book and do the arithmetic check also.

| Stations | BS | IS | FS | Rise | Fall | RLs(m) |
| :---: | :---: | :--- | :--- | :--- | :--- | :---: |
| A | $?$ |  |  |  |  | $?$ |
| B |  | 2.572 |  |  | 0.319 | 295.909 |
| C | $?$ |  | 1.987 | $?$ |  | $?$ |
| D |  | 0.918 |  |  | 0.236 | $?$ |
| E | $?$ |  | $?$ | 1.433 |  | $?$ |
| F | $?$ | $?$ | 2.115 | $?$ |  | 298.848 |
| G |  | 1.750 |  |  | $?$ | $?$ |
| H | $?$ |  | 2.057 |  | $?$ | $?$ |
| A |  |  | 1.456 |  | 1.847 | $?$ |

b) Define orientation of plane table and explain orientation of plane table by back sighting.
5. a) Discuss the temporary adjustment in theodolite survey?
b) Develop a booking format for recording 2 sets of horizontal circle readings with appropriate numerical example. Calculate the mean horizontal angles and mean direction of the lines.
6. Write short notes on:
a) Distinguish between triangulation and trilateration.
b) What are the advantages and disadvantages of plane tabling?

## 06 tribhuvan uinversity INSTITUTE OF ENGINEERING Examination Control Division 2070 Ashad

| Exam. |  |  |  |
| :---: | :---: | :---: | :---: |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/Part | II/ I | Time | 3 h |

## Subject:- - Surveying I (CE504)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks
$\checkmark$ Assume suitable data if necessary.

1. a) What are the principles of surveying? Illustrate with suitable examples.
b) A distance of 20 m was set out with a 20 m tape from the top of station A to the top of station B . The tape being in catenary under a pull of 200 N and at a mean temperature of $31.25^{\circ} \mathrm{C}$. The top of station A was 0.70 m above the top of station B. Calculate the exact horizontal distance between two stations, if the tape was standardised at a temperature of $20^{\circ} \mathrm{C}$ in catenary condition, under a pull of 100 N . Take $\alpha=1 \times 10^{-5}$ per $^{\circ} \mathrm{C}$, Area of tape $=0.10 \mathrm{sq} . \mathrm{cm}, \mathrm{E}=2 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$ and weight of the tape $=12 \mathrm{~N}$.
c) What are the corrections applied in the linear measurement? Explain briefly.
2. a) What are the advantages and disadvantages of plane table survey? Explain.
b) Define Triangulation and Trilateration.
c) Calculate the correct bearings of a link traverse XABCY from the following data: Bearing of lines $\mathrm{XA}=292^{\circ} 15^{\prime}$, and $\mathrm{YC}=152^{\circ} 47^{\prime}$. Angles to the right $\angle \mathrm{A}=229^{\circ} 30^{\circ}$, $\angle B=323^{\circ} 45^{\prime}$ and $\angle \mathrm{C}=27^{\circ} 15^{\prime}$
3. a) List out the plotting method of compass traverse. What is the closing error and how closing error is adjusted graphically in compass traverse?
b) In running a fly levelling from a BM of RL 1400.602 m , the following readings were obtained.

$$
\begin{aligned}
& \text { BS : } 1.543,2.694,1.416,2.923 \mathrm{~m} \\
& \text { FS : } 0.754,1.236,0.596 \mathrm{~m}
\end{aligned}
$$

From the last position of the instrument, six pegs at 20 m interval are to be set out on a uniform rising gradient of 1 in 50 , the $1^{\text {st }}$ peg is to have a RL of 1404.000 m . Calculate the staff readings required to be set out the pegs and also the RLS of the pegs in a tabular format.
4. a) Describe about the field procedure of taking longitudinal sectioning and cross section. State its purpose and importance for new road construction project.
b) From a theodolite station O angle observation towards various stations are taken with referencing from P and then $\mathrm{Q}, \mathrm{R}, \mathrm{S}$ and again horizon is closed at P . The observed face left readings at $\mathrm{P}, \mathrm{Q}, \mathrm{R}, \mathrm{S}$ and P are $00^{\circ} 00^{\prime} 00^{\prime \prime}, 95^{\circ} 10^{\prime} 20^{\prime \prime}, 205^{\circ} 32^{\prime} 30^{\prime \prime}$, $260^{\circ} 55^{\prime} 40^{\prime \prime}$ and $359^{\circ} 59^{\prime} 50^{\prime \prime}$ respectively. Similarly face right readings towards $P, Q$, $R, S$ and $P$ are $180^{\circ} 00^{\prime} 10^{\prime \prime}, 275^{\circ} 1000^{\prime \prime}, 25^{\circ} 32^{\prime} 20^{\prime \prime}, 80^{\circ} 55^{\circ} 20^{\prime \prime}$ and $179^{\circ} 59^{\prime \prime} 40^{\prime \prime}$ respectively. Compile the above reading in a tabular form and compute the average angles, check and balance them if necessary.
5. a) The fomation widh of a certan cuting is 10 m and side slope is $1: 1$. The surface of groud has a unfom siope of 177 . The dephis of cuiting at the centers of the three secions 50 m apart are $2 \mathrm{~m}, 3 \mathrm{~m}$ and 4 m respectively. Find the volume using trarezodal nd simesor's ma.

[^5]06 . TRIBHUVAN UNIVERSITY
INSTITUTE OF ENGINEERING
Examination Control Division 2069 Chaitera

| Exam. |  |  |  |
| :---: | :---: | :---: | :---: |
| Level | BE | Full Marks | 80 : |
| Programme | BCE | Pass Marks | 32 |
| Year/Rart | II/I | Time | 3 hrs . |

## Subject: - Surveying I (CE504)

1 Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) Define the term surveying and differentiate between geodetic and plane surveying.
b) What are the corrections applied in the linear measurement? Explain briefly.
c) A 20 m steel tape standardized in catenary at a temperature of $12.5^{\circ} \mathrm{C}$ and a puli of 100 N was found to be 19.978 m . This tape was used to measure a base line. Throughout the measurement the tape was used in catenary for each tape length. Find the correct length of the baseline if the temperature during measurement was $25^{\circ} \mathrm{C}$ and pull applied was 150 N weight of steel is $0.077 \mathrm{~N} / \mathrm{cm}^{3}$. The weight of suspended tape was 7.85 N . Take $\mathrm{E}=2.10 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$ and $\propto=12 \times 10^{-6} /{ }^{\circ} \mathrm{C}$. The measured base line distance was 1120 m .
2. a) Explain briefly about the field produre of chain survey.
b) Explain briefly about radiation and intersection methods of plane table survey,
c) The following bearings were observed in a compass traverse.

| Line | AB | BC | CD | DE | EA |
| :---: | :---: | :---: | :---: | :---: | :---: |
| FB | $305^{\circ} 30^{\prime}$ | $75^{\circ} 30^{\prime}$ | $115^{\circ} 30^{\prime}$ | $166^{\circ} 30^{\prime}$ | $225^{\circ} 00^{\prime}$ |
| BB | $125^{\circ} 30^{\circ}$ | $254^{\circ} 30^{\prime}$ | $297^{\circ} 30^{\prime}$ | $345^{\circ} 00^{\prime}$ | $44^{\circ} 00^{\prime}$ |

At which stations do you suspect local aitraction? Find the comect bearing of ail the lines.
3. a) In which condition reciprocal levelling is used. Also derive the formula for reciprocal levelling.
b) A levelling operation is carried out in a closed loop. Fill all the missing data of a levelling field book given below:

| Station | BS | IS | FS | Rise | Fall | RL |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | $?$ |  |  |  |  | $?$ |
| B |  | 2.572 |  |  | 0.319 | 295.909 |
| C | $?$ |  | 1.987 | $?$ |  | $?$ |
| D |  | 0.918 |  |  | 0.236 | $?$ |
| E | $?$ |  | $?$ | 1.433 |  | $?$ |
| F | 1.372 |  | 2.115 | $?$ | $?$ | 298.848 |
| G |  | 1.750 |  |  | $?$ | $?$ |
| H | $?$ |  | 2.057 |  | $?$ | $?$ |
| A |  |  | 1.456 |  | 1.847 | $?$ |

4. a) What are the temporay adjuctments in theodute survey? Explain.
b) Deveiop a bookng formate for recordng 2 set horzontal angle with appopriate Iumerical axample. Calculate the mean hozizontal angle also.
o) Distinguih between mangulation and triateation.




## INSTITUTE OF ENGINEERING

Examination Control Division 2068 Chaitra


## Subject：－Surveying I（CE 504）

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable．
$\checkmark$ Attempt All questions．
$\checkmark$ The figures in the margin indicate Full Marks．
$\checkmark$ Assume suitable data if necessary．
1．a）Differentiate between geodetic and plane surveying．
b）Explain briefly how a distance can be measured by the method of phase comparison．
c）A 30 m steel tape standardized in fully support condition at a temperature of $20^{\circ} \mathrm{C}$ and pull of 100 N was found to be 19.985 m ．This tape was used to measure a line under a pull of 120 N and a mean temperature of $17^{\circ} \mathrm{C}$ was found to be 1350 m long． Throughout the measurement，the tape was used in catenany condition．Find the correct length of the line．Take weight of steel as $0.081 \mathrm{~N} / \mathrm{cm}^{3}$ ，the weight of tape as $11.775 \mathrm{~N}, \mathrm{E}=2.10 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$ and $\alpha=11 \times 10^{-6} /{ }^{\circ} \mathrm{C}$ ．
2．a）What are the methods of plane table survey？Explain each．
b）What is principle of chain survey？Explain in brief．
c）Following are the bearings observed in a compass traverse survey．At what stations do you suspect local attraction？Correct them by applying suitable correction method．

| Line | FB | BB |
| :---: | :---: | :---: |
| AB | $191^{\circ} 30^{\prime}$ | $13^{\circ} 00^{\prime}$ |
| BC | $79^{\circ} 30^{\prime}$ | $256^{\circ} 30^{\prime}$ |
| CD | $32^{\circ} 15^{\prime}$ | $210^{\circ} 30^{\prime}$ |
| DE | $262^{\circ} 45^{\prime}$ | $82^{\circ} 15^{\prime}$ |
| EA | $230^{\circ} 15^{\prime}$ | $53^{\circ} 00^{\prime}$ |

3．a）What do you mean by two peg test？
b）A level was set up at mid point between two stations $A$ and $B$ ．The distance to stations $A$ and $B$ was 60 m and the reading on the staff held at stations $A$ and $B$ was 1.855 m and 1．625．Then level was moved near to station $B$ and the reading on the staff held at A and B was 2.385 m and 2.655 respectively．Calculate the collimation error and its sign（upward or down ward）．
4．a）Explain classification of Triangulation system．
b）Prepare a field not oi measurement of horizontal angles by direction and repletion methods．
5．a）Explain area calculation by double nomen method．


| TRIBHUVAN UNIVERSITY | Exam. |  | Regular |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2079 Bhadra | Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Engineering Geology I (CE 503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Why do engineers carry out engineering geological studies in Nepal?
2. Describe an internal structure of the earth with a diagram.
3. Define tenacity and hardness of minerals. List out the symmetry elements of crystal.
4. a) Define petrography and petrogenesis. Describe the concordant and discordant body of
igneous rock.
[1+3]
b) Describe texture, structure, mineral composition and engineering properties of Quartzite, Granite, phyllite and conglomerate.
5. a) Describe deformations in rock with suitable example.
b) A quartzite bed is directed towards $\mathrm{S} 20^{\circ} \mathrm{W}$ with an dip angle of $45^{\circ}$. Find out the strike of quartzite bed.
c) Write the field identification criteria for fault and fold.
d) Outline the engineering significance of joints.
6. a) Mention the name of geological agents. Describe an erosional feature develop by running water and wind.
b) What is the difference between weathering and erosion?
7. Describe a lithological characteristics of the Lesser and Tethys Himalayan zone. Highlights a major lithological difference between Siwalik and higher Himalaya.

| TRIBHUVAN UNIVERSITY | Exam. |  | Back |  |
| :---: | :---: | :---: | :---: | :---: |
| NSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2079 Baishakh | Year/Part | II/I | Time | $1 / 2 \mathrm{hrs}$. |

## Subject: - Engineering Geology I (CE 503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Define petrology. Write down the scope and importance of engineering geology in the field of engineering geology.
2. Differentiate between constructive and destructive plate boundary. Write briefly on internal structure of the earth.
3. List out physical properties of minerals. Describe crystal system with sketch.
4. a) Describe rock cleavage. "One rock is raw materials for another rock" Prove it.
b) Describe texture, structure, mineral composition and engineering properties of Marble, Granite, Slate and conglomerate.
5. a) Describe criteria for identification of fault and fold in field.
b) What is rock attitude? A sandstone bedrock dip angle at $35^{\circ}$ towards $\mathrm{N} 45^{\circ} \mathrm{W}$; Find out strike of bed rock with illustration.
c) What is unconformity? Describe different types of unconformity with figure.
6. a) What do you understand by geological agent? Enumerate erosional landform of glacier and depositional land form of wind.

$$
[1+1.5+1.5]
$$

b) Different between chemical and physical weathering. What are the factors of weathering of rocks?
7. a) What are the rock types found at the higher and Siwalik zones of Nepal Himalaya? Differentiate Midland zone and Dune valley.
b) List out the physiographic division of Himalaya.

| TRIBHUVAN UNIVERSITY |  |  |  |  |
| :---: | :--- | :--- | :--- | :--- |
| INSTITUTE OF ENGINEERING | Exam. | Regular |  |  |
| Examination Control Division | BE | Full Marks | 40 |  |
| 2078 Bhadra | Programme | BCE | Pass Marks | 16 |
|  | Year/Part | II /I | Time | $11 / 2$ shrs |

## Subject: - Engineering Geology I (CE 503)

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\(\checkmark\) Candidates are required to give their answers in their own words as far as practicable.
\(\checkmark\) Attempt All questions.
\(\checkmark\) The figures in the margin indicate Full Marks.
\(\checkmark\) Assume suitable data if necessary.
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1. Describe scope and objectives of geology in the field of civil engineering.
2. Mention the physical features of the earth surface.
3. Describe the symmetry elements of crystals. Describe hardness of minerals.
4. Describe Petrogenesis. How do you identify igneous rocks in the field? Describe civil engineering significance of Granite, Phyllite and Sandstone.
5. How do you differentiate primary geological structures and secondary geological structures? Describe relationship of strike and dip of geological planes. Describe with illustrations; how do you find out strike line when dip direction is measured?
6. a) What is geological cycle? What do you mean by geological work? [1+1]
b) Distinguish between weathering and erosion. [2]
c) Give a full account of geological work of running water.
7. Describe briefly the tectonic sub-division of the Nepal Himalaya and describe Siwalik in details.
8. Write notes on: (Any Two)
a) Rock cleavage
b) Field identification criteria of fault
c) Physical weathering

| TRIBHUVAN UNIVERSITY |  |  |  |  |
| :---: | :--- | :--- | :--- | :--- |
| INSTITUTE OF ENGINEERING |  |  |  |  |
| Examination Control Division |  |  |  |  |
| Exam. | Level | BE | Full Marks | 40 |
|  | Programme | BCE | Pass Marks | 16 |
|  | Year/Part | II /I | Time | $11 / 2$ hrs. |

## Subject: - Engineering Geology I (CE 503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. What is the importance of geology? What are different branches of geology? [2+1]
2. How is Himalaya formed? Describe internal structure of earth brief. [1+2]
3. Define Moh's Hardness Scale. Describe element of crystals.
4. a) Distinguish between concordant and discordant bodies of igneous rocks.
b) Write down the physical and engineering properties of marble, slate and granite.
5. a) Define attitude. The limestone bed is inclined towards east with an inclination angle
of $45^{\circ}$. Find the strike.
b) Describe the classification of Fold on the basis of convexity.
c) Write down the engineering significance of fault.
6. a) Write the difference between weathering and erosion. Describe the type of volcano. [2+2]
b) Describe erosional and depositional features of river and glacier.
7. a) Describe physiographic division of Nepal Himalaya.
b) Describe Siwalik zone in detail.

| tribhiuvan tinversity | Exam. |  | Regular |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2076 Chaitra | Year/Part | II/1 | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Engineering Geology I (CE 503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Altempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Define structural geology. Describe scope and importance of geology ${ }^{l} \mathrm{n}$ civil engineering practice in the context of Nepal.
2. What is plate boundaries? How Himalaya formed? Describe stepwise in detail.
3. How do you differentiate carbonate and silicate minerals? Describe Moh's Scale of Hardness. Describe symmetry elements of crystals.
4. a) How do you identify sedimentary rocks in the field? Give a brief account of the
classification of sedimentary rocks.
b) Enumerate the various agents of metamorphism and explain their role. Describe important engineering significance of three rock type.
5. a) Define attitude of geological structures. Distinguish between primary geological structures and secondary geological structures.
b) Describe the classification of fold on basis of position of axial plane.
c) Write the engineering significance of fault joint.
6. a) What do you understand by epigene geological agent? Point out erosional landforms of wind and depositional landforms of glacier.
b) Describe factors of weathering. Describe Chemical weathering of rock.
7. a) What are the soil types and rock types found in the Higher Himalaya zone, Midlañ zone and Dun Valleys? Differentiate Elluvial soil and lacustrine soil.
b) List out the physiographic division of Himalaya.
8. Write short notes on: (Any one)
a) Rock cleavage
b) Erosion

# TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING Examination Control Division 2076 Ashwin 

| Exam. | Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 40 |
| Programme | BCE | Pass Marks | 16 |
| Year /Part | II/I | Time | $11 / 2$ hrs. |

Subject: - Engineering Geology I (CE 503)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Describe scope and objectives of geology in the field of civil engineering.
2. Describe crystal symmetry? Define Moh's hardness scale.
3. a) Mention the factors of metamorphism. Describe metamorphic structures.
b) Describe civil engineering significance of Marble, Granite Sandstone.
4. a) How can you Identify fold? Describe effects of faulting in civil engineering works. [1.5+3.5]
b) Define Altitude. Determine the strike of bedding plane of limestone bedrock, which have dip direction $\mathrm{N} 40^{\circ} \mathrm{W}$ and dip amount $64^{\circ}$.
5. Mention geological works of different geological agents. Describe erosional features developed by wind and underground water.
6. Discuss the tectonic division of Nepal Himalaya.
7. Write short notes on: (Any Two)
i) Rock cleavage
ii) Field identification criteria of fault
iii) Physical weathering
iv) Lutite

| TRIBHUVAN UNIVERSITY | Exam. |  | ular / Back |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2075 Chaitra | Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

Subject: - Engineering Geology I (CE 503)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Highlight the importance of engineering geology in civil engineering works.
2. Define engineering geology according to IAEG. Differentiate convergent plate boundary and divergent plate boundary.
3. Describe symmetry elements of crystals. Describe hardness of minerals.
4. a) Describe Petrogenesis. How do you identify rocks in the field? Describe civil engineering significance of Granite, Phyllite and Sandstone.
b) Distinguish between concordant and discordant bodies of igneous rocks.
5. How do you differentiate primary geological structures and secondary geological structure? Describe relationship of strike and dip of geological planes. Describe with illustration; how do you find out strike line when dip direction is measured?
6. What is weathering? Describe in brief the factors that affect in weathering. [1+3]
7. What are the geological works of running water? Mention the features developed due to geological works of running water.
8. Write short notes on following (any three)
a) Types of volcanoes
b) Stalagmite and stalactite
c) Mantle
d) Isometric system
9. How do you differentiate physiographic division and tectonic division of Nepal? Describe.

## TRIBHUVAN UNIVERSITY <br> INSTITUTE OF ENGINEERING <br> Examination Control Division <br> 2075 Ashwin

| Exam. | Back |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 40 |
| Programme | BCE | Pass Marks | 16 |
| Year/Part | II/I | Time | $11 / 2$ hrs. |

## Subject: - Engineering Geology I (CE503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Fuil Marks.
$\checkmark$ Assume suitable data if necessary.

1. Define engineering geology and discuss the importance in civil engineering.
2. Define plate tectonics and discuss the evolution of Himalaya.
3. What is Mohs scale of Hardness? Describe the symmetry of crystal in detail.
4. a) How do you differentiate Igneous rock and Sedimentary rocks in the field?
b) Write down the physical and engineering properties of Marble, Slate and amphibolite.
5. a) Define fault with neat diagram and discuss its importance in civil engineering.
b) What is unconformity? Why unconformity is important in geological structure in civil engineering.
6. a) What are geological agents? Describe the erosional landform developed by glaciers.
b) Differentiate between Conglomerate and Agglomerate. detail.

| $03 \quad$ TRIBHUVAN UNIVERSITY |  |  |  |  |
| :---: | :--- | :--- | :--- | :--- |
| INSTITUTE OF ENGINEERING | Levam. |  | Regular |  |
| Examination Control Division | BE | Full Marks | 40 |  |
|  | Programme | BCE | Pass Marks | 16 |
|  | Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Engineering Geology I (CE503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Describe the scope and objective of engineering geology in the field of civil engineering.
2. What do you mean by Plate Tectonics? Differentiate between transform and divergent plate boundary.
3. Write down the optical properties of minerals in Handspecimens.
4. a) How do you differentiate three rock types in the field?
b) Write down the physical and engineering properties of phyllite, Granite and Limestone.
5. a) Define joint and discuss the geometric classification of joint with its engineering importance.
b) Determine the dip direction of a bedding plane of limestone bed which has strike $\mathrm{N} 55^{\circ} \mathrm{E}$ and dip amount $30^{\circ}$.
6. a) What is geological cycle? Describe the depositional landform by wind.
b) What is Volcano? Discuss the positive topography developed by volcano.
7. Classify the Nepal Himalaya based on lithology and describe higher Himalaya in detail.

| 03 TRIBHUVAN UNIVERSITY | Exam. | Back |  |  |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2074 Ashwin | Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Engineering Geology I (CE503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Define engineering geology as per IAEG. Describe scope of petrology and structural geology in the field of civil engineering in brief.
2. Describe internal structure of the earth with suitable diagram. What are the basis of the study of internal structures?
3. How do you classify minerals? Describe Isometric system with symmetry elements.
4. a) Define and describe texture of sedimentary rocks. Describe rock cleavage.
b) What are the basis of rock identification in the field?
c) Describe physical and engineering properties of Limestone, phyllite and Granite.
5. a) How is rock deformed? Describe type and stage deformation of rock.
b) How do you classify Joint?
c) What is relationship between strike and dip? How do you calculate apparent dip amount from measured true dip amount?
6. a) Describe landform developed by erosion and deposition by running water and glacier. [5]
b) What is volcanism? Describe chemical weathering.
7. a) Describe physiographic division of Nepal Himalaya.
b) Describe classification of Terai zone with lithology.

| 03 | TRIBHUVAN UNIVERSITY |  |  |  |
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| INSTITUTE OF ENGINEERING | Exam. |  | Regular |  |
|  | Level | BE | Full Marks | 40 |
|  | Examination Control Division | Programme | BCE | Pass Marks |
|  | 16 |  |  |  |
|  | Year/Part | II /I | Time | $11 / 2$ hrs. |

## Subject: - Engineering Geology I (CE503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Define geology. Explain scope and importance in the context of Nepal.
2. Describe plate tectonics. What are the plate boundaries? Describe mountain building process w.r.t. Himalaya.
3. Describe Hardness of mineral with scale. What are the elements of crystals?
4. a) Describe rock cycle with suitable diagram. How metamorphic rock formed? [3]
b) Describe texture of igneous rock.
c) Describe physical and engineering properties of Quartile, Dolomite and Granite.
5. a) How Fold and Joint formed? Describe parts of fault with suitable diagrams.
b) Describe classification of faults.
c) Define attitude of bedrock. A sandstone bedrock dips at $32^{\circ}$ towards $\mathrm{N} 60^{\circ} \mathrm{W}$; Find out
strike of bedrock with illustration.
6. a) Describe geological works of river and wind, with landform developed in brief.
b) What is weathering? Describe volcanic products.
7. a) Describe geological division of Nepal Himalayas.
b) Describe lithology and altitude of Dun valley and Higher Himalaya.

| 03 TRIBHUVAN UNIVERSITY | Exam. | New Back (2066 \& Later Batch) |  |  |
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| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2073 Shrawan | Year / Part | II / I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Engineering Geology I (CE503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Mention relationship between civil engineering and Geology.
2. Describe plate boundary. How is mountain formed?
3. Describe physical properties of minerals. What are the elements of symmetry of orthorhombic system?
4. a) How do you differentiate petrography and petrogenesis? Describe classification of sedimentary rocks.
b) Describe engineering properties, texture and structure of schist, sandstone and Phyllite.
5. a) Describe criteria for identification of fault in the field.
b) How do you classify fault and joint genetically? Describe.
c) How do you calculate apparent dip amount, when true dip amount is measured?
6. a) Describe factors for weathering. Mention erosional and depositional landform of wind.
b) Describe classification of volcano.
7. Describe lithological characteristics of Higher Himalaya and Tethys zone. Describe altitude and lithology of churiya range, fore Himalaya and Trans Himalaya.

| Exam. |  |  |  |
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| Level | BE | Fuil Marks | 40 |
| Programme | BCE | Pass Marks | 16 |
| Year/Part | II/ | Time | 1/2hrs. |

## Subject: - Engineering Geology I (CE503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Mention the importance of geology in civil engineering.
2. How is Himalaya formed? Describe internal structure of the earth in brief.
3. How do you define Hardness of mineral? Describe isometric system of crystal.
4. a) How do you identify three rock types in field? Describe texture of sedimentary rock.
b) Describe texture, structure, mineral composition and engineering properties of quartzite, limestone and Granite.
5. a) How do you differentiate fault and thrust? What are field evidences of fold?
b) Determine the strike direction of bedding plane when dipdirection in $\mathrm{N} 40^{\circ} \mathrm{W}$.
c) Describe deformations in rock strata.
6. Define weathering. Describe depositional
a) Features developed by river
b) Mention erosional features of glacier and underground water.
7. Explain geological division of Terai and siwalik zone. Describe lithology and altitude range of Dun valley and midland.

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| NSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| visio | Programme | BCE | Pass Marks | 16 |
| 2072 Kartik | Year/Part | II/I | Time | $11 / 2 \mathrm{hrs}$. |

## Subject: - Engineering Geology I (CE503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. How IAEG defines engineering geology?
2. What is mountain? Mention different types of plate boundaries with neat sketch.
3. Define crystals. Describe hardness and tenacity of minerals.
4. a) Describe characteristics of igneous, sedimentary and metamorphic rocks.
b) Describe physical and engineering properties of phyllite and limestone.
5. a) Describe criteria for identification of fault and fold in the field.
b) Dip direction of gneiss bedrock is $S 17^{\circ} \mathrm{E}$. Find out strike of such rock with neat and suitable diagram.
6. a) Mention the name of geological agents. What geological agents do? Describe erosional features developed by air and underground water.
b) Describe the causative factors for rock weathering.
7. Describe tectonic division of Nepal Himalaya with suitable cross-section. Describe lithological and elevation characteristics of Mahabharat Range.

| 03 TRIBHUVAN UNIVERSITY | Exam. |  |  |  |
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| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 40 |
| Examination Control Division | Programme | BCE | Pass Marks | 16 |
| 2071 Shawan | Year/Part | II/ I | Time | 11/2 hrs. |

## Subject: - Engineering Geology I (CE503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. How do you differentiate between Geology and Engineering Geology? $[1+1]$
2. What is plate tectonics? Mention different types of plate boundaries.
3. Define Moh's Hardness Scale. Describe elements of crystals.
4. Define Petrology. Describe the classification of sedimentary rock.
5. Describe physical and engineering properties of following rocks:
a) Quartzite
b) Slate
c) Granite
6. Differentiate between Apparent dip amount and true dip amounts What is geological compass?
7. What is geological structure? Describe types of geological structure .
8. Define Geological cycle morine. Describe land form developed by geological works of running water.
9. Describe tectonic division of Nepai Himalaya. Describe midland zone w.r.t elevation and rock characteristics.

## 03 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING Examination Control Division 2070 Chaitra

| Exam. | BE |  | Full Marks |
| :--- | :--- | :--- | :--- |
| Level | BE | 40 |  |
| Programme | BCE | Pass Marks | 16 |
| Year/Part | II/I | Time | $1 / 2$ hrs. |

## Subject: - Engineering Geology I (CE503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Define engineering geology according to LAEG. Sate the scope and objective of engineering geology.
2. What is geological time scale? Describe the formation of Himalaya.
3. How do you differentiate silicate and carbonate minerals? Describe the physical properties of minerals.
4. Define Rock cycle. What are the characteristics metamorphic rocks?
5. Describe the physical and engineering properties of the following rocks.
a) Gneiss
b) Phyllite
c) 1 imestome
 of joints with neal diagram.

6. Define volcano. Differentiate between and erosion. Describe the different types of landform produced by wind.
7. Write down the geomorphic sub-division of the Nepal Himalaya. Describe the geology of lesser Himalaya.

| 02 Tribhuvan university | Exam. |  | 65 \& Earlie | Bateh) |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE | Pass Marks | 32 |
| 2070 Chaitra | Year / Part | II / I | Time | 3 hrs . |

## Subject: - Engineering Geology (EG523CE)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt ${ }^{\prime}$ any Five questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. a) What is geology? Write down the branches of geology. Mention the scope of engineering geology.
b) Define plate tectonics. Describe Volcanism and its classes.
2. a) What is igneous rock? Describe texture of sedimentary rocks.
b) Define fault. What are the different type of joints? Describe them.
3. a) What are the physical properties of minerals:? Describe them.
b) Define mass movement? Wribe down the mitigation measures to protee the slope from transtational timatas.


b) Detme rochmas. Witle down the properties wh wet mases.
4. a) What are diferent types of river morphology"? Write down the characteristics of river that should be baken into account while selecting the site for construction.
b) How is Nepal Himalaya formed? Write down the characteristics of each geological zone.
5. Write short notes on:
a) Attitude of bedrock
b) Overbrcak
c) Thrust
d) MCT

| 04 TRIBHUVAN UNIVERSITY | Exam. |  | 65 \& Earlier | Batch). |
| :---: | :---: | :---: | :---: | :---: |
| INSTITUTE OF ENGINEERING | Level | BE | Full Marks | 80 |
| Examination Control Division | Programme | BCE | Pass Marks | 32 |
| 2070 Ashad | Year/Part | II/ I | Time | 3 hrs . |

## Subject: - Engineering Geology (EG523CE)

[^6]1. a) How is the earth formed? Write down its structure and envirorment. $[4+4]$
b) What is seismicity? Describe about fold mountains.
2. a) Why do engineers carry out engineering geological studies in Nepal? Write down the relationship between geology and earth science.
b) Describe symmetry elements of crystals. How are minerals identified? Describe. [3+5]
3. a) How are sedimentary rocks formed? Describe texture of igneous rock. [3+5]
b) Define fold. Describe effect and engineering significance of fault.
4. a) How does mass movement occurred? Describe classification of landslide according to
Varne.
b) Define site investigation. Describe sub-surface site investigation of foundation site of a Dam.
5. a) Define Over break. Describe geological investigation activities in Tumnel. [3+5]
b) Describe Darcy's law: Describe types of aquifer with suitable diagram. $[4+4]$
6. Write short notes on:
a) Physical properties of igneous rock
b) Engineering classification of rock masses
c) Interpretation of Topographic maps
d) Geology of Terai siwalik zones

## 04 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING <br> Examination Control Division <br> 2069 Chaitra

| Exam. | Old Back (2065 \& Earlier Batch) |  |  |
| :--- | :--- | :--- | :--- |
| Level | BE | Full Marks | 80 |
| Programme | BCE | Pass Marks | 32 |
| Year/ Part | II /I | Time | 3 hrs. |

## Subject: - Engineering Geology (EG523CE)

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\(\checkmark\) Candidates are required to give their answers in their own words as far as practicable.
\(\checkmark\) Attempt any Five questions.
\(\checkmark\) The figures in the margin indicate Full Marks.
\(\checkmark\) Assume suitable data if necessary.
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1. a) Define engineering geology according to LAEG. Point out the importance of engineering geology in the field of civil engineering. Differentiate convergent plate boundary and divergent plate boundary.
b) Describe internal structure of earth with its neat sketch. What are the products of volcanoes? Mention them briefly.
2. a) Define mineral. Describe physical properties of minerals.
b) What is rock cycle? Discuss the various based to classify igneous rock. Illustrate it with examples.
3. a) What is landslide different from mass movement? Describe repairing measures of landslide.
b) What do you mean by rock mass? Describe classification system of rock mass. $\quad[2 \div 6]$
4. a) What do you understand by attitudes of beds? Describe classification of fold. [3+5]
b) What is geological site investigation? Describe its methods in brief.
[2+6]
5. a) Discuss the tactonic division of the Nepal Himalaya. [8]
b) Describe river channel morphology. What are the geological works of running water? Describe the features developed due to geological works of running water.
6. Write short notes on:
a) Types of volcanoes
b) Forms of sedimentary rock
c) Unconformity
d) Isometric system
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| Exam. | 48MM |  |  |
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| Level |  | Fwil Marks | 40 |
| Programme | BCE | Pass Marks | 16 |
| Year/Part | II/I | Time | 11/2 hrs. |

Subject: - Engineering Geology I (CE503)
$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Aitempt All questions.
$\checkmark$ The figures in the margin indicate Full Marks.
$\checkmark$ Assume suitable data if necessary.

1. Define engineering Geology. Highlight the scope of engineering geology.
2. How is Himalaya formed? Name all plate boundaries.
3. Describe physical properties of any three rock forming minerals.
4. a) Describe rock cycle. Write the process of igneous rock formation.
b) Write physical and engineering properties of following rocks.
i) Dolomite
ii) Slate
iii) Schist
iv) Quartzite
5. a) Define strike, dip and dip amount of a plane.
b) What is fold? With a neat and labelled diagram show different parts of a fold. Classify
fold on the basis of orientation of hinge line and axial surface fold on the basis of orientation of hinge line and axial surface.
6. Define geological cycle. Describe types of weathering.
7. What aret the landforms developed by erosional activities of river.
8. Discuss about the geological division of Nepal Himalaya with simplified cross-section.

## 04 TRIBHUVAN UNIVERSITY INSTITUTE OF ENGINEERING <br> Examination Control Division <br> 2069 Chaitra

| Exam. |  |  |  |
| :---: | :---: | :---: | :---: |
| Level | BE | Fuil Marks | 40 |
| Level | BCE | Pass Marks | 15 |
| Programme | II / 1 | Tine | $11 / 2 \mathrm{hrs}$. |
| Year/Part | II / | T⿴囗 |  |

## Subject: - Engineering Geology I (CE503)

$\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
$\checkmark$ Attempt All questions.
$\checkmark$ All questions carty equal marks.
$\checkmark$ Assume suitable data if necessary.

1. What are the importances and objectives of engineering geology course in civil engineering?
2. Mention any three evidences of plate tectonics.
3. Define moh's scale of hardness. Desciibe crystal symmetry.
4. a) Describe rock cleavage. Write down the physical and engineering properties of limestone, phyllite and granite.
limestone, phyllite and granite.
b) Write down the formation process of metamorphic rock. Describe texture of igneous
5. a) Describe about attitude of rock. What are the differences between true and apparent rock. dip?
b) What is joint? Point out engineering significance of joint and fault.
6. What is volcano? Briefly describe about location and types of volcano.
7. Describe different land forms produced by river.
8. What are physiographic divisions of Nepal Himalaya. Describe the lithology of [3+2] Tibetan-Tethys zone.

[^0]:    $\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
    $\checkmark$ Attempt All questions.
    $\checkmark$ The figures in the margin indicate Full Marks.
    $\checkmark$ Assume suitable data if necessary.

[^1]:    $\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
    $\checkmark$ Attempt All questions.
    $\checkmark$ The figures in the margin indicate Full Marks.
    $\checkmark$ Assume suitable data if necessary.

[^2]:    Candidates are required to give their answers in their own words as far as practicable.
    $\checkmark$ Attempt All questions.
    $\checkmark$ The figures in the margin indicate Full Marks.
    $\checkmark$ Assume suitable data if necessary.

[^3]:    $\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
    $\checkmark$ Attempt All questions.
    $\checkmark$ The figures in the margin indicate Full Marks.
    $\checkmark$. Assume suitable data if necessary.

[^4]:    

[^5]:    

[^6]:    $\checkmark$ Candidates are required to give their answers in their own words as far as practicable.
    $\checkmark$ Attempt any Five questions.
    $\checkmark$ The figures in the margin indicate Full Marks.
    $\checkmark$ Assume suitable data if necessary.

